Unit 1

Physical Quantities and Measurement

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- describe the crucial role of Physics in Science, Technology and Society.
- explain with examples that Science is based on physical quantities which consist of numerical magnitude and a unit.
- differentiate between base and derived physical quantities.
- list the seven units of System International (SI) alongwith their symbols and physical quantities (standard definitions of SI units are not required).
 - interconvert the prefixes and their symbols to
- indicate multiples and sub-multiples for both base and derived units.
- write the answer in scientific notation in measurements and calculations.
- describe the working of Vernier Callipers and screw gauge for measuring length.
- identify and explain the limitations of measuring instruments such as metre rule, Vernier Callipers and screw gauge.
- describe the need using significant figures for recording and stating results in the laboratory.



This unit is built on

Measurement

-Science-VIII

Scientific Notation

-Maths-IX

This unit leads to:
Measurement

-Physics-XI

1.1 **Introduction to Physics**

Major Concepts

Physics IX

- 12 Physical quantities
- 1.3 International System of
- units 1.4 Prefixes (multiples and
- sub-multiples) 1.5 Scientific notation/
- Standard form 1.6 Measuring instruments
 - metre rule
 - Vernier Callipers screw gauge
 - physical balance

1.7

stopwatch

significant figures

- measuring cylinder An introduction to
- When you can measure what

you are speaking about and express it in numbers, you know something about it. When you cannot measure what you are speaking about or you cannot express it in numbers,



your knowledge is of a meagre

and of unsatisfactory kind.



Andromeda is one of the billions of galaxies of known universe.

INVESTIGATION SKILLS The students will be able to:

- compare the least count/ accuracy of the following measuring instruments and state their measuring
 - range:
 - (i) Measuring tape
 - (ii) Metre rule
 - (iii) Vernier Callipers
 - (iv) Micrometer screw gauge
 - make a paper scale of given least count e.g. 0.2 cm
 - and 0.5 cm.
 - which measurement is more precise. determine an interval of time using stopwatch.

determine the area of cross section of a solid cylinder

with Vernier Callipers and screw gauge and evaluate

types of balances and identify the most accurate

- determine the mass of an object by using different
- determine volume of an irregular shaped object using a measuring cylinder.
- List safety equipments and rules.
- Use appropriate safety equipments in laboratory. SCIENCE. TECHNOLOGY AND SOCIETY

The students will be able to:

CONNECTION

balance.

- determine length, mass, time and volume in daily life activities using various measuring instruments.
- list with brief description the various branches of
- physics. Man has always been inspired by the wonders of nature. He has always been curious to know the

secrets of nature and remained in search of the truth and reality. He observes various phenomena and tries to find their answers by logical reasoning. The knowledge through observations and gained

Physics IX 3 **Unit 1: Physical Quantities and Measurement** experimentations is called Science. The word science is derived from the Latin word scientia, which means knowledge. Not until eighteenth century, various aspect of material objects were studied under a single subject

instruments. We will also learn the measuring techniques that enable us to measure various quantities accurately. 1.1 INTRODUCTION TO PHYSICS

were divided into five distinct disciplines; physics,

called natural philosophy. But as the knowledge increased, it was divided into two main streams; Physical sciences — which deal with the study of non-living things and Biological sciences — which are concerned with the

They are part of our lives. They play an important role to

describe and understand the physical world. Over the

centuries, man has improved the methods of

measurements. In this unit, we will study some of

physical quantities and a few useful measuring

Measurements are not confined to science.

In the nineteenth century, physical sciences

study of living things.

chemistry, astronomy, geology and meteorology. The most fundamental of these is the Physics. In Physics, we study matter, energy and their interaction. The laws and principles of Physics help us to understand nature.

The rapid progress in science during the recent years has become possible due to the discoveries and inventions in the field of Physics. The technologies are the applications of scientific principles. Most of the technologies of our modern society throughout the world

are related to Physics. For example, a car is made on the

principles of mechanics and a refrigerator is based on the

principles of thermodynamics. In our daily life, we hardly find a device where

and their relationship with magnetism.

Light (Optics):

Atomic Physics: It is the study of the structure and

BRANCHES OF PHYSICS

its causes and effects.

It is the study of motion of objects,

It deals with the nature of heat.

modes of transfer and effects of

It deals with the physical aspects

of sound waves, their production,

It is the study of physical aspects of light, its properties, working

It is the study of the charges at

rest and in motion, their effects

and use of optical instruments. **Electricity and Magnetism:**

properties and applications.

Mechanics:

Heat:

heat.

Sound:

properties of atoms. **Nuclear Physics:**

It deals with the properties and behaviour of nuclei and the particles within the nuclei.

Plasma Physics:

It is the study of production, properties of the ionic state of

matter - the fourth state of matter. Geophysics:

It is the study of the internal

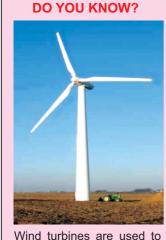
structure of the Earth.

Physics is not involved. Consider pulleys that make it easy to lift heavy loads. Electricity is used not only to



Physics IX

Figure 1.1 (a) a vacuum cleaner (b) a mobile phone



produce pollution free electricity.



Figure 1.2: Measuring height.

such as car and aeroplanes; domestic appliances such as airconditioners, refrigerators, vacuum-cleaners, washing machines, and microwave ovens etc. Similarly the means of communication such as radio, TV, telephone and computer are the result of applications of Physics. These devices have made our lives much easier, faster and more comfortable than the past. For example, think of what a mobile phone smaller than our palm can do? It allows us to contact people anywhere in the world and to get latest worldwide information. We can take and save pictures, send and receive messages of our friends. We can also receive radio transmission and can use it as a calculator as well.

get light and heat but also mechanical energy that drives fans and electric motors etc. Consider the means of transportation

harms and destruction of serious nature. One of which is the environmental pollution and the other is the deadly weapons.

However, the scientific inventions have also caused

QUICK QUIZ

- 1. Why do we study physics?
- 2. Name any five branches of physics.

PHYSICAL QUANTITIES

physical quantity possesses at least two characteristics in common. One is its numerical magnitude and the other is the unit in which it is measured. For example, if the length of a student is 104 cm then 104 is its numerical magnitude and centimetre is the unit of measurement. Similarly when a grocer says that each bag contains 5 kg sugar, he is describing its

numerical magnitude as well as the unit of measurement. It would be meaningless to state 5 or kg only. Physical quantities are divided into base quantities and derived quantities.

quantities such as length, mass, time and temperature. A

All measurable quantities are called physical

Physics IX

These physical quantities are called the base

quantities. These are length, mass, time, electric

current, temperature, intensity of light and the amount

in terms of base quantities are called the derived

quantities. These include area, volume, speed, force,

work, energy, power, electric charge, electric

Those physical quantities which are expressed

There are seven physical quantities which form the foundation for other physical quantities.

of a substance.

DERIVED QUANTITIES

BASE QUANTITIES

Measuring is not simply counting. For example, if we need milk or sugar, we must also understand how much quantity of milk or sugar we are talking about. Thus, there is a need of some standard

1.3 INTERNATIONAL SYSTEM OF UNITS

talking about. Thus, there is a need of some standard quantities for measuring/comparing unknown quantities. Once a standard is set for a quantity then it

can be expressed in terms of that standard quantity.

This standard quantity is called a unit.

With the developments in the field of science

and technology, the need for a commonly acceptable system of units was seriously felt all over the world particularly to exchange scientific and technical information. The eleventh General Conference on Weight and Measures held in Paris in 1960 adopted a world-wide system of measurements called International System of Units. The International

BASE UNITS

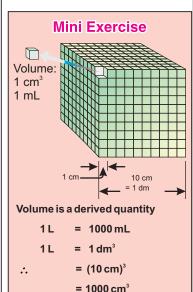
The units that describe base quantities are called base units. Each base quantity has its SI unit.

System of Units is commonly referred as SI.

quantities on the basis of which other quantities are expressed.

Base quantities are the

The quantities that are expressed in terms of base quantities are called derived quantities.



 \therefore 1 mL = 1 cm³

Express 1m3 in litres L

Table 1.1 shows seven base quantities, their SI units and their symbols.

Table 1.1: Base quantities, their SI units with symbols.

Table 1.1: Base quantities, their SI units with symbols

Quantity		Unit		
Name	Symbol	Name	Symbol	
Length	1	metre	m	
Mass	m	kilogramme	kg	
Time	t	second	s	
Electric current	1	ampere	Α	
Intensity of light	L	candela	cd	
Temperature	Τ	kelvin	К	
Amount of a substance	n	mole	mol	

DERIVED UNITS

are called derived units. Derived units are defined in terms of base units and are obtained by multiplying or dividing one or more base units with each other. The unit of area (metre)² and the unit of volume (metre)³ are based on the unit of length, which is metre. Thus the unit of length is the base unit while the unit of area and volume are derived units. Speed is defined as distance covered in unit time; therefore its unit is metre per second. In the same way the unit of density, force, pressure, power etc. can be derived using one or more base units. Some derived units and their

The units used to measure derived quantities

symbols are given in the Table 1.2.

Table 1.2: Derived quantities and their SI units with symbols

Table 1.2. Delived qualitates and their or anno with symbols				
Quantity		Unit		
Name	Symbol	Name	Symbol	
Speed	v	metre per second	ms ⁻¹	
Acceleration	а	metre per second per second	ms ⁻²	
Volume	V	cubic metre	m ³	
Force	F	newton	N or (kg m s ⁻²)	
Pressure	P	pascal	Pa or (N m ⁻²)	
Density	ρ	kilogramme per cubic metre	kg m ⁻³	
Charge	Q	coulomb	C or (As)	

F	Physics IX 7 Un	it 1: Ph	nysical Qua	antities and	Measurement
	QUICK QUIZ				
	How can you differentiate between base and derived quantities?				
	Identify the base quantity in the following: (i) Speed (ii) Area (iii) Force (iv) Distance				
	3. Identify the following as base or derived quantity:		Table 1	.3: Some	Prefixes
	density, force, mass, speed, time, length,		Prefix	Symbol	Multiplier
	temperature and volume.		exa	E	10 ¹⁸
ا		_	peta	Р	10 ¹⁵
1	.4 PREFIXES		tera	Т	10 ¹²
	Some of the quantities are either very large of	r	giga	G	10 ⁹
VE	ery small. For example, 250 000 m, 0.002 W and		mega	М	10 ⁶
	.000 002 g, etc. SI units have the advantage that thei		kilo	k	10 ³
Ι.			hecto	h	10 ²

Thus

0.0multiples and sub-multiples can be expressed in terms of prefixes. Prefixes are the words or letters added before SI units such as kilo, mega, giga and milli. These prefixes are given in Table 1.3. The prefixes are useful to express very large or small quantities. For example, divide 20,000 g by 1000 to express it into kilogramme, since kilo represents 10³ or 1000.

 $20,000 \text{ g} = 20 \times 10^3 \text{ g} = 20 \text{ kg}$ or

 $20,000 \text{ g} = \frac{20,000}{1000} \text{ kg} = 20 \text{ kg}$

Table 1.4 shows some multiples and submultiples of length. However, double prefixes are not used. For example, no prefix is used with kilogramme since it already contains the prefix kilo. Prefixes given in

Table 1.3 are used with both types base and derived units. Let us consider few more examples:

(I)	200 000 ms ⁻¹	$= 200 \times 10^3 \text{ms}^{-1}$	=200kms ⁻¹	
(ii)	4 800 000 W	$=4800x10^3W$	=4 800 kW	

 $=4.8 \times 10^{6} \text{W}$

(iii) $3\,300\,000\,000\,Hz = 3\,300x10^6\,Hz$

=4.8 MW

=3300 MHz

10¹ deca da 10^{-1} deci d 10^{-2} centi 10^{-3} milli m

μ

p

а

micro

nano

pico

atto

femto

10⁻⁶

10⁻⁹

 10^{-12}

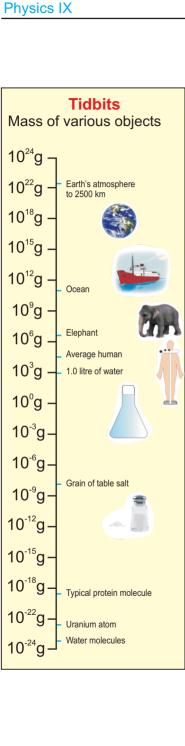
10⁻¹⁵

 10^{-18}

sub-multiples of length			
1 km	10 ³ m		
1 cm	10 ⁻² m		
1 mm	10 ⁻³ m		
1 µm	10 ⁻⁶ m		

1 nm

10⁻⁹ m



expressed as **62.75x10**³ or **6.275x10**⁴ or **0.6275x10**⁵. All these are correct. But the number that has one non-zero digit before the decimal i.e. **6.275x10**⁴ preferably be

taken as the standard form. Similarly the standard form of

For example, a number 62750 can be

1.5 SCIENTIFIC NOTATION

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numbers of zeros. Thus

 $0.00045 \, s$ is $4.5 \times 10^{-4} \, s$.

(iv) 0.00002 a

20x10⁻⁶a

A simple but scientific way to write large or small numbers is to express them in some power of ten.

The Moon is 384000000 metres away from the Earth.

= 20 ua

(v) $0.000\,000\,0081$ m = $0.0081\,x10^{-6}$ m = $8.1x10^{-9}$ m = 8.1nm

 $= 3.3 \times 10^3 \text{ MHZ}$

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 $=0.02x10^{-3}a$

 $= 3.3 \, \text{Ghz}$

The Moon is 384000000 metres away from the Earth.

Distance of the moon from the Earth can also be

expressed as 3.84 x108 m. This form of expressing a

number is called the standard form or scientific notation. This saves writing down or interpreting large

In scientific notation a number is expressed as some power of ten multiplied by a number between 1 and 10.

Name five prefixes most commonly used.

from the Earth. Write this

- (a) as an ordinary whole number.
- (b) in scientific notation.
- 3. Write the numbers given below in scientific notation.

 (a) 3000000000 ms⁻¹

 (b) 6400000 m

 (c) 0.0000000016 g

 (d) 0.0000548 s

2. The Sun is one hundred and fifty million kilometres away

1.6 MEASURING INSTRUMENTS

various physical quantities such as length, mass, time, volume, etc. Measuring instruments used in the past were not so reliable and accurate as we use today. For example, sundial, water clock and other time measuring devices used around 1300 AD were quite crude. On the other hand, digital clocks and watches used now-a-days are highly reliable and accurate.

Here we shall describe some measuring instruments

Measuring instruments are used to measure

Hubble Space Telescope orbits around the Earth. It provides information about stars.

THE METRE RULE

used in Physics laboratory.

[§] induntinduntinduntinduntinduntinduntinduntinduntindunti

A metre rule is a length measuring instrument as

Figure 1.3: A metre rule

shown in figure 1.3. It is commonly used in the laboratories to measure length of an object or distance between two points. It is one metre long which is equal to 100 centimetres. Each centimetre (cm) is divided into 10 small divisions called millimetre (mm). Thus one millimetre is the smallest reading that can be taken using

While measuring length, or distance, eye must be kept vertically above the reading point as shown in figure 1.4(b). The reading becomes doubtful if the eye is positioned either left or right to the reading point.

THE MEASURING TAPE

inches

a metre rule and is called its least count.

Measuring tapes are used to measure length in metres and centimetres. Figure 1.5 shows a measuring tape used by blacksmith and carpenters. A measuring tape consists of a thin and long strip of cotton, metal or plastic generally 10 m, 20 m, 50 m or 100 m long. Measuring tapes are marked in centimetres as well as in

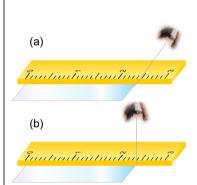


Figure 1.4: Wrong position of the eye to note the reading.

(b) Correct position of the eye to note the reading from a metre rule.

note the reading from a metre rule.

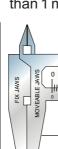


Figure 1.5: A measuring tape

The accuracy obtained in measurements using a

VERNIER CALLIPERS

metre rule is upto 1 mm. However an accuracy greater than 1 mm can be obtained by using some



سليبييييا

Outer jaws

2 3 4 5 6 7 8 9 10 11 12 cm . Vernier Scale

other instruments such as a Vernier Callipers. A Vernier

Callipers consists of two jaws as shown in figure 1.6. One

is a fixed jaw with main scale attached to it. Main scale

has centimetre and millimetre marks on it. The other jaw

is a moveable jaw. It has vernier scale having 10 divisions

over it such that each of its division is 0.9 mm. The

difference between one small division on main scale

division and one vernier scale division is 0.1 mm. It is called least count (LC) of the Vernier Callipers. Least count of the Vernier Callipers can also be found as given

1_{mm}

10 divisions

First of all find the error, if any, in the measuring

instrument. It is called the zero error of the instrument. Knowing the zero error, necessary correction can be made to find the correct measurement. Such a correction is called zero correction of the instrument. Zero

 $LC = 0.1 \, \text{mm}$

Working of a Vernier Callipers

correction is the negative of zero error.

Main Scale

smallest reading on main scale

no. of divisions on vernier scale

0.1 mm

= 0.01 cm

Figure 1.6: A Vernier Callipers with jaws closed

ruler. Which one is more accurate and why?

below:

Least count of Vernier Callipers

Hence

paper scale?

Mini Exercise Cut a strip of paper sheet.

Fold it along its length. Now

mark centimetres and half centimetre along its length

using a ruler. Answer the

1. What is the range of your

2. What is its least count? 3. Measure the length of a

following questions:

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pencil using your paper scale and with a metre

Zero Error and Zero Correction

Callipers gently. If zero line of the vernier scale coincides with the zero of the main scale then the zero error is zero (figure 1.7a). Zero error will exist if zero line of the vernier scale is not coinciding with the zero of main scale (figure 1.7b). Zero error will be positive if zero line of vernier scale is on the right side of the zero of the main scale and will be negative if zero line of vernier scale is on the left side of zero of the main scale (figure 1.7c).

To find the zero error, close the jaws of Vernier

Taking a Reading on Vernier Callipers

Let us find the diameter of a solid cylinder using Vernier Callipers. Place the solid cylinder between jaws of the Vernier Callipers as shown in figure 1.8. Close the jaws till they press the opposite sides of the object gently.

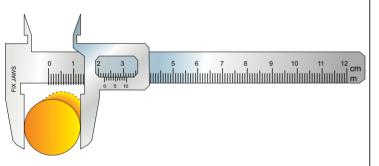
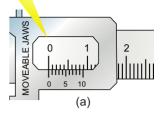


Figure 1.8: A cylinder placed between the outer jaws of Vernier Callipers.

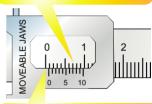
Note the complete divisions of main scale past the vernier scale zero in a tabular form. Next find thevernier scale division that is coinciding with any division on the main scale. Multiply it by least count of Vernier Callipers and add it in the main scale reading. This is equal to the diameter of the solid cylinder. Add zero correction (Z.C) to get correct measurement. Repeat the above procedure and record at least three observations with the solid cylinder displaced or rotated

each time.

There is no zero error as zero line of vernier scale is coinciding with the zero of main scale.



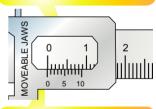
Zero error is (0+0.07) cm as 7th line of vernier scale is coinciding with one of the main scale division.



Zero error is positive as zero line of vernier scale is on the right side of the zero of the main scale.

(b)

Zero error is (-0.1+0.08) cm as 8th line of vernier scale is coinciding with main scale.



Zero error is negative as zero line of the vernier scale is on the left side of the main scale.

(c)

Figure 1.7: Zero Error

- (a) zero
- (b) + 0.07 cm
- © cm. -0.02

DIGITAL VERNIER

CALLIPERS

has greater precision than mechanical Vernier Callipers. Least count of Digital Vernier Callipers is 0.01 mm.

Digital Vernier Callipers

QUICK QUIZ 1. What is the least count of the Vernier Callipers?

- 2. What is the range of the Vernier Callipers used in your Physics laboratory?
- 3. How many divisions are there on its vernier scale? 4. Why do we use zero correction?

EXAMPLE 1.1 Find the diameter of a cylinder placed between

the outer jaws of Vernier Callipers as shown in figure 1.8.

 $= 7 \times 0.01 \, \text{cm}$ $= 0.07 \, \text{cm}$

= +0.07 cm

 $= -0.07 \, \text{cm}$

= 2.2 cm

= 6 div.

 $= 6 \times 0.01 \, \text{cm}$

=0.0 cm + 0.07 cm

SOLUTION

Zero correction On closing the jaws of Vernier Callipers, the position of

vernier scale as shown in figure 1.7(b). Main scale reading $= 0.0 \, \text{cm}$

Vernier division coinciding with main scale = 7 div. Vernier scale reading

Zero error zero correction (Z.C)

Diameter of the cylinder

Main scale reading

(when the given cylinder is kept between the jaws of the Vernier Callipers as shown in

figure 1.8). Vernier div. coinciding with main

scale div.

Vernier scale reading

 $= 0.06 \, \text{cm}$ Observed diameter of the cylinder = 2.2 cm + 0.06 cm $= 2.26 \, cm$

Correct diameter of the cylinder = 2.26 cm - 0.07 cm $= 2.19 \, cm$

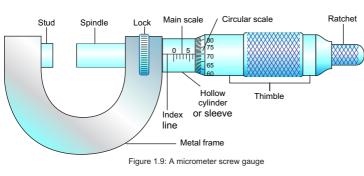
Thus, the correct diameter of the given cylinder as found by Vernier Callipers is 2.19 cm.

SCREW GAUGE A screw gauge is an instrument that is used to

measure small lengths with accuracy greater than a Vernier Calliper. It is also called as micrometer screw gauge. A simple screw gauge consists of a U-shaped

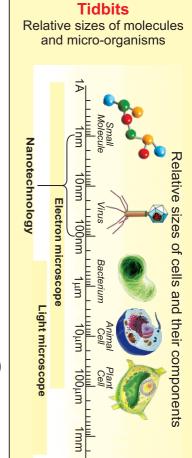
metal frame with a metal stud at its one end as shown in figure 1.9. A hollow cylinder (or sleeve) has a millimetre scale over it along a line called index line parallel to its

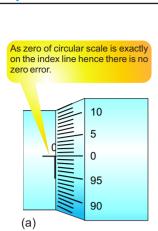
axis. The hollow cylinder acts as a nut. It is fixed at the end of U-shaped frame opposite to the stud. A Thimble has a threaded spindle inside it. As the thimble completes one rotation, the spindle moves 1 mm along the index line. It is because the distance between consecutive threads on the spindle is 1 mm. This distance is called the pitch of screw on the spindle.



The thimble has 100 divisions around its one end. It is the circular scale of the screw gauge. As thimble

completes one rotation, 100 divisions pass the index line and the thimble moves 1 mm along the main scale. Thus each division of circular scale crossing the index line moves the thimble through 1/100 mm or 0.01 mm on the main scale. Least count of a screw gauge can also be found as given below:

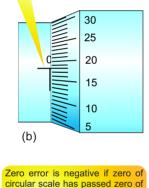


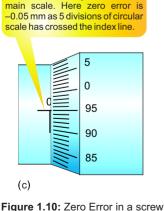


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circular scale has not reached zero of main scale. Here zero error is +0.18 mm as 18th division on circular scale is before the index line.

Zero error is positive if zero of





gauge: (a) zero (b) + 0.18 mm (c) -0.05 mm.

Thus least cour

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Thus least count of the screw gauge is 0.01 mm

or 0 001 cm

WORKING OF A SCREW GAUGE

1_{mm}

The first step is to find the zero error of the screw gauge.

ZERO ERROR

= 0.01 mm = 0.001 cm

Unit 1: Physical Quantities and Measurement

To find the zero error, close the gap between the

spindle and the stud of the screw gauge by rotating the ratchet in the clockwise direction. If zero of circular scale coincides with the index line, then the zero error will be zero as shown in figure 1.10(a).

Zero error will be positive if zero of circular scale is behind the index line. In this case, multiply the number of divisions of the circular scale that has not crossed the index line with the least count of screw gauge to find zero error as shown in figure 1.10(b).

Zero error will be negative if zero of circular scale has crossed the index line. In this case, multiply the number of divisions of the circular scale that has crossed the index line with the least count of screw gauge to find the negative zero error as shown in figure 1.10(c).

EXAMPLE 1.2

Find the diameter of a wire using a screw gauge.

SOLUTION

The diameter of a given wire can be found as follows:

- (i) Close the gap between the spindle and the stud of the screw gauge by turning the ratchel in the clockwise direction
- in the clockwise direction.

 (ii) Note main scale as well as circular scale readings to find zero error and hence zero

correction of the screw gauge.

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Circular scale reading is 85 div. multiply it by 0.01 mm. This is Wire placed between the gap equal to 0.85 mm. 95 90 85 80 precise and why?

> Main scale reading (leaving the fractional part) is 1 mm.

Figure 1.11: Measuring the diameter of a wire using micrometer screen gauge. (iv) Note main scale as well as circular scale

(iii) Open the gap between stud and spindle of the screw

gauge by turning the ratchet in anti clockwise

direction. Place the given wire in the gap as shown in

figure 1.11. Turn the ratchet so that the object is

pressed gently between the studs and the spindle.

Apply zero correction to get the correct (v) diameter of the wire.

readings to find the diameter of the given

(vi) Repeat steps iii, iv and v at different places of the wire to obtain its average diameter.

Zero correction

Zero correction Z.C.

gauge)

wire.

Closing the gap of the screw gauge (figure 1.12). Main scale reading $= 0 \, \text{mm}$ Gircular scale reading $= 24 \times 0.01$

Zero error of the screw gauge = + 0.24 mm

= -0.24 mm

= 0 mm + 0.24 mm

Diameter of the wire (figure 1.11)

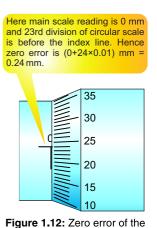
 $= 1 \, \text{mm}$

Main scale reading (when the given wire is pressed by the stud and spindle of the screw

1. What is the least count of

Mini Exercise

- a screw gauge? 2. What is the pitch of your
- laboratory screw gauge? 3. What is the range of your laboratory screw gauge?
- 4. Which one of the two instruments is more



screw gauge

USEFUL INFORMATION

Least count of ruler is 1

mm. It is 0.1 mm for Vernier Callipers and 0.01mm for micrometer screw gauge. Thus measurements taken

by micrometer screw gauge are the most precise than the other two.

Physics IX	16 Unit 1: F	Unit 1: Physical Quantities and Measurement
	·	

No. of divisions on circular scale

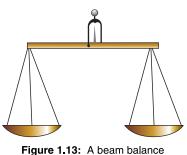
Circular scale reading	= 85x0.01 mm
	= 0.85 mm
Observed diameter of the given wire	=1mm+0.85 mm
	= 1.85 mm
Correct diameter of the given wire	= 1.85 mm - 0.24 mm
	= 1.61 mm
Thus diameter of the given wire is 1.61 mm	

 $= 85 \, \text{div}.$

Thus diameter of the given wire is 1.61 mm.

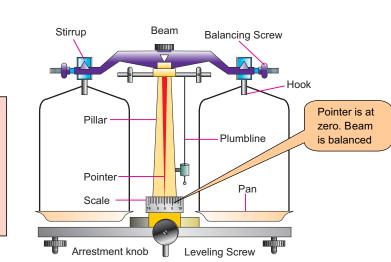
MASS MEASURING INSTRUMENTS

Pots were used to measure grain in various part of the world in the ancient times. However, balances were also in use by Greeks and Romans. Beam balances such as shown in figure 1.13 are still in use at many places. In a beam balance, the unknown mass is placed in one pan. It is balanced by putting known masses in the other pan. Today people use many types of mechanical and electronic balances. You might have seen electronic balances in sweet and grocery shops. These are more precise than beam balances and are easy to handle.



PHYSICAL BALANCE

A physical balance is used in the laboratory to measure the mass of various objects by comparison. It consists of a beam resting at the centre on a fulcrum



What is the function of balancing screws in a physical balance?

Mini Exercise

2. On what pan we place the object and why?

Figure 1.14: A physical balance

plumbline to level the platform of physical balance. Raise the beam gently by turning the arresting knob (ii) clockwise. Using balancing screws at the ends of its beam, bring the pointer at zero position.

Adjusting the levelling screws with the help of

Find the mass of a small stone by a physical balance.

Follow the steps to measure the mass of a given object.

as shown in the figure 1.14. The beam carries scale pans

over the hooks on either side. Unknown mass is placed

on the left pan. Find some suitable standard masses that cause the pointer to remain at zero on raising the beam. as shown in the figure 1.14. The beam carries scale pans over the hooks on either side. Unknown mass is placed on the left pan. Find some suitable standard masses that cause the pointer to remain at zero on raising the beam.

(iii) Turn the arresting knob to bring the beam back on its supports. Place the given object (stone) on its left pan.

(iv) Place suitable standard masses from the weight box on the right pan. Raise the beam. Lower the beam if its pointer is not at zero.

Repeat adding or removing suitable standard

masses in the right pan till the pointer rests at zero on raising the beam.

(vi) Note the standard masses on the right pan. Their sum is the mass of the object on the left pan.

LEVER BALANCE

Physics IX

EXAMPLE 1.3

SOLUTION

(i)

(v)

A lever balance such as shown in figure 1.15 consists of a system of levers. When lever is lifted placing the object in one pan and standard masses on the other pan, the pointer of the lever system moves. The pointer is brought to zero by varying standard masses.



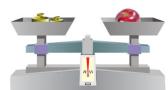


Figure 1.15: A lever balance



Physics IX

USEFUL INFORMATION

balance in measuring mass of

The precision of a

an object is different for different balances. A sensitive balance cannot measure large masses. Similarly, a balance that measures large masses cannot be sensitive.

measure even smaller difference of the order of 0.0001g or 0.1 mg. Such balances are considered the most precise balance.

Some digital balances



Figure 1.17: A mechanical stopwatch

ELECTRONIC BALANCE

Electronic balances such as shown in figure 1.16 come in various ranges; milligram ranges, gram ranges and kilogramme ranges. Before measuring the mass of a

body, it is switched ON and its reading is set to zero. Next place the object to be weighed. The reading on the balance gives you the mass of the body placed over it.

The most Accurate Balance

The mass of one rupee coin is done using different balances as given below:

(a) Beam Balance

Let the balance measures coin's mass = 3.2 g

A sensitive beam balance may be able to detect a change as small as of 0.1 g Or 100 mg.

(b) Physical Balance

Let the balance measures coin's mass = 3.24 g

Least count of the physical balance may be as small as 0.01 g or 10 mg. Therefore, its measurement would be

more precise than a sensitive beam balance.

(c) Electronic Balance

Let the balance measures coin's mass = 3.247 g Least count of an electronic balance is 0.001 g or 1 mg.

Therefore, its measurement would be more precise than a sensitive physical balance. Thus electronic balance is the most sensitive balance in the above balances.

STOPWATCH

A stopwatch is used to measure the time interval of an event. There are two types of stopwatches; mechanical and digital as shown in figure 1.17 and 1.18.

A mechanical stopwatch can measure a time interval up to a minimum 0.1 second. Digital stopwatches commonly used in laboratories can measure a time interval as small

as 1/100 second or 0.01 second

How to use a Stopwatch

A mechanical stopwatch has a knob that is used to wind the spring that powers the watch. It can also be used as a start-stop and reset button. The watch starts when the knob is pressed once. When pressed second time, it stops the watch while the third press brings the needle back to zero position.

The digital stopwatch starts to indicate the time lapsed as the start/stop button is pressed. As soon as start/stop button is pressed again, it stops and indicates the time interval recorded by it between start and stop of an event. A reset button restores its initial zero setting.

MEASURING CYLINDER

A measuring cylinder is a glass or transparent plastic cylinder. It has a scale along its length that indicates the volume in millilitre (mL) as shown in figure 1.19. Measuring cylinders have different capacities from 100 mL to 2500 mL. They are used to measure the volume of a liquid or powdered substance. It is also used to find the volume of an irregular shaped solid insoluble in a liquid by displacement method. The solid is lowered into a measuring cylinder containing water/liquid. The level of water/liquid rises. The increase in the volume of water/liquid is the volume of the given solid object.

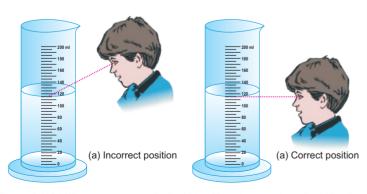


Figure 1.19(a) Wrong way to note the liquid level keeping eye above liquid level, (b) correct position of eye to note the liquid level keeping eye at liquid level.



Figure 1.18: A digital stopwatch

LABORATORY SAFETY **EQUIPMENTS**

A school laboratory must have safety equipments such as:

- Waste-disposal basket
- Fire extinguisher.
- Fire alarm.
- First Aid Box.
- Sand and water buckets.
- · Fire blanket to put off fire.
- Substances and equipments that need extra care must bear proper warning signs such as given below:







General danger







Flammable

Explosive

Electric hazard

20 **Unit 1: Physical Quantities and Measurement**

The students should know what to

While using a measuring cylinder, it must be kept

vertical on a plane surface. Take a measuring cylinder.

while the meniscus of mercury curves upwards. The

correct method to note the level of a liquid in the cylinder

Measuring cylinder can be used to find the

volume of a small irregular shaped solid that sinks in

water. Let us find the volume of a small stone. Take some

HOW TO USE A MEASURING CYLINDER

Place it vertically on the table. Pour some water into it. Note that the surface of water is curved as shown in figure 1.19. The meniscus of the most liquids curve downwards

is to keep the eye at the same level as the meniscus of the liquid as shown in figure 1.19(b). It is incorrect to note the liquid level keeping the eye above the level of liquid as shown in figure 1.19 (a). When the eye is above the liquid level, the meniscus appears higher on the scale. Do not carry out any experiment Similarly when the eye is below the liquid level, the meniscus appears lower than actual height of the liquid.

Do not eat, drink, play or run in MEASURING VOLUME OF AN IRREGULAR SHAPED the laboratory. SOLID

> water in a graduated measuring cylinder. Note the volume V, of water in the cylinder. Tie the solid with a thread. Lower the solid into the cylinder till it is fully immersed in water. Note the volume V, of water and the

solid. Volume of the solid will be $V_t - V_t$.

1.7 SIGNIFICANT FIGURES The value of a physical quantity is expressed by a

number followed by some suitable unit. Every measurement of a quantity is an attempt to find its true value. The accuracy in measuring a physical quantity depends upon various factors:

- + the quality of the measuring instrument
 - + the skill of the observer
 - + the number of observations made

For example, a student measures the length of a book as 18 cm using a measuring tape. The numbers of significant figures in his/her measured

without the permission of your teacher.

Physics IX

aiven below:

LABORATORY SAFETY RULES

do in case of an accident. The

charts or posters are to be

displayed in the laboratory to

handle situations arising from any

mishap or accident. For your own

safety and for the safety of others in

the laboratory, follow safety rules

> Read the instructions carefully to familiarize yourself with the possible hazards before handling equipments and

materials. Handle equipments and materials with care. Do not hesitate to consult your

teacher in case of any doubt. Do not temper with the electrical appliances and other fittings in the laboratory.

> Report any accident or injuries immediately to your teacher.

value are two. The left digit 1 is the accurately known digit. While the digit 8 is the doubtful digit for which the student may

Physics IX

(ii)

not be sure.

Another student measures the same book using a

ruler and claims its length to be 18.4 cm. In this case all the

three figures are significant. The two left digits 1 and 8 are

accurately known digits. Next digit 4 is the doubtful digit for which the student may not be sure.

A third student records the length of the book as

same ruler. The numbers of significant figures is again three; consisting of two accurately known digits 1, 8 and the first doubtful digit 4. The digits 2 and 5 are not significant. It is because the reading of these last digits cannot be justified using a ruler. Measurement upto third or even second decimal

18.425 cm. Interestingly, the measurement is made using the

using better instrument increases the significant figures in the measured result. The significant figures are all the digits that are known accurately and the one estimated digit. More significant figure means greater precision. The following rules are helpful in identifying significant figure:

An improvement in the quality of measurement by

(i) Non-zero digits are always significant.

place is beyond the limit of the measuring instrument.

also significant.

(iii) Final or ending zeros on the right i

Zeros between two significant figures are

- (iii) Final or ending zeros on the right in decimal fraction are significant.
- (iv) Zeros written on the left side of the decimal point for the purpose of spacing the decimal point are not significant.
- (v) In whole numbers that end in one or more zeros without a decimal point. These zeros may or may not be significant. In such cases, it is not clear which zeros serve to

RULES TO FIND THE SIGNIFICANT DIGITS IN A MEASUREMENT

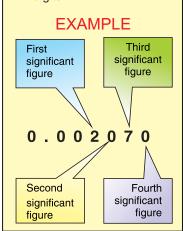
- (i) Digits other than zero are always significant.27 has 2 significant digits.275 has 3 significant
- (ii) Zeros between significant digits are also significant.2705 has 4 significant

digits.

digits.

- (iii) Final zero or zeros after decimal are significant.275.00 has 5 significant digits.
- (iv) Zeros used for spacing the decimal point are not significant. Here zeros are placeholders only.

0.03 has 1 significant digit.0.027 has 2 significant digits.



Physics IX	Unit 1: Physical Quantities and Measurement
	locate the position value and which are actually parts of the measurement. In such a case, express the quantity using scientific notation to find the significant zero.
	EXAMPLE 1.4
	Find the number of significant figures in each of the following values. Also express them in scientific notations.
Rounding the Numbers	a) 100.8 s b) 0.00580 km
(i) If the last digit is less than	c) 210.0 g
5 then it is simply dropped. This decreases the	SOLUTION
number of significant digits in the figure.	(a) All the four digits are significant. The zeros
For example,	between the two significant figures 1 and 8 are significant. To write the quantity in scientific
1.943 is rounded to 1.94 (3 significant figure)	notation, we move the decimal point two places to the left, thus
(ii) If the last digit is greater than 5, then the digit on	$100.8 \text{ s} = 1.008 \text{ x} 10^2 \text{ s}$
its left is increased by one. This also decreases	(b) The first two zeros are not significant. They are
the number of significant	used to space the decimal point. The digit 5,8 and
digits in the figure.	the final zero are significant. Thus there are three significant figures. In scientific notation, it can be
For example, 1.47 is rounded to two	written as 5.80x10 ⁻³ km.
significant digits 1.5	(c) The final zero is significant since it comes after
(iii) If the last digit is 5, then it is rounded to get	the decimal point. The zero between last zero and
nearest even number.	1 is also significant because it comes between

the significant figures. Thus the number of

significant figures in this case is four. In scientific

notation, it can be written as

 $210.0 g = 2.100 \times 10^{2} g$

nearest even number. For example, 1.35 is rounded to 1.4 and 1.45 is also rounded to 1.4

The words or letters added before a

unit and stand for the multiples or ub-

multiples of that unit are known as

prefixes. For example, kilo, mega,

Physics is a branch of Science that deals with matter, energy and their

- Some main branches of Physics are mechanics, heat, sound, light (optics), electricity and magnetism, nuclear physics and quantum
- Physics plays an important role in our daily life. For example, electricity is widely used
- everywhere, domestic appliances, office equipments, machines used in industry, means of transport and communication etc. work on the basic laws and principles of

Physics IX

relationship.

physics.

- Physics. → A measurable quantity is called a physical quantity.
 - Base quantities are defined independently. Seven quantities are selected as base quantities. These are length, time, mass, electric current, temperature, intensity of light and the amount of a substance.
 - The quantities which are expressed in terms of base quantities are called derived quantities. For example, speed,
 - area, density, force, pressure, energy, etc. A world-wide system measurements is known as international system of units (SI). In

SI, the units of seven base

quantities are metre, kilogramme,

second, ampere, kelvin, candela

and mole.

- milli, micro, etc.
 - A way to express a given number as a number between 1 and 10 multiplied by 10 having an appropriate power is called scientific notation or standard
 - form An instrument used to measure small lengths such as internal or external diameter or length of a cylinder, etc is called as Vernier Callipers.
 - A Screw gauge is used to measure small lengths such as diameter of a wire, thickness of a metal sheet, etc. Physical balance is a modified type of beam balance used to measure small
 - masses by comparison with greater accuracy. A stopwatch is used to measure the time interval of an event. Mechanical stopwatches have least count upto 0.1 seconds. Digital stopwatch of least count 0.01s are common.
 - A measuring cylinder is a graduated glass cylinder marked in millilitres. It is used to measure the volume of a an irregular shaped solid object.
 - liquid and also to find the volume of All the accurately known digits and the first doubtful digit in an expression are called significant figures. It reflects the precision of a measured

value of a physical quantity.

extent do you agree with it?

(b) area

(a) 1 cm

(c) 1.03 cm

to measure:

(a) mass

(c) volume

vii. A student claimed the diameter 1.1 Encircle the correct answer from the given choices. of a wire as 1.032 cm using Vernier Callipers. Upto what The number of base units in SI

are: (a) 3 (b)6 (c)7(d)9

Physics IX

ii.

Which one of the following unit is not a derived unit? (a) pascal (b) kilogramme

(c) newton (d) watt

iii. Amount of a substance in terms of numbers is measured in: (b) kilogramme (a) gram

(c) newton (d) mole iv. An interval of 200 u s is equivalent to

(c) $2x10^{-4}$ s (d) 2x10⁻⁶s Which one of the following is the V. smallest quantity?

(a) 0.2 s

(a) 0.01 q (b) 2 mg (c) 100 u q (d) 5000 ng

vi. Which instrument is most

diameter of a test tube?

suitable to measure the internal (a) metre rule

(b) Vernier Callipers (c) measuring tap

(d) screw gauge

(b) 0.02 sthickness is: (a) 3.8 cm

> expression are: (a)

(c) 3.8 mm

(b) (c)

and the first doubtful digit (d) all the accurately known and all the doubtful digits

1.2 What is the difference between base

quantities and derived quantities? Give three examples in each case.

all the digits all the accurately known digits all the accurately known digits

(d) 3.08 m x. Significant figures in an

division on the circular scale coincides with index line. Its (b) 3.08 mm

reads 3 divisions while 8th

of a glass sheet using a screw gauge. On the main scale, it

(d) level of a liquid X. A student noted the thickness

viii. A measuring cylinder is used

(b) 1.0 cm

(d) 1.032 cm

Physics IX	25	Unit 1: Physical Quantities and Measurement
1.3 Pick out the base units in the following: joule, newton, kilogramme, hertz, mole, ampere, metre, kelvin, coulomb and watt.	1.9	Why is the use of zero error necessary in a measuring instrument? What is a stopwatch? What is the
1.4 Find the base quantities involved in each of the following derived quantities:		least count of a mechanical stopwatch you have used in the laboratories?
(a) speed (b) volume (c) force (d) work 1.5 Estimate your age in seconds.	1.11	Why do we need to measure extremely small interval of times?
1.6 What role SI units have played in the development of science?	1.12	What is meant by significant figures of a measurement?
1.7 What is meant by vernier constant?	1.13	How is precision related to the significant figures in a measured
1.8 What do you understand by the zero error of a measuring instrument?		quantity?
PR	OBLE	MS
1.1 Express the following quantities using prefixes. (a) 5000 g (b) 2000 000 W (b) 52 x10 ⁻¹⁰ kg (c) 225x10 ⁻⁸ s {(a) 5 kg (b)2MW (c) 5.2 ug (d) 2.25 us }	(;	Rewrite the following in standard form. (a) 1168x10 ⁻²⁷ (b) 32x10 ⁻⁵ (c) 725x10 ⁻⁵ kg (d) 0.02 x10 ⁻⁸ ((a) 1.168x10 ⁻²⁴ (b) 3.2x10 ⁶ (c) 7.25g (d) 2x10 ⁻¹⁰ } Write the following quantities in standard form.
1.2 How do the prefixes micro nano and pico relate to each other?	1	(a) 6400 km (b) 380 000 km (c) 300 000 000 ms ⁻¹
1.3 Your hair grow at the rate of 1 mm per day. Find their growth rate in nm s ⁻¹ . (11.57 nm s ⁻¹)	·	(d) seconds in a day [(a) 6.4x10³ km (b) 3.8x10⁵ km (c) 3x10⁵ms1 (d) 8.64x10⁴s}

Phys	sics IX	26	Unit 1: Physical Quar	ntities and Measurement
1.6	On closing the jaws of a Vern	ier	(a) 3 0066 m	(b) 0 00300 ka
	Callipers, zero of the vernier scale		(a) 3.0066 m	(b) 0.00309 kg
	on the right to its main scale su	ch	(c) 5.05x10 ⁻²⁷ kg	(d) 301.0 s
	that 4th division of its vernier sca			{(b) and (c)}
	coincides with one of the main sca division. Find its zero error and ze correction.	4.0	What are the sig the following mea	•
	(+0.04 cm, -0.04 c	m)	(a) 1.009 m	(b) 0.00450 kg
	(,	(c) 1.66x10 ⁻²⁷ kg	(d) 2001 s
1.7	A screw gauge has 50 divisions its circular scale. The pitch of t		{(a) 4	4 (b) 3 (c) 3 (d) 4}
	screw gauge is 0.5 mm. What is least count?	its 1.10	A chocolate wra	
	least count?		long and 5.4 cm	
	(0.001 c	m)	its area upto number of signific	
1.8	Which of the following quantities there are significant figures?	es		(36 cm2)
	have three significant figures?			

Unit 2

Kinematics

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- describe using examples how objects can be at rest and in motion simultaneously.
- identify different types of motion i.e. translator/, (linear, random, and circular); rotatory and vibratory motions and distinguish among them.
- differentiate with examples between distance and displacement, speed and velocity.
- differentiate with examples between scalar and vector quantities.
- represent vector quantities by drawing.
- define the terms speed, velocity and acceleration.
- plot and interpret distance-time graph and speed-time graph.
- determine and interpret the slope of distancetime and speed-time graph.
- determine from the shape of the graph, the state of a body
 - i. at rest
 - ii. moving with constant speed
 - iii. moving with variable speed.





This unit is built on Force and Motion

- Science-IV

This unit leads to: Motion and force

- Physics-X

Physics IX	28 Unit 2: Kinematics
Major Concepts	calculate the area under speed-time graph to determine the distance travelled by the moving body.
 2.1 Rest and motion 2.2 Types of motion (Translator/, rotatory, vibratory) 2.3 Terms associated with motion; • Position • Distance and 	 derive equations of motion for a body moving with uniform acceleration in a straight line using graph. solve problems related to uniformly accelerated motion using appropriate equations. solve problems related to freely falling bodies using 10 ms² as the acceleration due to
displacement • Speed and velocity	gravity.
Acceleration	INVESTIGATION SKILLS:
2.4 Scalars and vectors	The students will be able to:
 2.5 Graphical analysis of motion; Distance-time graph Speed-timegraph 2.6 Equations of Motion; 	 demonstrate various types of motion so as to distinguish between translatory, rotatory and vibratory motions. measure the average speed of a 100 m sprinter.
• S = vt	SCIENCE, TECHNOLOGY AND SOCIETY CONNECTION:
 V_i = V_i + at S = V_it + ½ at² V_i² - V_i² = 2aS 	The students will be able to:
2.7 Motion due to gravity	list the effects of various means of transportation and their safety issues.
	the use of mathematical slopes (ramps) of graphs or straight lines in real life applications.
	interpret graph from newspaper, magazine regarding cricket and weather etc.
	The first thing concerning the motion of an object is its kinematics. Kinematics is the study of motion of an object without discussing the cause of motion. In this unit, we will study the types of motion, scalar and vector quantities, the relation between displacement, speed, velocity and acceleration; linear motion and equations of motion.

Physics IX 29 **Unit 2: Kinematics** 2.1 **REST AND MOTION**

We see various things around us. Some of them are at rest while others are in motion.

A body is said to be at rest, if it does not change its position with respect to its surroundings.

Surroundings are the places in its neighbourhood where

various objects are present. Similarly,

respect to its surroundings.

The state of rest or motion of a body is relative.

A body is said to be in motion, if it changes its position with



the bus are also moving with it.

For example, a passenger sitting in a moving bus is at rest because he/she is not changing his/her position with respect to other passengers or objects in the bus. But to an observer outside the bus, the passengers and the objects

inside the bus are in motion

22 TYPES OF MOTION

in the universe is in motion. However, different objects Figure 2.: A car and an aeroplane move differently. Some objects move along a straight line, linear motion. some move in a curved path, and some move in some other way. There are three types of motion.

If we observe carefully, we will find that everything

- (I) Translatory motion (linear, random and circular)
- (ii) Rotatory motion
- (iii)

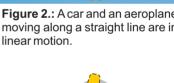


Figure 2.3: Translatory motion of an object along a curved path.

Vibratory motion (to and fro motion)

TRANSLATORY MOTION

motion.

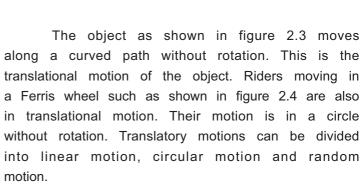
Watch how various objects are moving. Do they move along a straight line? Do they move along a circle? A car moving in a straight line has translational motion. Similarly, an aeroplane moving straight is in translational

In translational motion, a body moves along a line without any rotation. The line may be straight or curved.



Figure 2.4: Translatory motion of riders in Ferris wheel.

Physics IX



Unit 2: Kinematics



ball falling down.

LINEAR MOTION

30

straight and level road is linear motion. Straight line motion of a body is known as its linear

straight line. The motion of objects such as a car moving on a

We come across many objects which are moving in a

motion.

Aeroplanes flying straight in air and objects falling vertically

down are also the examples of linear motion. **CIRCULAR MOTION**

Figure 2.6: A stone tied at the

end of a string moves in a circle.

examples of circular motions.

A stone tied at the end of a string can be made to whirl. What type of path is followed by the stone? The stone as shown in figure 2.6, moves in a circle and thus has circular motion.



Figure 2.7: A toy train moving on a circular track.

The motion of an object in a circular path is known as circular motion.

Figure 2.7 shows a toy train moving on a circular track. A bicycle or a car moving along a circular track possesses circular motion. Motion of the Earth around the Sun and motion of the moon around the Earth are also the birds? Their movements are irregular.

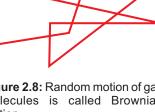
The disordered or irregular motion of an object is called

Have you noticed the type of motion of insects and

31

Thus, motion of insects and birds is random motion. The motion. The motion.

motion of dust or smoke particles in the air is also random motion. The Brownian motion of a gas or liquid molecules along a zig-zag path such as shown in figure 2.8 is also an example of random



Unit 2: Kinematics

Figure 2.8: Random motion of gas molecules is called Brownian motion.

ROTATORY MOTION

through the body itself.

motion.

Physics IX

RANDOM MOTION

Study the motion of a top. It is spinning about an axis.

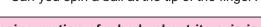
Particles of the spinning top move in circles and thus individual particles possess circular motion. Does the top possess circular

motion?

The top shown in figure 2.9 spins about its **axis** passing through it and thus it possesses rotatory motion. An **axis** is a line around which a body rotates. In circular motion, the point about

Can you spin a ball at the tip of the finger?

which a body goes around, is outside the body. In rotatory motion, the line, around which a body moves about, is passing



The spinning motion of a body about its axis is called its rotatory motion.

Can you point out some more differences in circular and rotatory motion?

The motion of a wheel about its axis and that of a steering wheel are the examples of rotatory motion. The motion of the Earth around the Sun is circular motion and not the





Figure 2.9: Rotatory motion

spinning motion. However, the motion of the Earth about its geographic axis that causes day and night is rotatory motion.

Think of some more examples of rotatory motion.

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motion of a child and a swing..



motion of the pendulum of a clock.

VIBRATORY MOTION Consider a baby in a swing

pushed, the swing moves back and forth about its mean position. The motion of the baby repeats from one extreme to the other extreme with the swing.

as shown in figure 2.10. As it is

To and fro motion of a body about its mean position is known as vibratory motion.

Figure 2.11 shows to and fro motion of the pendulum of a clock about its mean position, it is called vibratory motion. We can find many examples of vibratory motion around us. Look at the children in a see-saw as shown in figure 2.12. How the children move as they play the see-saw game? Do they

Mini Exercise 1. When a body is said to be at

rest?

- Give an example of a body
 that is at rest and is in
- 3. Mention the type of motion in each of the following:

motion at the same time.

- (i) A ball moving vertically upward.
- (ii) A child moving down a
- slide.

 (iii) Movement of a player in a
- football ground.

 (iv) The flight of a butterfly.
- (v) An athlete running in a circular track.
- (vi) The motion of a wheel.
- (vii) The motion of a cradle.



Figure 2.12: Vibratory motion of children in a see-saw.

A baby in a cradle moving to and fro, to and fro motion of the hammer of a ringing electric bell and the motion of the string of a sitar are some of the examples of vibratory motion.

2.3 **SCALARS AND VECTORS** In Physics, we come across various quantities such as mass, length, volume, density, speed and force etc. We divide them into scalars and vectors.

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SCALARS

Physics IX

A physical quantity which can be completely described by its magnitude is called a scalar. The magnitude of a quantity means its numerical value with an appropriate unit such as 2.5 kg, 40 s, 1.8 m, etc. Examples of scalars are mass, length, time, speed, volume, work and energy.

A scalar quantity is described completely by its magnitude only.

VECTORS A vector can be described completely

are velocity, displacement, force, momentum, torque, etc. It would be meaningless to describe vectors without direction. For example, distance of a place from reference point is insufficient to locate that place. The direction of that place from reference point is also

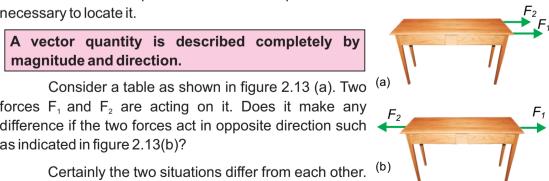
by magnitude along with its direction. Examples of vectors

necessary to locate it. A vector quantity is described completely by magnitude and direction.

Consider a table as shown in figure 2.13 (a). Two forces F₁ and F₂ are acting on it. Does it make any

as indicated in figure 2.13(b)? Certainly the two situations differ from each other.

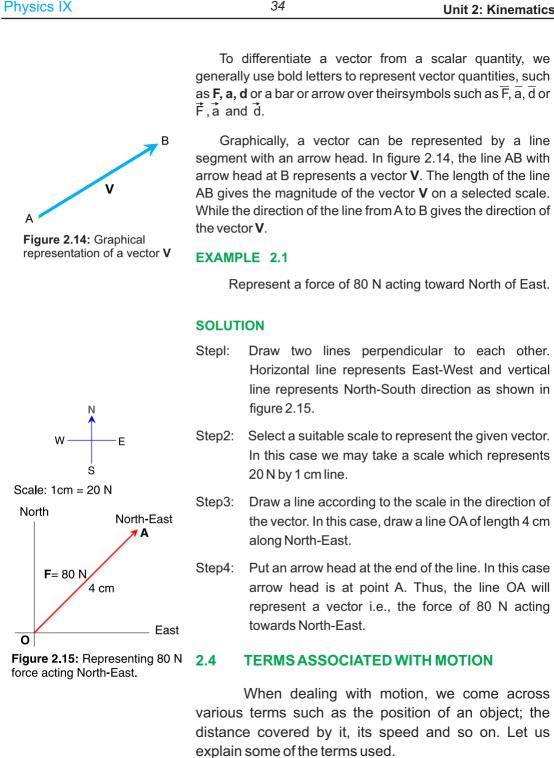
They differ due to the direction of the forces acting on the table. Thus the description of a force would be incomplete if direction is not given. Similarly when we say, we are direction. (b) acting in opposite



Unit 2: Kinematics

Figure 2.13: Two forces F, and F₂ (a) both acting in the same directions.

walking at the rate of 3 kmh⁻¹ towards north then we are talking about a vector.



your home. Let the school be represented by S and home by H. The position of your school from your home will be represented by a straight line HS in the direction from H to S as shown in

The term position describes the location of a place or a

Figure 2.17 shows a curved path. Let S be the length of

Consider a body that moves from point A to point B

the curved path between two points A and B on it. Then S is the

Length of a path between two points is called the

along the curved path. Join points A and B by a straight line. The

straight line AB gives the distance which is the shortest between A and B. This shortest distance has magnitude d and

point with respect to some reference point called origin. For example, you want to describe the position of your school from

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direction from point A to B. This shortest distance d in a particular direction is called displacement. It is a vector quantity and is represented by d.

Displacement is the shortest distance between two points which has magnitude and direction.

moving object?

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POSITION

figure 2.16.

DISTANCE AND DISPLACEMENT

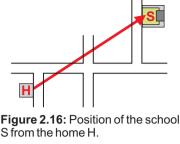
distance between points A and B.

distance between those points.

SPEED AND VELOCITY What information do we get by knowing the speed of a

Speed of an object is the rate at which it is moving. In other words, the distance moved by an object in unit time is its speed. This unit time may be a second, an hour, a day or a year.

The distance covered by an object in unit time is called its speed.



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S from the home H.

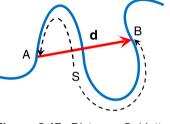
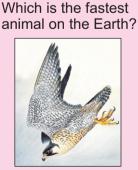


Figure 2.17: Distance S (dotted line) and displacement d (red line) from points A to B.

DO YOU KNOW?



Falcon can fly at a speed of 200 kmh⁻¹

Cheetah can run at a

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speed of 70 kmh"1. DO YOU KNOW?



A LIDAR gun is light detection and ranging speed gun. It uses the time taken by laser pulse to make a series of measurements of a vehicle's distance from the gun. The data

is then used to calculate the

vehicle's speed.



A paratrooper attains a uniform velocity called terminal velocity with which it comes to ground,

Here S is the distance covered by the object, v is its speed and t is the time taken by it. Distance is a scalar: therefore, speed is also a scalar. SI unit of speed is metre per second (ms⁻¹).

Distance = speed x time

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...(2.2)

distance covered

time taken

 $S = vt \dots \dots \dots \dots \dots (2.1)$

UNIFORM SPEED In equation 2.1, v is the average speed of a body

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or

Speed

during time f. It is because the speed of the body may be changing during the time interval t. However, if the speed of a body does not vary and has the same value then the body is said to possess uniform speed.

distances in equal intervals of time however short the interval may be.

VELOCITY

or

The velocity tells us not only the speed of a body but also the direction along which the body is moving. Velocity of a body is a vector quantity. It is equal to the displacement of a body in unit time.

The rate of displacement of a body is called its

A body has uniform speed if it covers equal

velocity. displacement = time taken Velocity

Here d is the displacement of the body moving with velocity \mathbf{v} in time t. SI unit of velocity is the same as speed i.e., metre per second (ms⁻¹).

UNIFORM VELOCITY

In equation 2.2, v is the average velocity of a body during time t. It is because the velocity of the

37	Unit 2: Kinematio
direction of a body does not change ssesses uniform velocity. That is the any interval of time has the same	e
its 100 metre race in 12s. Find its	5
	ring the time interval <i>t.</i> However, in direction of a body does not change ssesses uniform velocity. That is the any interval of time has the same hus velocity if it covers equal ntervals of time however short its 100 metre race in 12s. Find its

SO

Total distance

Total time taken = 12 s

Average speed =
$$\frac{\text{Total distance moved}}{\text{Total time taken}}$$

= $\frac{100 \,\text{m}}{12 \,\text{s}} = 8.33 \,\text{ms}^{-1}$

= 100 m

Thus the speed of the sprinter is 8.33 ms⁻¹.

EXAMPLE 2.3

A cyclist completes half round of a circular track of radius 318 m in 1.5 minutes. Find its speed and velocity.

Radius of track
$$r = 318 \text{ m}$$

Time taken $t = 1 \text{ min. } 30 \text{ s} = 90 \text{ s}$
Distance covered $= \pi \times \text{radius}$

Distance covered =
$$\pi \times \text{radius}$$

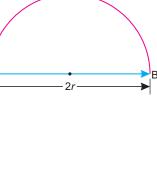
= 3.14 × 318 m = 999 m
Displacement = 2 r
= 2 × 318 m = 636 m
distance

time

<u>9</u>99 m

90s

speed



Unit 2: Kinematics displacement velocity time taken

$$= \frac{636 \,\mathrm{m}}{90 \,\mathrm{s}} = 7.07 \,\mathrm{ms}^{-1}$$
ed of the cyclist is 11.1 ms⁻¹ along the

Thus speed of the cyclist is 11.1 ms⁻¹ along the track and its velocity is about 7.1 ms⁻¹ along the diameter AB of the track.

ACCELERATION

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When does a body possess acceleration?

In many cases the velocity of a body changes due to a change either in its magnitude or direction or both. The change in the velocity of a body causes acceleration in it.

Acceleration is defined as the rate of change of velocity of a body.

Acceleration =
$$\frac{\text{change in velocity}}{\text{time taken}}$$

Acceleration = $\frac{\text{final velocity - initial velocity}}{\text{time taken}}$
 $\mathbf{a} = \frac{\mathbf{v_f - v_i}}{t} \dots \dots (2.3)$

Taking acceleration as a, initial velocity as V, final velocity as v, and t is the time interval. SI unit of acceleration is metre per second per second (ms⁻²).

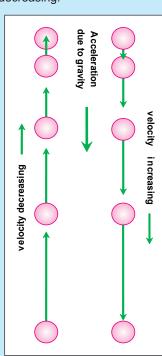
UNIFORM ACCELERATION

The average acceleration of a body given by equation 2.3 is a during time t. Let the time t is divided into many smaller intervals of time. If the rate of change of velocity during all these intervals remains constant then the acceleration a also remains constant. Such a body is said to possess uniform acceleration.

A body has uniform acceleration if it has equal changes in velocity in equal intervals of time however short the interval may be.



object is in the direction of velocity if its velocity is increasing. Acceleration of the object is opposite to the direction of velocity if its velocity is decreasing.



 $a = \frac{20 \text{ ms}^{-1} - 0 \text{ ms}^{-1}}{8 \text{ s}}$

EXAMPLE 2.5 Find the retardation produced when a car

Thus the acceleration of the car is 2.5 ms⁻²

moving at a velocity of 30 ms⁻¹ slows down uniformly

SOLUTION

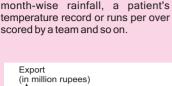
to 15 ms⁻¹ in 5s.

Initial velocity $v_i = 30 \text{ ms}^{-1}$ Final velocity $v_f = 15 \text{ ms}^{-1}$ Change in velocity = $v_f - v_i$

 $= 15 \text{ ms}^{-1} - 30 \text{ ms}^{-1}$ $= -15 \text{ ms}^{-1}$

Time taken t = 5 sa = ?

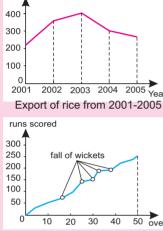
100 2002 2003 2004 quantity and the other quantity, the value of which varies Export of rice from 2001-2005 with the independent quantity is called the dependent runs scored 300 quantity. 250 fall of wickets DISTANCE-TIME GRAPH 200 150 100 It is useful to represent the motion of objects using 50 graphs. The terms distance and displacement are used 10 30 overs interchangeably when the motion is in a straight line. Similarly if Runs scored by a cricket team. the motion is in a straight line then speed and velocity are also d (m) used interchangeably. In a distance-time graph, time is taken 30 along horizontal axis while vertical axis shows the distance covered by the object. 20 **OBJECT AT REST** 10 by the object with time is zero. That is, the object is at rest. Thus 0 a horizontal line parallel to time axis on a distance-time graph Figure 2.18: Distance-time graph when the object is at shows that speed of the object is zero. rest. **OBJECT MOVING WITH CONSTANT SPEED** d(m)The speed of an object is said to be constant if it covers 40 30 20 10 graph Figure 2.19: Distance time graph showing constant speed.



DO YOU KNOW?

A graph may also be used in everyday life such as to show year-wise growth/decline of export,

Physics IX



 $a = \frac{-15 \text{ ms}^{-1}}{5 \text{ s}} = -3 \text{ ms}^{-2}$ or Since negative acceleration is called as deceleration.

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change in velocity

time interval

40

as

Acceleration

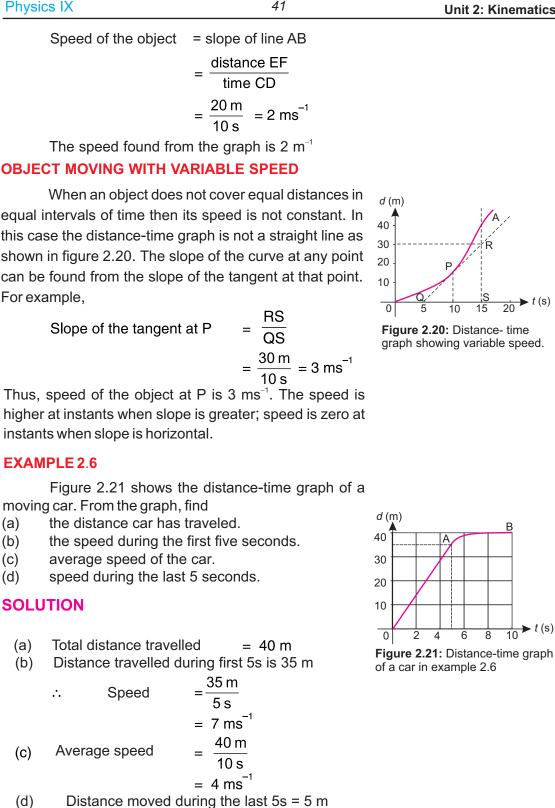
Thus deceleration of the car is 3 ms⁻².

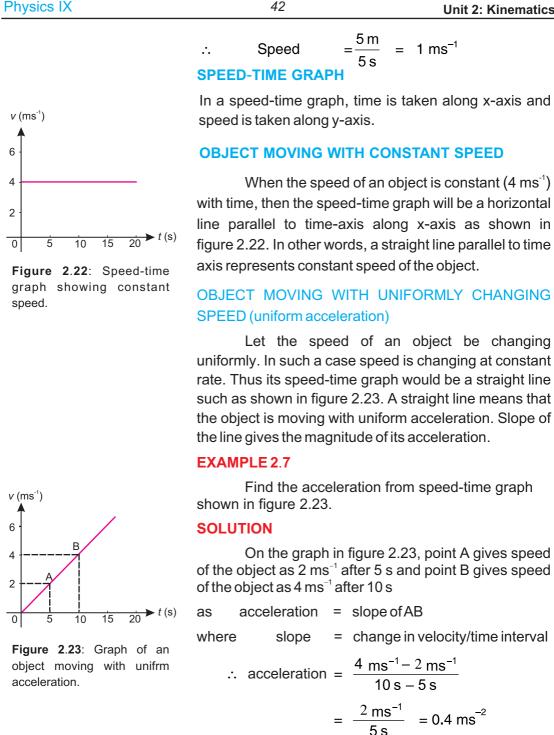
2.5 **GRAPHICAL ANALYSIS OF MOTION** Graph is a pictorial way of presenting information

about the relation between various quantities. The quantities between which a graph is plotted are called the variables. One of the quantities is called the independent

In the graph shown in figure 2.18, the distance moved

equal distances in equal intervals of time. The distance-time graph as shown in figure 2.19 is a straight line. Its slope gives the speed of the object. Consider two points A and B on the





acceleration of the object as 0.4 ms⁻². **EXAMPLE 2.8** $v (\text{ms}^{-1})$ Find the acceleration from speed-time graph shown in figure 2.24. 6 SOLUTION The graph in figure 2.24 shows that the speed of 2 the object is decreasing with time. The speed after 5s is 4 ms⁻¹ and it becomes 2 ms⁻¹ after 10 s. 0 acceleration = slope of CD as Figure 2.24: Graph of an object moving with uniform deceleration. $= \frac{2 \text{ ms}^{-1} - 4 \text{ ms}^{-1}}{10 \text{ s} - 5 \text{ s}}$ $=-\frac{2 \text{ ms}^{-1}}{5 \text{ s}}$ $=-0.4 \text{ ms}^{-2}$ Speed-time graph in figure 2.24 gives negative slope. Thus, the object has deceleration of 0.4 ms⁻². DISTANCE TRAVELLED BY A MOVING OBJECT The area under a speed-time graph represents the distance travelled by the object. If the motion is uniform then the area can be calculated using appropriate formula for geometrical shapes represented by the graph. **EXAMPLE 2.9** A car moves in a straight line. The speed-time v (ms⁻¹) graph of its motion is shown in figure 2.25.

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figure 2.23

gives

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Speed-time

graph

in

From the graph, find

(a) Its acceleration during the first 10 seconds.

(b) Its deceleration during the last 2 seconds.

(c) Total distance travelled. 20 Figure 2.25: Speed time graph (d) Average speed of the car during its journey. of a car during 30 seconds.

15

10

5-

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S	OLUTION	
(a) Acceleration during the	first 10 seconds
		nge in velocity time taken
	$= \frac{16 \text{ n}}{}$	ns ⁻¹ - 0 ms ⁻¹
	= 1.6 m	าร ⁻²
(I) Acceleration during the	
		s ⁻¹ - 16 ms ⁻¹ 2 s
	= - 8 m	าร ⁻²
(0	c) Total distance travelle	ed .
		a under the graph pezium OABC)
	$=\frac{1}{2}$ (su	m of parallel sides)×height
	$=\frac{1}{2}$ (18	8 s+30 s)×(16 ms ⁻¹)
	$=\frac{1}{2}(48)$	8 s)×(16 ms ⁻¹)
	= 384	m
((d) Average speed = Tota	al distance covered Time taken
	$=\frac{384}{30}$	$\frac{m}{s}$ = 12.8 ms ⁻¹

2.6 EQUATIONS OF MOTION

There are three basic equations of motion for

bodies moving with uniform acceleration. These equations relate initial velocity, final velocity, acceleration, time and distance covered by a moving body. To simplify the derivation of these equations, we

assume that the motion is along a straight line. Hence, we consider only the magnitude of displacements, velocities, and acceleration. Consider a body moving with initial velocity v, in a straight line with uniform acceleration a. Its

velocity becomes v, after time t. The motion of body is described by speed-time graph as shown in figure 2.26 by

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Area = $v_i \times t$

Figure 2.26: Speed-time graph.

Area under the graph gives the distance covered by the body.

line AB. The slope of line AB is acceleration a. The total distance covered by the body is shown by the shaded area under the line AB. Equations of motion can be obtained easily from this graph. FIRST EQUATION OF MOTION Speed

Speed-time graph for the motion of a body is

shown in figure 2.26. Slope of line AB gives the acceleration a of a body.

Slope of line AB = $a = \frac{BC}{AC} = \frac{BD-CD}{OD}$

as

Area of

Area of

triangle ABC

 $BD = v_t$, $CD = v_i$ and OD = t

Hence $a = \frac{V_f - V_i}{t}$ $v_f - v_i = at$... (2.4) or

 $V_f = V_i + at$... (2.5) SECOND EQUATION OF MOTION

In speed-time graph shown in figure 2.26, the

total distance S travelled by the body is equal to the total area OABD under the graph. That is

Total distance S= area of (rectangle OACD + triangle

ABC)

rectangle OACD $= v_i \times t$

$$=\frac{1}{2}$$
 (AC × BC)

 $= OA \times OD$

$$=\frac{1}{2}t\times at$$

Since Total area = area of rectangle OACD + area of triangle ABC OABD

Multiply both sides by
$$\frac{DO}{OD}$$
, w

OABD under the graph. Total area OABD = $S = \frac{OA + BD}{2} \times OD$ $2S = (OA + BD) \times OD$

THIRD EQUATION OF MOTION

 $S = v_i t + \frac{1}{2} t \times at$

 $S = v_i t + \frac{1}{2} a t^2 \dots \dots \dots \dots \dots (2.6)$

In speed-time graph shown in figure 2.26, the total

distance S travelled by the body is given by the total area

or Multiply both sides by $\frac{BC}{OD}$, we get: $(\because \frac{BC}{OD} = a)$ $2S \times \frac{BC}{OD} = (OA + BD) \times OD \times \frac{BC}{OD}$

 $2S \times \frac{BC}{OD} = (OA + BD) \times BC \dots (2.7)$

Putting the values in the above equation 2.7, we get $2S \times a = (v_i + v_f) \times (v_f - v_i)$ $2aS = v_f^2 - v_i^2 \dots \dots (2.8)$

EXAMPLE 2.10

A car travelling at 10 ms⁻¹accelerates uniformly at 2 ms⁻². Calculate its velocity after 5 s.

SOLUTION

t = 5s

 $v_i = 10 \text{ ms}^{-1}$ $a = 2 \text{ ms}^{-2}$

 $v_f = 10 \text{ ms}^{-1} + 2 \text{ ms}^{-2} \times 5 \text{ s}$

Using the equation (2.5), we get

 $V_f = V_i + at$

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or $v_f = 20 \text{ ms}^{-1}$	
The velocity of the car after 5 s is 20 ms	
EXAMPLE 2.11	
A train slows down from 80 kmh ⁻¹ with a uni	form
retardation of 2 ms ⁻² . How long will it take to atta	
speed of 20 kmh ⁻¹ ?	
SOLUTION	USEFUL INFORMATION
$v_i = 80 \text{ kmh}^{-1}$	• To convert ms ⁻¹ to kmh ⁻¹
$= \frac{80 \times 1000 \text{ m}}{}$	1 ms ⁻¹ = 0.001 km \times 3600 h ⁻¹
$= \frac{60 \times 60 \text{ s}}{60 \times 60 \text{ s}}$	= 3.6 kmh ⁻¹ The Multiply acceleration in ms ⁻¹
$= 22.2 \text{ ms}^{-1}$	by 3.6 to get speed in kmh ⁻¹ e.g.
$v_f = 20 \text{ kmh}^{-1}$	
_ <u>20×1000 m</u>	$20 \text{ ms}^{-1} = 20 \times 3.6 \text{ kmh}^{-1}$ = 72 kmh ⁻¹
- 60×60 s	• To convert kmh ⁻¹ to ms ⁻¹
$= 5.6 \text{ ms}^{-1}$	
$a = -2 \text{ ms}^{-1}$	$1 \text{ kmh}^{-1} = \frac{1000 \text{ m}}{60 \times 60 \text{ s}} = \frac{10}{36} \text{ ms}^{-1}$
t = ? Using equation 2.4, we get	Thus multiply speed in kmh ⁻¹ by
$V_f = V_i + at$	$\frac{10}{36}$ to get speed in ms ⁻¹ e.g.,
or $t = \frac{v_f - v_i}{}$	
а	$50 \text{ kmh}^{-1} = 50 \times \frac{10}{36} \text{ ms}^{-1}$
$5.6 \text{ ms}^{-1} - 22.2 \text{ ms}^{-1}$	= 13.88 ms ⁻¹
-2 ms ⁻²	Similarly
or $t = 8.3 \mathrm{s}$	• To convert ms ⁻² to kmh ⁻²
Thus the train will take 8.3 s to attain the required spee	Walipiy accordiation in the by
EXAMPLE 2.12	$\{(3600x3600)/1000\}= 12960 \text{ to}$ get its value in kmh ⁻² .
A bicycle accelerates at 1 ms ⁻² from an i	initial To convert kmh ⁻² to ms ⁻²
velocity of 4 ms ⁻¹ for 10 s. Find the distance moved during this interval of time.	Divide acceleration in kmh ⁻² by
	12960 to get its value in ms ⁻² .
SOLUTION	
$v_i = 4 \text{ ms}^{-1}$	
$a = 1 \text{ ms}^{-2}$	
t = 10 s $S = ?$	
S = ? Applying equation (2.6), we get	
ripplying equation (2.0), we get	

Thus, the bicycle will move 90 metres in 10 seconds. **EXAMPLE 2.13**

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A car travels with a velocity of 5 ms⁻¹. It then accelerates uniformly and travels a distance of 50 m. If the velocity reached is 15 ms⁻¹, find the acceleration and the time to travel this distance.

SOLUTION

SOLUTION
$$v_i = 5 \text{ ms}^{-1}$$

$$S = 50 \text{ m}$$

$$v_f = 15 \text{ ms}^{-1}$$

$$t = ?$$
 Putting values in the third equation of motion, we get

a = ?

$$2 a S = v_t^2 - v_i^2$$

$$\therefore$$
 2 $a \times 50 \text{ m} = (15 \text{ ms}^{-1})^2 - (5 \text{ ms}^{-1})^2$

$$a = \frac{200 \text{ m}^2 \text{s}^{-2}}{100 \text{ m}}$$

 $(100 \text{ m}) a = (225 - 25) \text{ m}^2 \text{s}^{-2}$

or
$$a = 2 \text{ ms}^{-2}$$

Using first equation of motion to find
$$t$$
, we get
$$v_t = v_i + at$$

$$\therefore 15 \text{ ms}^{-1} = 5 \text{ ms}^{-1} + 2 \text{ ms}^{-2} \times t$$

$$15 \text{ ms}^{-1} - 5 \text{ ms}^{-1} = 2 \text{ ms}^{-2} \times t$$

or
$$2 \text{ ms}^{-2} \times t = 10 \text{ ms}^{-1}$$

or $t = \frac{10 \text{ ms}^{-1}}{2 \text{ ms}^{-2}}$

takes 5 seconds to travel 50 m distance.

= 5 sThus, the acceleration of the car is 2 ms⁻² and it

Unit 2: Kinematics

2.7 MOTION OF FREELY FALLING BODIES

its motion. Does its velocity increase, decrease or remain constant as it approaches the ground? Galileo was the first scientist to notice that all

Drop an object from some height and observe

the freely falling objects have the same acceleration independent of their masses. He dropped various objects of different masses from the leaning tower of Pisa. He found that all of them reach the ground at the same time. The acceleration of freely falling bodies is called gravitational acceleration. It is denoted by g. On the surface of the Earth, its value is approximately 10 ms⁻². For bodies falling down freely **g** is positive and

EXAMPLE 2.14

· the height of the tower.

A stone is dropped from the top of a tower. The

• the velocity with which the stone hits the ground.

stone hits the ground after 5 seconds. Find

is negative for bodies moving up.

SOLUTION

or

Initial velocity $v_1 = 0$

Gravitational acceleration g = 10 ms⁻²

$$t = 5 s$$

$$S = h = ?$$

$$v_t = ?$$

$$h = v_1 t + \frac{1}{2} g t^2$$
, we get

$$h = 0 \times 5 \text{ s} + \frac{1}{2} \times 10 \text{ ms}^{-2} \times (5 \text{ s})^2$$

$$h = 0 + 125 \,\mathrm{m}$$

$$h = 125 \, \text{m}$$

(b) Applying the equation

$$v_f^2 - v_i^2 = 2gh$$

 $v_f^2 - (0)^2 = 2 \times 10 \text{ ms}^{-2} \times 125 \text{ m}$
 $v_f^2 = 2500 \text{ m}^2 \text{s}^{-2}$



Figure 2.27: Learning Tower of Pisa

EQUATIONS OF MOTION FOR BODIES MOVING **UNDER GRAVITY**

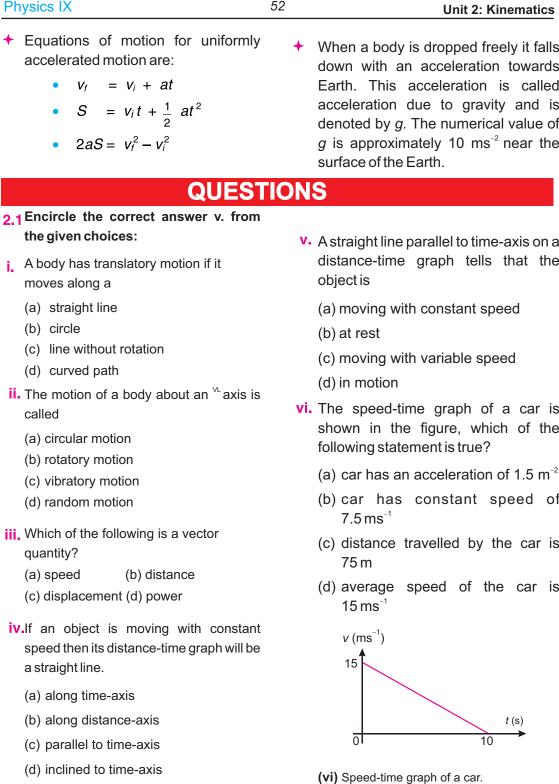
$$v_f = v_i + gt$$

$$h = v_i t + \frac{1}{2} gt^2$$

$$2gh = v_f^2 - v_i^2$$

Physics IX	50	Unit 2: Kinematics
	$\therefore \qquad v_f = 50 \text{ ms}^{-1}$	
	Thus the height of the tower is 12 hit the ground with a velocity of 50 ms	
	EXAMPLE 2.15	
	A boy throws a ball vertically ground after 5 seconds. Find	up. It returns to the
	(a) the maximum height reached by	y the ball.
	(b) the velocity with which the ball is SOLUTION	s thrown up.
	Initial velocity (upward)	; = ?
	Gravitational acceleration g Time for up and down motion t_c	$s = -10 \text{ ms}^{-2}$ s = 5 s
	Velocity at maximum height v_f	· = 0
	As the acceleration due to gravity	S = h = ? y is uniform, hence
	the time t taken by the ball to go up to time taken to come down = $\frac{1}{2}t_0$	
	or $t = 1/2 \times 5 \text{ s} = 2.5 \text{ s}$	
	(b) applying the equation (2.5),	we get
	$v_f = v_i + g t$	
	$0 = v_i - 10 \text{ ms}^{-2} \times 2.5 \text{ s}$;
	$= v_i - 25 \text{ ms}^{-1}$	
	$\therefore v_i = 25 \text{ ms}^{-1}$	
	(a) Applying the equation (2.6)), we get
	$h = v_i t + 1/2 g t^2$	
	$h = 25 \text{ ms}^{-1} \times 2.5 \text{ s} - 1$	•
	or $h = 62.5 \text{ m} - 31.25 \text{ m}$	
	Thus, the ball was thrown u 25 ms ⁻¹ and the maximum height to v	•
	is 31.25 m.	villori trio ball 11363

Ph	ysics IX	51	Unit 2: Kinematics
	SUM	MA	RY
+	A body is said to be at rest, if it does not change its position with respect to its surroundings.	+	We define velocity as rate of change of displacement or speed in a specific direction.
+	A body is said to be in motion, if it changes its position with respect to its surroundings.	+	Average velocity of a body is defined as the ratio of its net displacement to the total time.
+	Rest and motion are always relative. There is no such thing as absolute rest or absolute motion. Motion can be divided into the following three types.	+	If a body covers equal displacements in equal intervals of time, however small the interval may be, then its velocity is said to be uniform.
	Translatory motion: In which a body moves without any rotation.	+	The rate of change of velocity of a body is called acceleration.
	 Rotatory motion: In which a body spins about its axis. Vibratory motion: In which a body moves to and fro about its mean position. 	+	A body has uniform acceleration if it has equal changes in its velocity in equal intervals of time, however small the interval may be.
+	Physical quantities which are completely described by their magnitude only are known as scalars.	+	Graph is a pictorial way of describing information as to how various quantities are related to each other.
+	Physical quantities which are described by their magnitude and direction are called vectors.	+	Slope of the distance-time graph gives the speed of the body.
+	Position means the location of a certain place or object from a reference point. The shortest distance between two	+	Distance - time graphs provide useful information about the motion of an object. Slope of the displacement-time graph
•	points is called the displacement.		gives the velocity of the body.
+	The distance travelled in any direction by a body in unit time is called speed.	+	Distance covered by a body is equal to area under speed - time graph.
+	If the speed of a body does not change with time then its speed is uniform.	+	Speed-time graph is also useful for studying motion along a straight line.
+	Average speed of a body is the ratio of the total distance covered to the total time taken.	+	The distance travelled by a body can also be found from the area under a velocity - time graph if the motion is along a straight line.



ysics IX	53 Unit 2: Kinemat	tics
	Ziz Explain translatory motion and g	
^a /	2.3 Differentiate between the following	:
t (b)	(i) Rest and motion.(ii) Circular motion and rotatory motion.	
t (d)	(iv) Speed and velocity.	
	2.4 Define the terms speed, velocity, a acceleration.	nd
(a) speed (b) acceleration		ant
(c) velocity (d) deceleration	speed have acceleration?	
(a) -10 ms ⁻¹ (b) zero (c) 10 ms ⁻² (d) none of these A change in position is called:	body starting from rest. How will y	ou
(a) speed (b) velocity (c) displacement (d) distance	-	
36 kmh ⁻¹ . Its speed expressed in ms ⁻¹	obtained from speed - time graph o	
(a) 10 ms^{-1} (b) 20 ms^{-1}	.,	
(c) $25 \mathrm{ms}^{-1}$ (d) $30 \mathrm{ms}^{-1}$. ,	ŧ
A car starts from rest. It acquires a speed	()	ι.
	2.10 How can vector quantities	be
	represented graphically?	
(a) 31.25 m (b) 250 m	-	
(c) 500 m (d) 5000 m		ıar
	Which one of the following graphs is representing uniform acceleration? d (b) By dividing displacement of a moving body with time, we obtain (a) speed (b) acceleration (c) velocity (d) deceleration A ball is thrown vertically upward Its velocity at the highest point is: (a) -10 ms ⁻¹ (b) zero (c) 10 ms ⁻² (d) none of these A change in position is called: (a) speed (b) velocity (c) displacement (d) distance A train is moving at a speed of 36 kmh ⁻¹ . Its speed expressed in ms ⁻¹ is: (a) 10 ms ⁻¹ (b) 20 ms ⁻¹ (c) 25 ms ⁻¹ (d) 30 ms ⁻¹ A car starts from rest. It acquires a speed of 25 ms ⁻¹ after 20 s. The distance moved by the car during this time is: (a) 31.25 m (b) 250 m	Which one of the following graphs is representing uniform acceleration? 2.2 Explain translatory motion and gi examples of various types translatory motion. 2.3 Differentiate between the following (i) Rest and motion. (ii) Circular motion and rotatory motion. (iii) Distance and displacement (iv) Speed and velocity. (v) Linear and random motic (vi) Scalars and vectors. 2.4 Define the terms speed, velocity, a acceleration. (c) velocity (d) deceleration (c) velocity (d) deceleration (d) -10 ms ⁻¹ (b) zero (e) 10 ms ⁻² (d) none of these A change in position is called: (a) speed (b) velocity (c) displacement (d) distance A train is moving at a speed of 36 kmh ⁻¹ . Its speed expressed in ms ⁻¹ is: (a) 10 ms ⁻¹ (b) 20 ms ⁻¹ (c) 25 ms ⁻¹ (d) 30 ms ⁻¹ Acar starts from rest. It acquires a speed of 25 ms ⁻¹ after 20 s. The distance moved by the car during this time is: (a) 31.25 m (b) 250 m

Phy	sics IX	54	Unit 2: Kinematics
	How are vector quantities important to us in our daily life? Derive equations of motion for uniformly accelerated rectilinear motion.	2.	2.14 Sketch a velocity - time graph for the motion of the body. From the graph explaining each step, calculate total distance covered by the body.
	PRO	BLE	EM
2.1 2.2 2.3	A train moves with a uniform velocity of 36 kmh ⁻¹ for 10 s. Find the distance travelled by it. (100 m) A train starts from rest. It moves through 1 km in 100 s with uniform acceleration. What will be its speed at the end of 100 s. (20 ms ⁻¹) A car has a velocity of 10 ms ⁻¹ . It accelerates at 0.2 ms ⁻² for half minute. Find the distance travelled during this time and the final velocity of the car. (390 m, 16 ms ⁻¹) A tennis ball is hit vertically upward	2.	2.7 A train staring from rest, accelerates uniformly and attains a velocity 48 kmh ⁻¹ in 2 minutes. It travels at this speed for 5 minutes. Finally, it moves with uniform retardation and is stopped after 3 minutes. Find the total distance travelled by the train. (6000 m) 2.8 A cricket ball is hit vertically upwards and returns to ground 6 s later. Calculate (i) maximum height reached by the ball,
2.5	with a velocity of 30 ms ⁻¹ . It takes 3 s to reach the highest point. Calculate the maximum height reached by the ball. How long it will take to return to ground? (45 m, 6 s) A car moves with uniform velocity of 40 ms" for 5 s. It comes to rest in the next 10 s with uniform deceleration. Find (i) deceleration (ii) total distance travelled by the car. (-4 ms ⁻² , 400 m)		(ii) initial velocity of the ball. (45 m, 30 ms ⁻¹) 2.9 When brakes are applied, the speed of a train decreases from 96 kmh ⁻¹ to 48 kmh ⁻¹ in 800 m. How much further will the train move before coming to rest? (Assuming the retardation to be constant). (266.66 m)
2 .6	A train starts from rest with an acceleration of 0.5 ms ⁻² . Find its speed in kmh ⁻² , when it has moved through 100 m. (36 kmh ⁻²)	2.	time taken by the train to stop after the application of brakes. (80 s)

Unit 3

Dynamics

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- define momentum, force, inertia, friction and centripetal force.
- solve problems using the equationForce = change in momentum / change in time.
- explain the concept of force by practical examples of daily life.
- state Newton's laws of motion.
- distinguish between mass and weight and solve problems using F = ma, and w = mg.
- calculate tension and acceleration in a string during motion of bodies connected by the string and passing over frictionless pulley using second law of motion.
- state the law of conversation of momentum.
- use the principle of conservation of momentum in the collision of two objects.
- determine the velocity after collision of two objects using the law of conservation of momentum.
- explain the effect of friction on the motion of a vehicle in the context of tyre surface, road conditions including skidding, braking force.
- demonstrate that rolling friction is much lesser than sliding friction.



This unit is built on Force and Motion

- Science-IV

This unit is leads to:
Motion and Force

- Physics-XI

list various methods to reduce friction.

Physics IX 58 **Unit 3: Dynamics** explain that motion in a curved path is due to a **Major Concepts** perpendicular force on a body that changes

circle using mv²/r.

3.3 Friction 3.4 Uniform circular motion

3.2 Newton's laws of

3.1 Momentum

motion

(i) starts moving suddenly (ii) stops moving suddenly turns a corner to the left suddenly (iii) write a story about what may happen to you when you dream that all frictions suddenly

direction of motion but not speed.

sitting inside a bus when the bus

calculate centripetal force on a body moving in a

state what will happen to you while you are

disappeared. Why did your dream turn into a

INVESTIGATION SKILLS

nightmare?

The students will be able to: identify the relationship between load and

friction by sliding a trolley carrying different loads with the help of a spring balance on different surfaces.

SCIENCE, TECHNOLOGY AND SOCIETY CONNECTION

- The students will be able to:
 - identify the principle of dynamics with reference to the motion of human beings, objects, and vehicles (e.g. analyse the throwing of a ball, swimming, boating and rocket motion).
 - identify the safety devices (such as packaging of fragile objects, the action of crumple zones and seatbelts) utilized to reduce the effects of
- changing momentum. describe advantages and disadvantages of friction in real - world situations, as well as methods used to increase or reduce friction in

these situations (e.g. advantages of friction

onthe surface of car tyres (tyre tread), cycling parachute, knots in string; disadvantages of friction, and methods for reducing friction



Unit 3: Dynamics

on wheels spinning on axles).

identify the use of centripetal force in (i) safe

between moving parts of industrial machines and

driving by banking roads (ii) washing machine dryer (iii) cream separator.

In kinematics, we have studied the changes in

motion only. Our understanding about the changes in motion is of little value without knowing its causes. The branch of mechanics that deals with the study of motion of an object and the cause of its motion is called

dynamics. In this unit, we shall study momentum and investigate what causes a change in the motion of a body

and what role the mass of a body plays in its motion. This inquiry leads us to the concept of force. We shall also study the laws of motion and their applications.



Newton's laws of motion are of fundamental importance in understanding the causes of motion of a body. Before we discuss these laws, it is appropriate to understand various terms such as force, inertia and momentum.

FORCE

We can open a door either by pushing or pulling it Figure 3.1 shows a man pushing a cart. The push may move the cart or change the direction of its motion or may stop the moving cart. A batsman in figure 3.2 is changing the direction of a moving ball by pushing it with his bat.

A force may not always cause a body to move. Look at the picture shown in figure 3.3. A boy is pushing a wall and is thus trying to move it. Could he move the wall?

A Goalkeeper needs a force to stop a ball coming to him

as shown in figure 3.4. Thus, we understand that



different direction as it is pushed by the batsman.



Figure 3.3: A boy is pushing the wall.

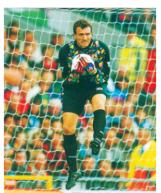


Figure 3.4: Goalkeeper is stopping the ball.

Physics IX 58 **Unit 3: Dynamics** A force moves or tends to move, stops or tends to stop

INERTIA

direction of motion of a body.

inertia of a body with its mass; greater is the mass of a body greater is its inertia. Inertia of a body is its property due to which it resists any change in its state of rest or motion.

state of rest or of uniform motion in a straight line. He called this property of matter as inertia. He related the

the motion of a body. The force can also change the

What happens when you press a balloon?

sharp edge into the apple. Thus a force can also change

light objects than heavier ones. Heavier objects are difficult to move or if moving then difficult to stop. Newton concluded that everybody resists to the change in its

the shape or size of a body on which it acts.

You can cut an apple with a knife by pushing its

Galileo observed that it is easy to move or to stop

Let us perform an experiment to understand inertia.

EXPERIMENT 3.1

Place a coin on the cardboard as shown in figure 3.5. Now flick the card horizontally with a jerk of your finger.

Take a glass and cover it with a piece of cardboard.

Does the coin move with the cardboard? The coin does not move with the cardboard due to

inertia. Where does the coin go as the cardboard flies away?

Consider another example of inertia. Cut a strip of paper. Place it on the table. Stack a few coins at its one

end as shown in figure 3.6. Pull out the paper strip under the coins with a jerk.

Do you succeed in pulling out the paper strip under the stacked coins without letting them to fall? Why do the coins remain stacked on pulling out the paper strip quickly under the stack?



Figure 3.5: The coin fails into the glass as the card flicks away.



Figure 3.6: Coins stacked over remain undisturbed on pulling. the paper strip quickly

Momentum of a body is the quantity of motion it possesses due to its mass and velocity. The momentum P of a body is given by the product of its mass m and velocity v. Thus (3.1)P = mv... Momentum is a vector quantity. Its SI unit is kgms⁻¹. 3.2 NEWTON'S LAWS OF MOTION Newton was the first to formulate the laws of motion known as Newton's laws of motion. NEWTON'S FIRST LAW OF MOTION First law of motion deals with bodies which are either at rest or moving with uniform speed in a straight line. According to Newton's first law of motion, a body at rest remains at rest provided no net force acts on it. This part of the law is true as we observe that objects do not move by themselves unless someone moves them. For example, a book lying on a table remains at rest as long as no net force acts on it. Similarly, a moving object does not stop moving by itself. A ball rolled on a rough ground stops earlier than that rolled on a smooth ground. It is because rough surfaces offer greater friction. If there would be no force to oppose the motion of a body then the moving body would never stop. Thus Newton's first law of motion

A body continues its state of rest or of uniform motion in a straight line provided no net force acts

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A bullet has a very small inertia due to its small

On the other hand, the impact of a loaded truck

mass. But why does its impact is so strong when it is fired

on a body coming its way is very large even if the truck is moving slowly. To explain such situation, we define a

new physical quantity called momentum.

Physics IX

MOMENTUM

from the gun?

states that:

on it.

Net force is the resultant of all the forces acting on a body.

Unit 3: Dynamics

motion is also known as law of inertia.



direction. It is due to inertia that they want to continue their motion in a straight line and thus fall outwards.

Putting k as proportionality constant, we get

forward. **NEWTON'S SECOND LAW OF MOTION** Newton's second law of motion deals with

When a net force acts on a body, it produces acceleration in the body in the direction of the net force. The magnitude of this acceleration is

in a bus fall forward when its driver applies brakes suddenly. It is because the upper parts of their bodies tend to continue their motion, while lower parts of their bodies in contact with the bus stop with it. Hence, they fall

We have observed that the passengers standing

situations when a net force is acting on a body. It states that:

directly proportional to the net force acting on the body and inversely proportional to its mass. If a force produces an acceleration a in a body of mass m, then we can state mathematically that $\propto F$

 $a \propto \frac{1}{m}$ and а or F or

 $= kma \dots \dots (3.2)$

In SI units, the value of k comes out to be 1. Thus Eq. 3.2 becomes

$$F = ma \dots \dots (3.3)$$

SI unit of force is newton (N). According to Newton's second law of motion:

One newton (1 N) is the force that produces an acceleration of 1 ms⁻² in a body of mass of 1 kg.

Thus, a force of one newton can be expressed as $1N = 1 \text{ kg} \times 1 \text{ ms}^{-2}$

 $1N = 1 \text{ kg ms}^{-2}$ (3.4)

Physics IX		61	Unit 3: Dynamics
EXAMPLE 3	.1		
Find 20 N force in a		celeration that is produced by a of 8 kg.	
SOLUTION			
Here	m	= 8 kg	
	F	= 20N	
	а	= ?	
using the forr	nula	F= ma	
	20N	$= 8 \text{ kg} \times \text{a}$	
or	а	$= \frac{20N}{8kg}$	
	а	$= 2.5 \frac{\text{kg ms}^{-2}}{\text{kg}}$	
		$= 2.5 \text{ ms}^{-2}$	
Thus acceler	ation pr	oduced by the force is 2.5 ms ⁻² .	
EXAMPLE 3	.2		
an accelerati	on of 10	g on a body of mass 5 kg produces of ms ⁻² . What acceleration the same of body of mass 8 kg?	
SOLUTION		, ,	
Here		$m_1 = 5$ kg	
		$m_2 = 8$ kg	
		$a_1 = 10 \text{ ms}^{-2}$	
		$a_2 = ?$	
Applyin	g Newto	on's second law of motion, we get	
		$F = m_1 a_1$	
		$F = m_2 a_2$	
Comp	paring th	ne equations, we get	
		$n_1 a_1 = m_2 a_2$	
(5k	g) (10m	$(8 \text{kg})^{-2} = (8 \text{kg}) a_2$	
or		$a_2 = 6.25 \text{ms}^{-2}$	

Hence, the acceleration produced is 6.25 ms⁻². **EXAMPLE 3.3** A cyclist of mass 40 kg exerts a force of 200 N to move his bicycle with an acceleration of 3 ms⁻². How much is the force of friction between the road and the tyres?

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Unit 3: Dynamics

SOLUTION Here

 $m = 40 \, \text{kg}$ $a = 3 \, \text{ms}^{-2}$ $F_0 = 200 \text{ N}$

F = ?Net Force

Force of friction
$$f = ?$$

As net Force $F = m a$
 $= 40 \text{ kg} \times 3 \text{ ms}^{-2}$
 $= 120 \text{ N}$

120 N = 200N -
$$f$$

Hence $f = 80 \text{ N}$

tvres is 80 N.

MASS AND WEIGHT

balance.

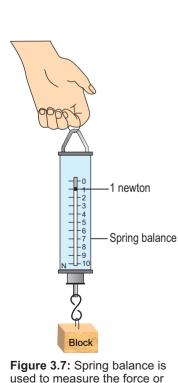
Generally, mass and weight are considered similar quantities, but it is not correct. They are two different quantities. Mass of a body is the quantity of matter possessed by the body. It is a scalar quantity and does not change with change of place. It is measured by

comparison with standard masses using a beam

Net force = Applied Force - Force of friction

Thus, the force of friction between the road and the

On the other hand, weight of a body is the force equal to the force with which Earth attracts it. It varies depending upon the value of g, acceleration due to



Physics IX

Figure 3.7: Spring balance is used to measure the force or weight of a body.

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Its SI unit is newton (N); the same as force. Weight is measured by a spring balance.

NEWTON'S THIRD LAW OF MOTION

Newton's third law of motion states that:

Physics IX

Newton's third law of motion deals with the reaction of a body when a force acts on it. Let a body

Aexerts a force on another body B, the body B reacts

against this force and exerts a force on body A. The force exerted by body A on B is the action force whereas the force exerted by body B on A is called the reaction force.

To every action there is always an equal but

opposite reaction. According to this law, action is always

accompanied by a reaction force and the two forces must always be equal and opposite. Note that action and reaction forces act on different bodies

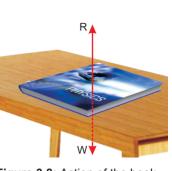
Consider a book lying on a table as shown in figure 3.8. The weight of the book is acting on the table in the

table acts on the book in the upward direction. Consider another example. Take an air-filled balloon as shown in figure 3.9. When the balloon is set free, the air inside it rushes

downward direction. This is the action. The reaction of the

out and the balloon moves forward. In this example, the action is by the balloon that pushes the air out of it when set free. The reaction of the air which escapes out from the balloon acts on the balloon. It is due to this reaction of the escaping air that moves the balloon forward.

A rocket such as shown in figure 3.10 moves on the same principle. When its fuel burns, hot gases escape out from its tail with a very high speed. The



Unit 3: Dynamics

Figure 3.8: Action of the book and reaction on it.



Figure 3.9: Reaction of the air pushed out of the balloon moves it.



Figure 3.10: A Rocket taking off.

reaction of these gases on the rocket causes it to move opposite to the gases rushing out of its tail.

2. Which is action?

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Is there any reaction? If yes, then what is its direction?

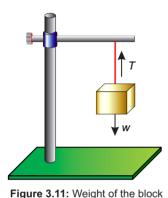
TENSION AND ACCELERATION IN A STRING

end of the string is fixed on a stand as shown in figure 3.11. Let w be the weight of the block. The block pulls the string downwards by its weight. This causes a tension T in the string. The tension T in the string is acting upwards at the block. As the block is at rest, therefore, the weight of the block acting downwards must be balanced

Quick Quiz

1. How much force you need to prevent the book from falling?

Unit 3: Dynamics



Physics IX

Figure 3.11: Weight of the block pulls the string downwards.

Consider a block supported by a string. The upper

Stretch out your palm and hold a book on it.

by the upwards tension T in the string. Thus the tension T in the string must be equal and opposite to the weight w of the block.

VERTICAL MOTION OF TWO BODIES ATTACHED TO THE ENDS OF A STRING THAT PASSES OVER A FRICTIONLESS PULLEY

Consider two bodies A and B of masses m_4 and m_2

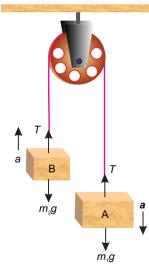


Figure 3.12: Bodies attached to the ends of a string that passes over a frictionless pulley.

The string passes over a frictionless pulley as shown in figure 3.12. The body *A* being heavier must be moving downwards with some acceleration. Let this acceleration be *a*. At the same time, the body *B* attached to the other end of the string moves up with the same acceleration *a*. As the pulley is frictionless, hence tension will be the

respectively. Let m_1 is greater than m_2 . The bodies are attached to the opposite ends of an inextensible string.

be T.

Since the body A moves downwards, hence its weight m_1g is greater than the tension T in the string.

same throughout the string. Let the tension in the string

 \therefore Net force acting on body $A = m_1 g - T$

According to Newton's second law of motion;

As body B moves upwards, hence its weight $m_2 q$

Unit 3: Dynamics

is less than the tension T in the string. Net force acting on body $B = T - m_2 g$

 $m_1 q - T = m_1 a$

$$T - m_2 g = m_2 a \dots \dots (3.7)$$

Adding Eq. 3.6 and Eq. 3.7, we get acceleration a.
$$a = \frac{m_1 - m_2}{m_1 + m_2} g \quad \dots \quad (3.8)$$

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...

Divide Eq. 3.7 by Eq. 3.6, to find tension T in the string.

$$T = \frac{2m_1 m_2}{m_1 + m_2} g \qquad \dots \qquad (3.9)$$

The above arrangement is also known as Atwood

gravity using Eq 3.8,

machine. It can be used to find the acceleration adue to

$$g = \frac{2m_1 + m_2}{m_1 - m_2} \ a$$

EXAMPLE 3.4

:.

Two masses 5.2 kg and 4.8 kg are attached to the ends of an inextensible string which passes over a frictionless pulley. Find the acceleration in the system and the tension in the string when both the masses are moving vertically.

DO YOU KNOW?

An Atwood machine is an arrangement of two objects of unequal masses such as shown in figure 3.12. Both the objects are attached to the ends of a string. The string passes over a frictionless pulley. This arrangement is sometime

used to find the acceleration

due to gravity.

	$= \frac{2 \times 5.2 \text{kg} \times 4.8 \text{kg}}{5.2 \text{kg} + 4.8 \text{kg}} \times 10 \text{ms}^{-2}$ ∴ $T = 50 \text{N}$
Figure 3.13: Motion of masses attached to a string that passes over a frictionless pulley.	Thus the acceleration in the system is 0.4 $\text{ms}^{\text{-2}}$ and tension in the string is 50 N.
	MOTION OF TWO BODIES ATTACHED TO THE ENDS OF A STRING THAT PASSES OVER A FRICTIONLESS PULLEY SUCH THAT ONE BODY MOVES VERTICALLY AND THE OTHER MOVES ON A SMOOTH HORIZONTAL SURFACE
	Consider two bodies A and B of masses m_1 and m_2 respectively attached to the ends of an inextensible string as shown in figure 3.13. Let the body A moves downwards with an acceleration \mathbf{a} . Since the string is inextensible, therefore, body B also moves over the horizontal surface with the same acceleration \mathbf{a} . As the pulley is frictionless, hence tension T will be the same throughout the string.
	Since body A moves downwards, therefore, its weight m_1g is greater than the tension T in the string.
	Net force acting on body $A = m_1 g - T$
	According to Newton's second law of motion;
	$m_1 g - T = m_1 a \dots (3.10)$
	The forces acting on body <i>B</i> are:
	i. Weight m_2g of the body B acting downward.
	ii. Reaction R of the horizontal surface acting on body B in the upwards direction.
	iii. Tension <i>T</i> in the string pulling the body <i>B</i> horizontally over the smooth surface.
	As body B has no vertical motion, hence resultant of vertical forces(m_2g and R) must be zero.
	Thus, the net force acting on body B is T .
	According to Newton's second law of motion;
	$T = m_2 a \dots (3.11)$

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Unit 3: Dynamics

Physics IX

Physics IX

Adding Eqs. 3.10 and 3.11, we get acceleration a as

$$a = \frac{m_1}{m_1 + m_2} g \quad \dots \quad (3.12)$$
Putting the value of a in equations 3.11 to get tension T as

$$T = \frac{m_1 m_2}{m_1 + m_2} g \quad \dots \quad (3.13)$$
EXAMPLE 3.5

Two masses 4 kg and 6 kg are attached to the ends of an inextensible string which passes over a frictionless pulley such that mass 6 kg is moving over a frictionless horizontal surface and the mass 4 kg is moving vertically downwards. Find the acceleration in the system and the tension in the string.

SOLUTION

$$m_1 = 4 \text{ kg}$$

$$m_2 = 6 \text{ kg}$$
as

$$a = \frac{m_1}{m_1 + m_2} g$$

$$= \frac{4 \text{ kg}}{4 \text{ kg} + 6 \text{ kg}} \times 10 \text{ ms}^{-2}$$

$$\therefore a = 4 \text{ ms}^{-2}$$
as

$$T = \frac{m_1 m_2}{m_1 + m_2} g$$

 $=\frac{4 \text{ kg} \times 6 \text{ kg}}{4 \text{ kg} + 6 \text{ kg}} \times 10 \text{ ms}^{-2}$ T = 24 N:.

Thus the acceleration in the system is 4 ms⁻² and tension in the string is 24N.

becomes v_i. If P_i and P_i be the initial momentum and

FORCE AND THE MOMENTUM Consider a body of mass m moving with initial velocity v_i. Let a force F acts on the body which produces an acceleration a in it. This changes the velocity of the body. Let its final velocity after time Physics IX 68 **USEFUL INFORMATION** final momentum of the body related to initial and final

by:

velocities respectively, then

 $P_i = mv_i$

momentum

Thus the rate of change in momentum is given

 $= m \frac{V_f - V_i}{t}$

since $\frac{v_f - v_i}{t}$ is the rate of change of velocity

Equation 3.14 also defines force and states

SI unit of momentum defined by equation 3.14 is

and $P_f = mv_f$

momentum

Change in = final

or $P_f - P_i = mv_f - mv_i$

 $\frac{P_f - P_i}{t} = \frac{mv_f - mv_i}{t}$

equal to the acceleration a produced by the force F.

Fragile objects such as glass wares etc. are packed with suitable materials such as styrofoam rings, balls, polythene

sheets with air sacks etc.



During any mishap, they increase the impact time on fragile objects. An increase in impact time lowers the rate of change of momentum and hence lessens the impact of force. This lowers the possible damage due to an accident.

> $\therefore \frac{P_f - P_i}{I} = m a$ According to Newton's second law of motion.

USEFUL INFORMATION In an accident at high speed, the impact force is very large due to the extremely short stopping time. For safety purposes, vehicles have rigid cages for passengers with crumple zones at their front and rear

ends.

iniuries.



During an accident, crumple zones collapse. This increases the impact time by providing extra time for crumpling. The impact of force is highly reduced and saves the passengers from severe or $\frac{P_f - P_i}{t} = F$ (3.14)

Unit 3: Dynamics

initial

momentum

Newton's second law of motion as When a force acts on a body, it produces an acceleration in the body and will be equal to the

rate of change of momentum of the body.

newton-second (Ns) which is the same as kgms⁻¹.

EXAMPLE 3.6

A body of mass 5 kg is moving with a velocity of 10ms⁻¹. Find the force required to stop it in 2 seconds.

m = 5 kgSOLUTION $v_i = 10 \text{ ms}^{-1}$

 $v_t = 0 \text{ ms}^{-1}$

bodies on which no external force is acting. If no unbalanced or net force acts on a system, then according to equation 3.14 its momentum remains constant. Thus the momentum of an isolated system is always conserved. This is the Law of Conservation of Momentum.

The momentum of an isolated system of two or more than two interacting bodies remains

velocity. A system is a group of bodies within certain boundaries. An isolated system is a group of interacting

= 2 s

 $P_i = 5 \text{ kg} \times 10 \text{ ms}^{-1}$

 $P_f = 5 \text{ kg} \times 0 \text{ ms}^{-1}$

 $=\frac{50 \text{ Ns} - 0 \text{ Ns}}{2 \text{ s}}$

= 50 Ns

= 0 Ns

 $F = \frac{P_f - P_i}{t}$

= 25 N

I AW OF CONSERVATION OF MOMENTUM

Thus 25 N force is required to stop the body.

Momentum of a system depends on its mass and

F = ?

Physics IX

since

It states that:

constant.

Consider the example of an air-filled balloon as described under the third law of motion. In this case, balloon and the air inside it form a system. Before releasing the balloon, the system was at rest and hence the initial momentum of the system was zero. As soon as the balloon is set free, air escapes out of it with some velocity. The air coming out of

it possesses momentum. To conserve momentum, the balloon moves in a direction opposite to that of air rushing

out. Consider an isolated system of two spheres of masses m_1 and m_2 as shown in figure 3.14. They are

moving in a straight line with initial velocities u_1 and u_2

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continue moving until stopped suddenly by something before him. This something may be a

windscreen, another passenger

or back of the seat in front of him/her. Seatbelts are useful in

 They provide an external force to a person wearing seatbelt.

The additional time is required

for stretching seat belts. This prolongs the stopping time for

momentum to change and

reduces the effect of collision.

two wavs:

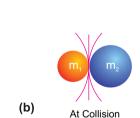
person not wearing seatbelt will

USEFUL INFORMATION

In case of an accident, a

Unit 3: Dynamics

(a) Before collision



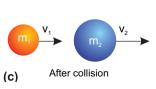


Figure 3.14: Collision of two bodies of spherical shapes.

Physics IX	70 Unit 3: D	ynamics
	respectively, such that u_1 is greater than u_2 . Sphere m_1 approaches the sphere of mass m_2 as they move.	
	Initial momentum of mass m₁ = m₁u₁ Initial moment	um
	of mass $m_2 = m_2 u_2$ Total initial momentum of the system before collision = $m_1 u_1 + m_2 u_2$ (3.15)	

Final momentum of mass $m_1 = m_1 v_1$ Final momentum of mass $m_2 = m_2 v_2$ Total final momentum of $m_1 v_2 + m_2 v_3 + m_2 v_4 + m_2 v_3 + m_2 v_4 + m_2 v_3 + m_3 v_4 + m_3 v_4 + m_3 v_4 + m_3 v_5 + m_3 v_4 + m_3 v_5 + m_3 v_4 + m_3 v_5 + m$

According to the law of conservation of momentum

become v_1 and v_2 respectively after collision. Then

After sometime mass m_1 hits m_2 with some force.

According to Newton's third law of motion, m_2 exerts an equal and opposite reaction force on m_1 . Let their velocities

Total initial momentum of the system before collision = Total final momentum the system after collision

$$m_1u_1 + m_2u_2 = m_1v_1 + m_2v_2 \dots (3.17)$$
 Equation 3.17 shows that the momentum of an

isolated system before and after collisions remains the same which is the law of conservation of momentum. Law of conservation of momentum is an important law and has vast applications.

Consider a system of gun and a bullet. Before firing the gun, both the gun and bullet are at rest, so the total momentum of the system is zero. As the gun is fired, bullet shoots out of the gun and acquires momentum. To conserve momentum of the system, the gun recoils. According to the law of conservation of momentum, the total momentum of the gun and the bullet will also be zero after the gun is fired.

Let *m* be the mass of the bullet and v be its velocity on firing the gun; *M* be the mass of the gun and *V* be the velocity

Unit 3: Dynamics

Total momentum of the gun and the bullet after the gun is fired
$$= M V + m v \dots (3.18)$$
According to the law of conservation of momentum

$$\therefore \qquad M \, V + m \, v \; = \; 0$$
or
$$\qquad \qquad M \, V \; = - \, m \, v$$

Hence
$$V = -\frac{m}{M} v \dots (3.19)$$

Equation 3.19 gives the velocity
$${\it V}$$
 of the gun. Negative sign indicates that velocity of the gun is opposite to

the velocity of the bullet, i.e., the gun recoils. Since mass of the gun is much larger than the bullet, therefore, the recoil is much smaller than the velocity of the bullet.

Rockets and jet engines also work on the same

burning of fuel rush out with large momentum. The machines gain an equal and opposite momentum. This enables them to move with very high velocities. **EXAMPLE 3.7**

principle. In these machines, hot gases produced by

A bullet of mass 20 g is fired from a gun with a

muzzle velocity 100 ms⁻¹. Find the recoil of the gun if its

mass is 5 kg.

SOLUTION m = 20 g = 0.02 kg $v = 100 \, \text{ms}^{-1}$

$$M = 5 \text{ kg}$$
 $V = 2$

Physics IX **Unit 3: Dynamics** According to the law of conservation of momentum:

Putting the values, we get

MV + mv = 0

 \therefore 5 kg ×V + (0.02 kg)×(100 ms⁻¹) = 0

or
$$5 \text{ kg} \times V = -(0.02 \text{ kg}) \times (100 \text{ ms}^{-1})$$

or
$$V = -\frac{(0.2 \text{ kg}) \times (100 \text{ ms}^{-1})}{5 \text{ kg}}$$
$$= -0.4 \text{ ms}^{-1}$$
The negative sign indicates that the gun recoils i.e.,

the bullet with a velocity of 0.4 ms⁻¹. 3.3 FRICTION Have you noticed why a moving ball stops? Why

moves in the backward direction opposite to the motion of

bicycle stops when the cyclist stops pedalling? Naturally there must be some force that stops

moving objects. Since a force not only moves an object but also stops moving object.

The force that opposes the motion of moving objects is called friction.

Friction is a force that comes into action as soon as a body is pushed or pulled over a surface. In case of solids, the force of friction between two bodies depends upon many factors such as nature of the two surfaces in contact and the pressing force between them. Rub your palm over

different surfaces such as table, carpet, polished marble surface, brick, etc. You will find smoother is the surface, easier it is to move over the surface. Moreover, harder you press your palm over the surface, more difficult would it be to move.

Why friction opposes motion? No surface is perfectly smooth. A surface that appears smooth has pits and bumps that can be seen under a microscope. Figure 3.17 shows two wooden blocks with their polished surfaces in contact. A magnified view of two smooth surfaces in contact shows the gaps and



friction.

Figure 3.16: To walk or to run friction is needed to push the ground backward

Coldwelds

Physics IX

Figure 3.17: A magnified view of the two surfaces in contact. contacts between them. The contact points between the

two surfaces form a sort of **coldwelds**. These cold welds resist the surfaces from sliding over each other. Adding weight over the upper block increases the force pressing the surfaces together and hence, increases the

resistance. Thus, greater is the pressing force greater will

be the friction between the sliding surfaces.

represented by μ .

move a body at rest. It increases with the applied force. Friction can be increased to certain maximum value. It does not increase beyond this. The maximum value of

friction is known as the force of limiting friction (F_s). It

Friction is equal to the applied force that tends to

depends on the normal reaction (pressing force) between the two surfaces in contact. The ratio between the force of limiting friction F_s and the normal reaction R is constant. This constant is called the coefficient of friction and is

Thus
$$\mu = \frac{F_s}{R}$$
 (3.20)
or $F_s = \mu R$ (3.21)

or If *m* be the mass of the block, then for horizontal

$$R = mg \qquad \dots \qquad \dots \qquad (3.22)$$

 $F_s = \mu \, mg \, \dots \, \dots \, (3.23)$ Hence Friction is needed to walk on the ground. It is

risky to run on wet floor with shoes that have smooth soles. Athletes use special shoes that have extraordinary ground grip. Such shoes prevent them

from slipping while running fast. What will we do to stop our bicycle? We will apply brakes. The rubber pads

TIDBITS

Unit 3: Dynamics



walls by palms and feet increases friction. This enables the boy to move up on the walls.

Coefficient of friction between

some common materials		
Materials	μ _s	
Glass and Glass	0.9	
Glass and Metal	0.5 - 0.7	
Ice and Wood	0.05	
Iron and Iron	1.0	
Rubber and Concrete	0.6	
Steel and Steel	0.8	
Tyre and Road, dry	1	
Tyre and Road, wet	0.2	
Wood and Wood	0.25 - 0.6	
Wood and Metal	0.2 - 0.6	
Wood and Concrete	0.62	

pressed against the rims provide friction. It is the friction that stops the bicycle.



QUICK QUIZ Which shoe offer less friction?

Unit 3: Dynamics

- 2. Which shoe is better for walking on dry track? 3. Which shoe is better for jogging?
- 4. Which sole will wear out early?

When the axle of a wheel is pushed, the force of

friction between the wheel and the ground at the point of

Wheel is one of the most important inventions in the history of mankind. The first thing about a wheel is that it rolls as it moves rather than to slide. This greatly reduces friction. Why?

1.

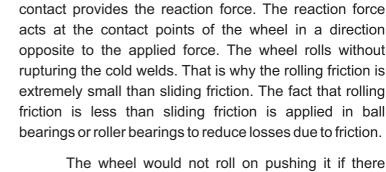
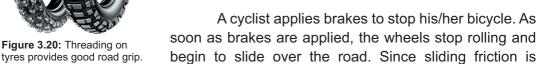


Figure 3.19: A ball bearing

extremely small than sliding friction. The fact that rolling friction is less than sliding friction is applied in ball bearings or roller bearings to reduce losses due to friction. The wheel would not roll on pushing it if there would be no friction between the wheel and the ground. Thus, friction is desirable for wheels to roll over a surface.

It is dangerous to drive on a wet road because the friction between the road and the tyres is very small. This increases the chance of slipping the tyres from the road. The threading on tyres is designed to increase friction.

Thus, threading improves road grip and make it safer to drive even on wet road.





Force



much greater than rolling friction. Therefore, the cycle stops very quickly.

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QUICK QUIZ Why is it easy to roll a cylindrical eraser on a paper 1.

sheet than to slide it?

- 2. Do we roll or slide the eraser to remove the pencil work from our notebook?

BRAKING AND SKIDDING

Physics IX

The wheels of a moving vehicle have two velocity components:

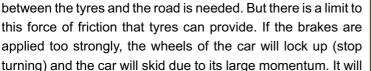
- (i) motion of wheels along the road.
- (ii) rotation of wheels about their axis.

To move a vehicle on the road as well as to stop a moving vehicle requires friction between its tyres and the

road. For example, if the road is slippery or the tyres are worn out then the tyres instead of rolling, slip over the road. The vehicle will not move if the wheels start slipping

wheels to roll, the force of friction (gripping force) between the tyres and the road must be enough that prevents them from slipping.

at the same point on the slippery road. Thus for the



Similarly, to stop a car quickly, a large force of friction

lose its directional control that may result in an accident. In order to reduce the chance of skidding, it is advisable not to apply brakes too hard that lock up their rolling motion especially at high speeds. Moreover, it is unsafe to drive a vehicle with worn out tyres.



Unit 3: Dynamics

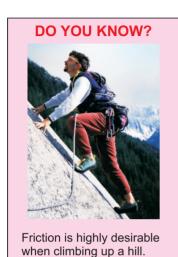
Mini Exercise

- 1. In which case do you need smaller force and why? (i) rolling (ii) sliding
- 2. In which case it is easy for the tyre to roll over?
- (i) rough ground
- (ii) smooth ground

ADVANTAGES AND DISADVANTAGES OF **FRICTION**

Friction has the advantages as well as disadvantages. Friction is undesirable when moving at high speeds because it opposes the motion and thus Physics IX 76 Unit 3: Dynamics

moving parts.





high speeds reduces air resistance.



Figure 3.23: Streamlining the bullet train reduces air resistance at high speed.

We cannot write if there would be no friction between paper and the pencil. Friction enables us to walk on the ground. We cannot run on a slippery ground. A slippery

However, sometimes friction is most desirable.

limits the speed of moving objects. Most of our useful energy is lost as heat and sound due to the friction between various moving parts of machines. In machines, friction also causes wear and tear of their

ground offers very little friction. Hence, anybody who tries to run on a slippery ground may meet an accident. Similarly, it is dangerous to apply brakes with full force to stop a fast moving vehicle on a slippery road. Birds could

not fly, if there is no air resistance. The reaction of pushed air enables the birds to fly. Thus in many

situations, we need friction while in other situations we

Write a dream during which you are driving a car and suddenly the friction disappears. What happened next...?

METHODS OF REDUCING FRICTION

The friction can be reduced by:

need to reduce it as much as possible.

(i) madring the aliding symforce conservation

- (i) making the sliding surfaces smooth.
- (ii) making the fast moving objects a streamline
- minimizes air resistance at high speeds.

 (iii) Lubricating the sliding surfaces.
- (iv) Using ball bearings or roller bearings .Because the rolling friction is lesser than the sliding friction.

shape (fish shape) such as cars, aero planes, etc. This causes the smooth flow of air and thus

3.4 UNIFORM CIRCULAR MOTION

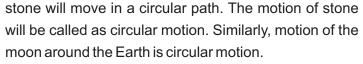
We come across many things in our daily life that are moving along circular path. Take a small stone. Tie it at one end of a string and keep the other end of the string in your hand as shown in figure 3.24.

Figure 3.24: Circular motion of a stone attached with a string.

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Physics IX

Now rotate the stone holding the string. The



The motion of an object in a circular path is known

Consider a body tied at the end of a string moving

CENTRIPETAL FORCE

as circular motion.

with uniform speed in a circular path. A body has the tendency to move in a straight line due to inertia. Then why does the body move in a circle? The string to which the body is tied keeps it to move in a circle by pulling the body towards the centre of the circle. The string pulls the body perpendicular to its motion as shown in figure 3.26.

This pulling force continuously changes the direction of motion and remains towards the centre of the circle. This centre seeking force is called the centripetal force. It

keeps the body to move in a circle. Centripetal force always acts perpendicular to the motion of the body.

Centripetal force is a force that keeps a body to

move in a circle.

Let us study the centripetal forces in the

following examples:

(i) Figure 3.27 shows a stone tied to one end of a string rotating in a circle. The tension in the string provides the necessary centripetal force. It keeps the stone to remain in the circle. If the

string is not strong enough to provide the

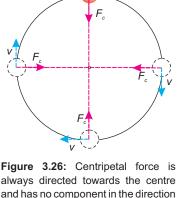
necessary tension, it breaks and the stone



Unit 3: Dynamics

The moon

Figure 3.24: Circular motion of a stone attached with a string.



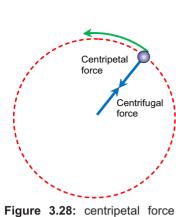
of motion.

(a)

(b)

Figure 3.27 (a) A string provides peressary centrinetal force

necessary centripetal force.
(b) A string is unable to provide the required centripetal force.



Physics IX

acting on the stone and the centrifugal force acting on the string



While the coaster cars move around the loop, the track provides centripetal force preventing them to move away from the circle.

Consider a stone shown in figure 3.28 tied to a string moving in a circle. The necessary centripetal force

CENTRIFUGAL FORCE

reciprocal to the radius r of the circle.

in figure 3.27(b).

necessary centripetal force.

centripetal force F_c is given by

centripetal force F_c is given by

acts on the stone through the string that keeps it to move in a circle. According to Newton's third law of motion, there exists a reaction to this centripetal force. Centripetal reaction that pulls the string outward is sometimes called the centrifugal force.

Unit 3: Dynamics

moves away along a tangent to the circle as shown

gravitational force of the Earth provides the

Let a body of mass m moves with uniform speed v in a circle of radius r. The acceleration a produced by the

centripetal acceleration $a_c = \frac{v^2}{r}$... (3.24)

According to Newton's second law of motion, the

Equation (3.26) shows that the centripetal force needed by a body moving in a circle depends on the mass m of the body, square of its velocity v and

 $F_{\rm c} = m \, a_{\rm c} \, \dots \, \dots \, (3.25)$

 $F_{\rm c} = \frac{mv^2}{r}$ (3.26)

(ii) The moon revolves around the Earth. The

EXAMPLE 3.8

A stone of mass 100 g is attached to a string 1m long. The stone is rotating in a circle with a speed of 5 ms⁻¹. Find the tension in the string.

SOLUTION

$$m = 100 \,\mathrm{g} = 0.1 \,\mathrm{kg}$$

 $v = 5 \,\mathrm{ms}^{-1}$

centripetal force given by $F_{c} = \frac{mv^{2}}{r}$

Tension T in the string provides the necessary

$$T = \frac{0.1 \text{ kg} \times (5 \text{ ms}^{-1})^2}{1 \text{ m}}$$

$$T = 2.5 \text{ N}$$
Thus, tension in the string will be equal to 2.5 N.

 $r = 1 \,\mathrm{m}$

 $T = F_c = ?$

BANKING OF THE ROADS

needed to keep it in its curved track. The friction between

When a car takes a turn, centripetal force is

BANKING OF THE ROAD

Physics IX

the tyres and the road provides the necessary centripetal force. The car would skid if the force of friction between the tyres and the road is not sufficient enough particularly when the roads are wet. This problem is solved by banking of curved roads. Banking of a road means that the outer edge of a road is raised. Imagine a vehicle on a

curved road such as shown in figure 3.29. Banking causes a component of vehicle's weight to provide the necessary centripetal force while taking a turn. Thus banking of roads prevents skidding of vehicle and thus

makes the driving safe. WASHING MACHINE DRYER

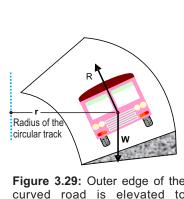
holes due to lack of centripetal force.

The dryer of a washing machine is basket spinners. They have a perforated wall having large numbers of fine holes in the cylindrical rotor as shown in figure 3.30. The lid of the cylindrical container is closed after putting wet clothes in it. When it spins at high speed,

the water from wet clothes is forced out through these

CREAM SEPARATOR

Most modern plants use a separator to control the fat contents of various products. A separator is a high-speed spinner. It acts on the same principle of centrifuge machines. The bowl spins at very high



Unit 3: Dynamics

prevent skidding.

Spinner

Figure 3.30: Dryer of washing machines has perforated wall.

shaft



Physics IX

the motion of a body.

of the bowl. The lighter part (cream) is pushed towards the centre from where it is collected through a pipe. **SUMMARY** A force is a push or pull. It moves or Mass of a body is the quantity of matter possessed by it. It is a scalar tends to move, stops or tends to stop quantity. SI unit of mass is

kilogramme (kg).

(N).

outward in the bowl pushing the lighter contents inward towards the spinning axis. Cream or butterfat is lighter than other components in milk. Therefore, skimmed milk, which is denser than cream is collected at the outer wall

Unit 3: Dynamics

which it resists any change in its state of rest or uniform motion in a straight line. Momentum of a body is the quantity

Inertia of a body is its property due to

- of motion possessed by the body. Momentum of a body is equal to the product of its mass and velocity
- The force that opposes the motion of a body is called friction. Newton's first law of motion states that a body continues its state of rest

provided no net force acts on it.

or of uniform motion in a straight line

- Newton's second law of motion states that when a net force acts on a body, it produces acceleration in the body in the direction of the net force. The magnitude of this acceleration is
- directly proportional to the net force acting on it and inversely proportional to its mass. Mathematically, F = ma. SI unit of force is newton (N). It is

defined as the force which produces an acceleration of 1 ms"2 in a body of

mass 1 kg.

The acceleration and tension in a system of two bodies attached to the ends of a string that passes over a frictionless pulley such that both

move vertically are given by:

equal and opposite reaction.

$$a = \frac{m_1 - m_2}{m_1 + m_2} g$$
; $T = \frac{2m_1 m_2}{m_1 + m_2} g$

Weight of a body is the force of

gravity acting on it. It is a vector

quantity. SI unit of weight is newton

Newton's third law of motion states

that to every action there is always an

The acceleration and tension in a system of two bodies attached to the ends of a string that passes over a frictionless pulley such that one

moves vertically and the other

Phy	ysics IX	81	Unit 3: Dynamics
	moves on a smooth horizontal surface are given by:		parts of the machine. The friction can be reduced by: (i) Smoothing the sliding surfaces in contact.
	$a = \frac{m_1}{m_1 + m_2} g$; $T = \frac{m_1 m_2}{m_1 + m_2} g$		(ii) Using lubricants between sliding surfaces.
A	Law of conservation of momentum states		(iii) Using ball bearings or roller bearings.
	that the momentum of an isolated system of two or more than two interacting bodies remains constant.	>	The motion of a body moving along a circular path is called circular motion.
>	A force between the sliding objects which opposes the relative motion between them is called friction.	>	The force which keeps the body to move in a circular path is called the centripetal force and is given.
A	Rolling friction is the force of friction between a rolling body and a surface over which it rolls. Rolling friction is lesser than		by $F_c = \frac{mv^2}{r}$
A	the sliding friction. The friction causes loss of energy in machines and much work has to be done in overcoming it. Moreover, friction leads to much wear and tear on the moving	>	According to Newton's third law of motion, there exists a reaction to the centripetal force. Centripetal reaction that pulls the string outward is sometimes called the centrifugal force.
	QUES'	ΤIQ	NS
3.1 i.	Encircle the correct answer from the given choices: Newton's first law of motion is valid only in the absence of: (a) force (b) net force (c) friction (d) momentum		 (b) away from the bus (c) in the direction of motion (d) opposite to the direction of motion A string is stretched by two equal and opposite forces 10 N each. The
ii.	Inertia depends upon (a) force (b) net force (c) mass (d) velocity		tension in the string is (a) zero (b) 5 N (c) 10 N (d) 20 N
iii.	A boy jumps out of a moving bus. There is a danger for him to fall: (a) towards the moving bus	V.	The mass of a body: (a) decreases when accelerated (b) increases when accelerated

Phy	sics IX	82	Unit 3: Dynamics
	(c) decreases when moving with high velocity(d) none of the above.	3.5	What is the law of Inertia? Why is it dangerous to travel on the roof of a bus?
vi.	Two bodies of masses m ₁ and m ₂ attached to the ends of an	3.6	Why does a passenger move outward when a bus takes a turn?
	inextensible string passing over a frictionless pulling such that both move vertically. The acceleration of the bodies is:	3.7	How can you relate a force with the change of momentum of a body?
	(a) $\frac{m_1 \times m_2}{m_1 + m_2} g$ (b) $\frac{m_1 - m_2}{m_1 + m_2} g$		What will be the tension in a rope that is pulled from its ends by two
	(c) $\frac{m_1 + m_2}{m_1 - m_2} g$ (d) $\frac{2m_1 m_2}{m_1 + m_2} g$	3.9	opposite forces 100 N each? Action and reaction are always
vii.	$m_1 - m_2$ $m_1 + m_2$ Which of the following is the unit of momentum?	F	equal and opposite. Then how does a body move?
	(a) Nm (b) kgms ⁻²	3.10	A horse pulls the cart. If the action
	(c) Ns (d) Ns ⁻¹		and reaction are equal and
viii.	When horse pulls a cart, the action is on the:		opposite then how does the cart move?
	(a) cart (b) Earth	3.11	What is the law of conservation
	© horse (d) Earth and cart		of momentum?
ix.	Which of the following material lowers friction when pushed		Why is the law of conservation of momentum important?
	between metal plates? (a) water (b) fine marble	3.13	When a gun is fired, it recoils. Why?
	powder	3.14	Describe two situations in which
	(c) air (d) oil		force of friction is needed.
3.2	Define the following terms:	3.15	How does oiling the moving
	(i) Inertia (ii) Momentum		parts of a machine lowers
	(iii) Force (iv) Force of friction		friction?
	(v) Centripetal force	3.16	Describe ways to reduce friction.
3.3	What is the difference between:	3.17	Why rolling friction is less than
	(i) Mass and weight		sliding friction?
	(ii) Action and reaction		
	(iii) Sliding friction and rolling		
	friction		

Physics IX		83	Unit 3: Dynamics
	you know about the following:		(vi) Banking of roads(vii) Cream separator
(ii)	Tension in a string Limiting force of friction Braking force	3.19	What would happen if all friction suddenly disappears?
(iv)	Skidding of vehicles Seatbelts	3.20	Why the spinner of a washing machine is made to spin at a very high speed?
	PROB	LEMS	
	ce of 20 N moves a body with celeration of 2 ms ⁻² . What is		Two masses 26 kg and 24 kg are attached to the ends of a string
its m	ass? (10 kg)		which passes over a frictionless
3.2 The	weight of a body is 147 N.		pulley. 26 kg is lying over a
What	t is its mass? (Take the value		smooth horizontal table. 24 N
of g a	$s 10 \text{ms}^{-2}$) (14.7 kg)		mass is moving vertically
3.3 How	much force is needed to)	downward. Find the tension in
-	ent a body of mass 10 kg		the string and the acceleration in
from	falling? (100 N)		the bodies. (125 N, 4.8 ms ⁻²)
	the acceleration produced	3.8	How much time is required to
by a f	force of 100 N in a mass of		change 22 Ns momentum by a
50 kg	g. (2 ms ⁻²)	2.0	force of 20 N? (1.1s)
3.5 A bo	dy has weight 20 N. How	, 3.9	How much is the force of friction between a wooden block of mass
	n force is required to move		5 kg and the horizontal marble
	ertically upward with an		floor? The coefficient of friction
	leration of 2 ms ⁻² ? (24 N)		between wood and the marble is
	masses 52 kg and 48 kg are		0.6 . (30 N)
	hed to the ends of a string	2 40	How much centripetal force is
	passes over a frictionless		needed to make a body of mass
•	y. Find the tension in the g and acceleration in the		0.5 kg to move in a circle of
,	es when both the masses are		radius 50 cm with a speed 3 ms ⁻¹ ?
	ng vertically. $(500 \mathrm{N}, 0.4 \mathrm{ms}^{-2})$		(9 N)

Unit 4

Turning Effect of Forces

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- define like and unlike parallel forces.
- state head to tail rule of vector addition of forces/vectors.
 - describe how a force is resolved into its perpendicular components.
- determine the magnitude and direction of a force from its perpendicular components.
- define moment of force or torque as moment = force x perpendicular distance from pivot to the line of action of force.
- explain the turning effect of force by relating it to everyday life.
- state the principle of moments.
- define the centre of mass and centre of gravity of a body.
- define couple as a pair of forces tending to produce rotation.
- prove that the couple has the same moments about all points.
- define equilibrium and classify its types by quoting examples from everyday life.
- state the two conditions for equilibrium of a body.



Conceptual linkage.

This unit is built on

- Science-V Machines - Science-VI

Kinematics - Physics-IX

This unit leads to:

Trigonometry - Maths-IX

Rotational Motion, Vectors and Equilibrium

- Physics-XI

Major Concepts solve problems on simple balanced systems when bodies are supported by one pivot only. 4.1 Forces on bodies describe the states of equilibrium and classify 4.2

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them with common examples. explain effect of the position of the centre of mass on the stability of simple objects.

INVESTIGATION SKILLS The students will be able to:

Physics IX

determine the position of centre of mass/gravity of

regularly and irregularly shaped objects.

SCIENCE, TECHNOLOGY AND SOCIETY CONNECTION The students will be able to:

- illustrate by describing a practical application of moment of force in the working of bottle opener, spanner, door/windows handles, etc.
- describe the working principle of see-saw.
- demonstrate the role of couple in the steering wheels and bicycle pedals.
 - demonstrate through a balancing toy, racing car, etc. that the stability of an object can be improved by lowering the centre of mass and increasing the
- base area of the objects. Can the nut of the axle of a bike be loosened with

hand? Normally we use a spanner as shown in figure 4.1. A spanner increases the turning effect of the force.

Look at the picture on the previous page. What is

the joker doing? He is trying to balance himself on a wooden plank which is placed over a cylindrical pipe. Can we do the same? A baby gradually learns to stand by

balancing herself. Women and children in the villages often carry pitchers with water on their heads such as shown in figure 4.2. With a little effort we can learn to balance a stick vertically up on our finger tip. Balanced

Addition of Forces

Unit 4: Turning Effect of Forces

- **Resolution of Forces**
- Moment of a Force
- Principle of moments 4.5
 - Centre of mass
 - Couple

4.3

4.4

4.6

4.7

4.8

- Equilibrium
- 4.9 Stability



Figure 4.1: We can loose a nut with a spanner.



Figure 4.2: Children carrying

pitchers on their heads.

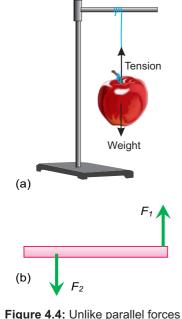
learn many interesting concepts such as torque,

equilibrium, etc. and their applications in daily life.

objects are said to be in equilibrium. In this unit, we will



.



(a) along the same line(b) can turn the object if not in line.

4.1 LIKE AND UNLIKE PARALLEL FORCES We often come across objects on which many forces

Unit 4: Turning Effect of Forces

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are called parallel forces.

are acting. In many cases, we find all or some of the forces acting on a body in the same direction. For example, many people push a bus to start it. Why all of them push it in the same direction? All these forces are applied in the same direction so these are all parallel to each other. Such forces which are parallel to each other

Figure 4.3 shows a bag with apples in it. The weight of each apple weight of the bag is due to the weight of all the apples in it. Since the weight of every apple in the bag is the force of gravity acting on it vertically downwards, therefore, weights of apples are the parallel forces. All these forces are acting in the same direction. Such forces are called like parallel forces.

Like parallel forces are the forces that are

parallel to each other and have the same direction.

In figure 4.4(a), an apple is suspended by a string.

The string is stretched due to weight of the apple. The forces acting on it are; weight of the apple acting vertically

downwards and tension in the string pulling it vertically upwards. The two forces are parallel but opposite to each other. These forces are called unlike parallel forces. In figure 4.4(b), forces F_1 and F_2 are also unlike parallel forces, because they are parallel and opposite to each other. But F_1 and F_2 are not acting along the same line and hence they are capable to rotate the body. **Unlike parallel forces are the forces that are parallel**

but have directions opposite to each other.

4.2 ADDITION OF FORCES

Force is a vector quantity. It has both magnitude and direction; therefore, forces are not added by ordinary arithmetical rules. When forces are added, we get a resultant force.

A resultant force is a single force that has the same effect as the combined effect of all the forces to be added.

draw the next vector for the third force (if any) with its tail coinciding with the head of the previous vector and so on. Now draw a vector **R** such that its tail is at the tail of vector A, the first vector, while its head is at the head of vector B, the last vector as shown in figure 4.5. Vector R represents the resultant force completely in magnitude and direction. **EXAMPLE 4.1** Find the resultant of three forces 12 N along

x-axis, 8 N making an angle of 45° with x-axis and 8 N

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One of the methods for the addition of forces is a

Figure 4.5 shows a graphical method of vector

Take any one of the vectors as first vector e.g.,

graphical method. In this method forces can be added by

addition. First select a suitable scale. Then draw the vectors of all the forces according to the scale; such as

vector A. Then draw next vector B such that its tail

coincides with the head of the first vector A. Similarly

head to tail rule of vector addition.

HEAD TO TAIL RULE

vectors A and B.

along y-axis.

(ii)

Physics IX

SOLUTION Here $F_1 = 12 \text{ N along x-axis}$

F, = 8 N along 45° with x-axis

F₃ = 8 N along y-axis

Scale: 1 cm = 2 N

Represent the forces by vectors \mathbf{F}_1 , \mathbf{F}_2 and \mathbf{F}_3 (i)

the resultant force.

force F₃ coincides with the head of force F₂ at point C. Join point A the tail of the force \mathbf{F}_1 and point D (iii)

according to the scale in the given direction.

Arrange these forces F_1 , F_2 and F_3 . The tail of force F2 coincides with the head of force at point B as shown in figure 4.6. similarly the tail of

to tail rule

Unit 4: Turning Effect of Forces

Figure 4.5: Adding vectors by head to tail rule.

It should be noted that

head to tail rule can be

used to add any number of

forces. The vector

representing resultant force gives the magnitude and direction of the resultant force.

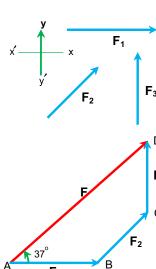
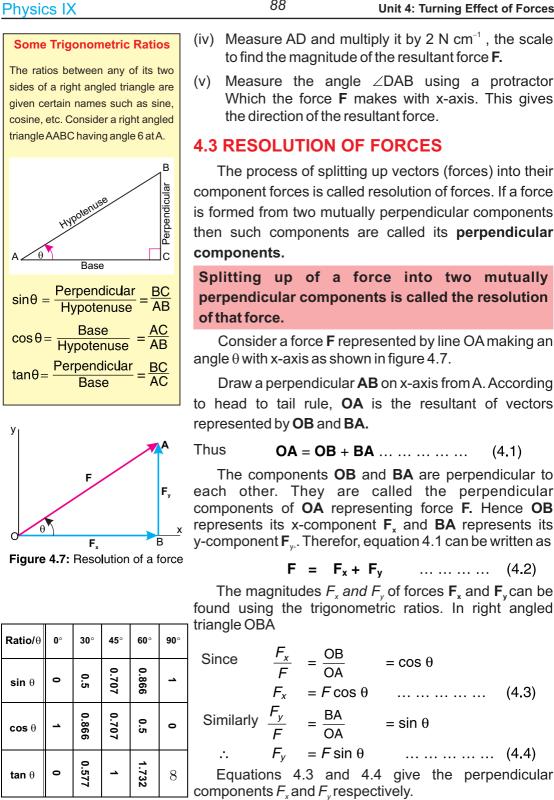


Figure 4.6: Adding forces by Head

the head of force F₃. Let AD represents force F. According to head to tail rule, force F represents



 $F_x = F \cos \theta$ Since $F_x = 200 \times \cos 30^\circ$ or $= 200 \times 0.866 = 173.2 \text{ N}$ Similarly $F_v = F \sin \theta$ or $F_v = 200 \times \sin 30^\circ$ $= 200 \times 0.5 = 100 \text{ N}$ Thus, horizontal and vertical components of the pulling force are 173.2 N and 100 N respectively.

A man is pulling a trolley on a horizontal road with

a force of 200 N making 30° with the road. Find the

 $\theta = 30^{\circ}$ with the horizontal

horizontal and vertical components of its force.

F = 200 N

 $F_x = ?$ $F_v = ?$

Physics IX

SOLUTION

That is

EXAMPLE 4.2

Since a force can be resolved into two perpendicular components. Its reverse is to determine the force knowing its perpendicular components.

Consider **F**_x and **F**_y as the perpendicular components of a force F. These perpendicular components F_x and F_y are represented by lines OP and PR respectively as shown in figure 4.8.

DETERMINATION OF A FORCE

PERPENDICULAR COMPONENTS

According to head to tail rule:

OR = OP + PR

whose x and y-components are F_x and F_y respectively.

Thus OR will completely represent the force F

 $= F_x + F_v$

 $(OR)^2 = (OP)^2 + (PR)^2$

The direction of force F with x-axis is given by

 $F^2 = F_{\nu}^2 + F_{\nu}^2$

 $F = \sqrt{F_x^2 + F_y^2} \dots \dots (4.5)$

determined using the right angled triangle OPR

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magnitude of the force F can

FROM ITS

F,

Figure 4.8: Determination of a force

Unit 4: Turning Effect of Forces

In a right angled triangle

length of base is 4 cm and

its perpendicular is 3 cm.

(i) length of hypotenuse

F,

Find:

(ii) sinθ

(iii) cosθ

(iv) tanθ

by its perpendicular components.

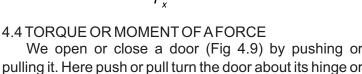
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Figure 4.9: It is easy to open and close the door by pulling or pushing it at its handle.





Figure 4.10: Turning effect of forces.



turning effect of the force acting on it. **RIGID BODY**

AXIS OF ROTATION Consider a rigid body rotating about a line. The particles of the body move in circles with their centres all lying on this line. This line is called the axis of rotation of the body.

Forces that produce turning effect are very

axis of rotation. The door is opened or closed due to the

A body is composed of large number of small particles. If the distances between all pairs of particles of the body do not change by applying a force then it is called a rigid body. In other words, a rigid body is the one that is not

(4.6)

common. Turning pencil in a sharpener, turning stopcock of a water tap, turning doorknob and so on are some of the examples where a force produces turning effect.

deformed by force or forces acting on it.

QUICK QUIZ

Name some more objects that work by the turning effects of forces.

The turning effect of a force is called torque or moment of the force.

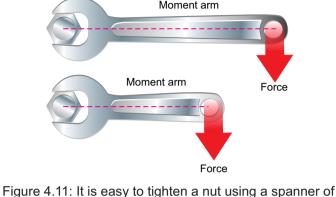
Why the handle of a door is fixed near the outer edge of a door? We can open or close a door more easily by applying a force at the outer edge of a door rather than near the hinge. Thus, the location where the force is

applied to turn a body is very important.

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Unit 4: Turning Effect of Forces

mechanic uses a spanner as shown in figure 4.11 to loosen or tighten a nut or a bolt. A spanner having long arm helps him to do it with greater ease than the one Moment arm



longer arm than a spanner of shorter arm.

having short arm. It is because the turning effect of the force is different in the two cases. The moment produced by a force using a spanner of longer arm is greater than the torque produced by the same force but using a spanner of shorter arm.

LINE OF ACTION OF A FORCE

The line along which a force acts is called the line of action of the force. In figure 4.12, line BC is the line of action of force F.

MOMENT ARM

Torque

Physics IX

The perpendicular distance between the axis of rotation and the line of action of the force is called the moment arm of the force. It is represented by the distance L in figure 4.12.

The torque or moment of a force depends upon the force **F** and the moment arm L of the force. Greater is a force, greater is the moment of the force. Similarly, longer is the moment arm greater is the moment of the force. Thus the moment of the force or torque τ is determined by the product of force F and its moment arm L. Mathematically,

 $= F \times L$

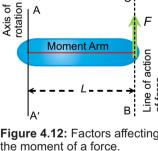


Figure 4.12: Factors affecting the moment of a force.

Mini Exercise A force of 150 N can loosen a

Physics IX

nut when applied at the end of a spanner 10 cm long. 1. What should be the length

of the spanner to loosen the same nut with a 60 N force? 2. How much force would be

6 cm long spanner?

sufficient to loosen it with a

to the moment arm 1 m long. **EXAMPLE 4.3**

A mechanic tightens the nut of a bicycle using a 15 cm long spanner by exerting a force of 200 N. Find the torque that has tightened it. **SOLUTION**

of 1 N m is caused by a force of 1 N acting perpendicular

Using

F = 200 N= 15 cm = 0.15 m $\tau = FL$ $= 200 \text{ N} \times 0.15 \text{ m}$ = 30 N m

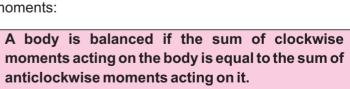
Thus, a torque of 30 N m is used to tighten the nut.

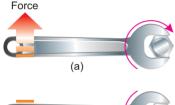
PRINCIPLE OF MOMENTS

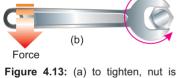
direction is generally used to tighten a nut as shown in figure 4.13(a). The torque or moment of the force so produced is called clockwise moment. On the other hand, to loosen a nut, the force is applied such that it turns the nut in the anticlockwise direction as shown in figure 4.13(b). The torque or moment of the force so produced is called anticlockwise moment.

A force that turns a spanner in the clockwise

A body initially at rest does not rotate if sum of all the clockwise moments acting on it is balanced by the sum of all the anticlockwise moments acting on it. This is known as the principle of moments. According to the principle of moments:







turned clockwise (b) to loosen, nut is turned anticlockwise.

Small

distance

Large

distance

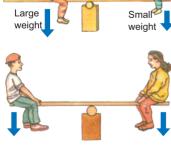


Figure 4.14: Children on see-saw.

QUICK QUIZ

- Can a small child play with a fat child on the 1. seesaw? Explain how?
- Two children are sitting on the see-saw, such 2. that they can not swing. What is the net torque in this situation?

A metre rod is supported at its middle point O as shown in figure 4.15. The block of weight 10 N is suspended at point B, 40 cm from O. Find the weight of the block that balances it at point A, 25 cm from O.

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SOLUTION

or

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EXAMPLE 4.4

$$w_2 = 10 \text{ N}$$

 $W_1 = ?$

Moment arm of w_1 = OA = 25 cm = 0.25 m

Moment arm of $w_2 = OB = 40 \text{ cm} = 0.40 \text{ m}$

Applying principle of moments;

moment of w_2 = moment of w_1 or w_1 x moment arm of $w_2 = w_1$ x moment arm of w_1

Clockwise moments = Anticlockwise moments

Thus $W_1 \times OA = W_2 \times OB$

$$w_1 \times 0.25 \text{ m} = 10 \text{ N} \times 0.40 \text{ m}$$

$$w_1 = \frac{10 \text{ N} \times 0.40 \text{ m}}{0.25 \text{ m}}$$

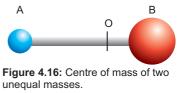
= 16 N

Thus, weight of the block suspended at point A is 16 N.

4.6 **CENTRE OF MASS**

force F without rotation.

It is observed that the centre of mass of a system moves as if its entire mass is confined at that point. A force applied at such a point in the body does not produce any torque in it i.e. the body moves in the direction of net



Unit 4: Turning Effect of Forces

Consider a system of two particles A and B

connected by a light rigid rod as shown in figure 4.16.

Figure 4.17: A force applied at COM moves the system without rotation.

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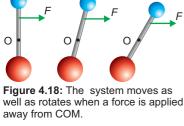


Figure 4.19: The system moves as well as rotates when a force is applied

away from COM. CENTRE OF GRAVITY

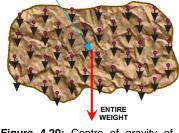


Figure 4.20: Centre of gravity of a body is a point where its entire weight is assumed to act vertically downward.

Unit 4: Turning Effect of Forces

particles vertically downward towards its centre. The pull of the Earth acting on a particle is equal to its weight. These forces acting on the particles of a body are almost

Let O is a point anywhere between A and B such that the

parallel. The resultant of all these parallel forces is a single force equal to the weight of the body. A point where this resultant force acts vertically towards the centre of

the Earth is called the centre of gravity G of the body.

A point where the whole weight of the body appears to act vertically downward is called centre of gravity of a body.

It is useful to know the location of the centre of gravity of a body in problems dealing with equilibrium.

force F is applied at point O as shown in figure 4.17. If the system moves in the direction of force F without rotation,

then point O is the centre of mass of the system. Does the system still move without rotation if the force acts elsewhere on it?

(i) Let the force be applied near the lighter particle

as shown in figure 4.18. The system moves as well as rotates.

(ii) Let the force be applied near the heavier particle as shown in figure 4.19. In this case, also the system moves as well as rotates.

Centre of mass of a system is such a point where an applied force causes the system to

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move without rotation.

4.6 CENTRE OF GRAVITY

A body is made up of a large number of particles as

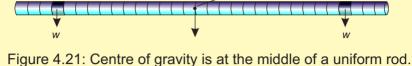
illustrated in figure 4.20. Earth attracts each of these

THIN LAMINA

of suspension.

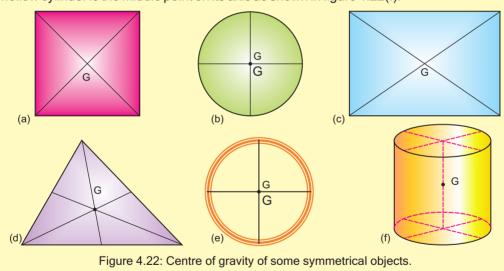
CENTRE OF GRAVITY OF SOME SYMMETRICAL OBJECTS The centre of gravity of objects which have symmetrical shapes can be found from their

geometry. For example, the centre of gravity of a uniform rod lies at a point where it is balanced. This balance point is its middle point G as shown in figure 4.21.



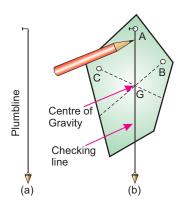
The centre of a gravity of a uniform square or a rectangular sheet is the point of intersection of its diagonals as shown in figure 4.22 (a) and (c). The centre of gravity of a uniform circular disc is its centre as shown in figure 4.22(b). Similarly, the centre of gravity of a solid sphere or hollow sphere is the centre of the spheres as shown in figure 4.22(b).

The centre of gravity of a uniform triangular sheet is the point of intersection of its medians as shown in figure 4.22 (d). The centre of gravity of a uniform circular ring is the centre of the ring as shown in figure 4.22(e). The centre of gravity of a uniform solid or hollow cylinder is the middle point on its axis as shown in figure 4.22(f).



CENTRE OF GRAVITY OF AN IRREGULAR SHAPED

A simple method to find the centre of gravity of a body is by the use of a plumbline. A plumbline consists of a small metal bob (lead or brass) supported by a string. When the bob is suspended freely by the string, it rests along the vertical direction due to its weight acting vertically downward as shown in figure 4.23 (a). In this state, centre of gravity of the bob is exactly below its point



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the centre of gravity of a piece of cardboard by using plumbline.

Figure 4.23: (a) Plumbline (b) Locating



Figure 4.24: It is easy to turn a steering wheel by applying a couple.

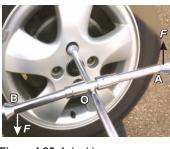


Figure 4.25: A double arm spanner.

Take an irregular piece of cardboard. Make holes

A, B and C as shown in figure 4.23(b) near its edge. Fix a nail on a wall. Support the cardboard on the nail through one of the holes (let it be A), so that the cardboard can swing freely about A. The cardboard will come to rest with its centre of gravity just vertically below the nail. Vertical line from A can be located using a plumbline hung from the nail. Mark the line on the cardboard behind the plumbline. Repeat it by supporting the cardboard from hole B. The line from B will intersect at a point G. Similarly, draw another line from the hole C. Note that this line also passes through G. It will be found that all the vertical lines from holes A B and C have a common point G. This Common point G is the centre of gravity of the cardboard.

4.7 COUPLE

When a driver turns a vehicle, he applies forces that produce a torque. This torque turns the steering wheel. These forces act on opposite sides of the steering wheel as shown in figure 4.24 and are equal in magnitude but opposite in direction. These two forces form a couple.

A couple is formed by two unlike parallel forces of the same magnitude but not along the same line

A double arm spanner is used to open a nut.

Equal forces each of magnitude Fare applied on ends A and B of a spanner in opposite direction as shown in figure 4.25. These forces form a couple that turns the spanner about point O. The torques produced by both the forces of a couple have the same direction. Thus, the total torque produced by the couple will be

Total torque of the couple $= F \times OA + F \times OB$

$$= F (OA + OB)$$

Torque of the couple $= F \times AB$ (4.8)

Equation 4.8 gives the torque produced by a couple of forces F and F separated by distance AB. The torque of a couple is given by the product of one of them. 4.8 EQUILIBRIUM

continues its state of rest or of uniform motion in a straight line if no resultant or net force acts on it. For example, a

Newton's first law of motion tells us that a body

Physics IX

book lying on a table or a picture hanging on a wall, are at rest. The weight of the book acting downward is balanced by the upward reaction of the table. Consider a log of wood of weight w supported by ropes as shown in figure 4.26. Here the weight w is balanced by the forces F_1

and F_2 pulling the log upward. In case of objects moving with

uniform velocity, the resultant force acting on them is zero. A

car moving with uniform velocity on a levelled road and an

aeroplane flying in the air with uniform velocity are the examples of bodies in equilibrium. A body is said to be in equilibrium if no net force acts on it.

A body in equilibrium thus remains at rest or

moves with uniform velocity.

CONDITIONS FOR EQUILIBRIUM

body to be in equilibrium.

In the above examples, we see that a body at rest or in uniform motion is in equilibrium if the resultant force acting on it is zero. For a body in equilibrium, it must satisfy certain conditions. There are two conditions for a

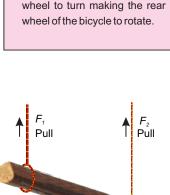
FIRST CONDITION FOR EQUILIBRIUM

A body is said to satisfy first condition for equilibrium if the resultant of all the forces acting on it is zero. Let n number of forces F_1 , F_2 , F_3 ,, F_n are acting on a body such that

$$F_{1}+ F_{2}+ F_{3}+ ... + F_{n} = 0$$

or $\sum F = 0 (4.9)$

The symbol Σ is a Greek letter called sigma used for summation. Equation 4.9 is called the first condition for equilibrium.



Unit 4: Turning Effect of Forces

DO YOU KNOW?

A cyclist pushes the pedals of a

bicycle. This forms a couple that acts on the pedals. The

pedals cause the toothed

Figure 4.26: The forces acting on the log are; upward forces F_1 , F_2 and its weight w in the downward direction.

Weight



Figure 4.27: A wall hanging is in equilibrium



velocity is in equilibrium.

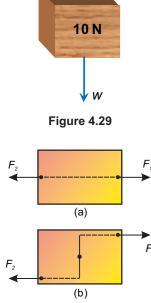


Figure 4.30: (a) Two equal and opposite forces acting along the same lines (b) Two equal and opposite forces acting along different lines

 $\sum F_{x} = 0$

Weight of the block w = 10 N

Tension in the cord T = ?

Applying first condition for equilibrium

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 $F_{1x} + F_{2x} + F_{3x} + \dots + F_{nx}$

and $F_{1v} + F_{2v} + F_{3v} + \dots + F_{nv} = 0$

equilibrium and is thus in equilibrium.

EXAMPLE 4.5

SOLUTION

acting on the body as:

Unit 4: Turning Effect of Forces

The first condition for equilibrium can also be

 $\sum F_{x} = 0 \dots (4.10)$

and $\sum F_{v} = 0 \dots (4.11)$

stated in terms of x and y-components of the forces

A book lying on a table or a picture hanging on a wall, are at rest and thus satisfy first condition for equilibrium. A paratrooper coming down with terminal velocity (constant velocity) also satisfies first condition for

A block of weight 10 N is hanging through a cord

as shown in figure 4.29. Find the tension in the cord.

There is no force acting along x-axis. $\sum F_{v} = 0$ T-w = 0T = w

> T = 10 NThus, the tension in the cord is 10 N.

SECOND CONDITION FOR EQUILIBRIUM

First condition for equilibrium does not ensure that a body is in equilibrium. This is clear from the following example. Consider a body pulled by the forces F_1 and F_2 as shown in figure 4.30(a). The two forces are equal but opposite to each other. Both are

acting along the same line, hence their resultant will be

zero. According to the first condition, the body will be in

equilibrium in addition to the first condition for equilibrium. This is called second condition for equilibrium. According to this, a body satisfies second condition for equilibrium when the resultant torque acting

 $\Sigma \tau = 0 \dots (4.12)$

1. A ladder leaning at a wall as shown in figure 4.31

2. The weight of the ladder in figure 4.31 produces an anticlockwise torque. The wall pushes the

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Unit 4: Turning Effect of Forces

0.5 m 0.25 m

ladder at its top end thus produces a clockwise torque. Does the ladder satisfy second condition for equilibrium?

on it is zero. Mathematically,

is in equilibrium. How?

QUICK QUIZ

3. Does the speed of a ceiling fan go on increasing all the time? 4. Does the fan satisfy second condition for equilibrium when rotating with uniform speed?

0.75 m

EXAMPLE 4.6 A uniform rod of length 1.5 m is placed over a wedge at

Physics IX

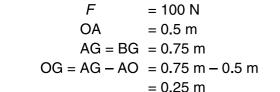
0.5 m from its one end. A force of 100 N is applied at one of its ends near the wedge to keep it horizontal. Find the weight of the rod and the reaction of the wedge.





Figure 4.32: A ceiling fan rotating at constant speed is in equilibrium as net torque acting on it is zero.

SOLUTION A rod balanced over a wedge



Unit 4: Turning Effect of Forces W = ?

R = ?

 $\sum \tau = 0$

$$F \times AO + R \times 0 - w \times OG = 0$$

$$100 \text{ N} \times 0.5 \text{ m} - w \times 0.25 \text{ m} = 0$$

or
$$w \times 0.25 \text{ m} = 0.25 \text{ m}$$

or
$$w \times 0.25 \text{ m} = 100 \text{ N} \times 0.5 \text{ m}$$

$$w = \frac{100 \,\mathrm{N} \times 0.5 \,\mathrm{m}}{0.25 \,\mathrm{m}}$$
$$w = 200 \,\mathrm{N}$$

Applying first condition for equilibrium
$$\sum F_{v} = 0$$

$$R - F - w = 0$$

 $R - 100 \text{ N} - 200 \text{ N} = 0$

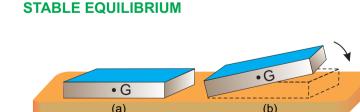
or
$$R = 300 \text{ N}$$

the wedge is 300 N.

STATES OF EQUILIBRIUM

There are three states of equilibrium; stable equilibrium, unstable equilibrium and neutral equilibrium.

A body may be in one of these three states of equilibrium.



(a) (b) Figure 4.33: Stable equilibrium (a) A book is lying on a table (b) The book returns to its previous position when let free after a

slight tilt. Consider a book lying on the table. Tilt the book slightly about its one edge by lifting it from the opposite

side as shown in figure 4.33. It returns to its previous

stable equilibrium. Thus A body is said to be in stable equilibrium if after a

Physics IX

slight tilt it returns to its previous position.

When a body is in stable equilibrium, its centre of gravity is at the lowest position. When it is tilted, its centre of gravity rises. It returns to its stable state by lowering its centre of

gravity. A body remains in stable equilibrium as long as the

centre of gravity acts through the base of the body. Consider a block as shown in figure 4.34. When the

block is tilted, its centre of gravity G rises. If the vertical line through G passes through its base in the tilted position as shown in figure 4.34 (b), the block returns to its previous position. If the vertical line through G gets out of its base as

shown in figure 4.34(c), the block does not return to its previous

position. It topples over its base and moves to new

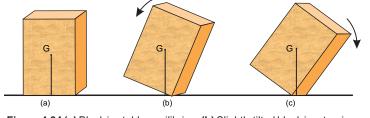


Figure 4.34 (a) Block in stable equilibrium (b) Slightly tilted block is returning to its previous position, (c) A more tilted block topples over its base and does not return to its previous position.

stable equilibrium position. That is why a vehicle is made heavy

at its bottom to keep its centre of gravity as low as possible. A lower centre of gravity keeps it stable. Moreover, the base of a vehicle is made wide so that the vertical line passing through its centre of gravity should not get out of its base during a turn.

UNSTABLE EQUILIBRIUM

Take a pencil and try to keep it in the vertical position on its tip as shown in figure 4.36. Whenever you leave it, the pencil topples over about its tip and falls down. This is called the unstable equilibrium. In unstable equilibrium, a body may be made to stay only



Unit 4: Turning Effect of Forces



Figure 4.35: A double decker bus being under test for stability.

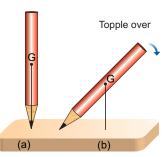


Figure 4.36: Unstable equilibrium (a) pencil just balanced at its tip with centre of gravity G at the highest position, (b) Pencil topples over caused by the torque of its weight acting at G.

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state of unstable equilibrium. Thus

Physics IX for a moment. Thus a body is unable to keep itself in the



bottom. This lowers their centre of gravity and helps to increase their stability.

Figure 4.37: Neutral equilibrium (a) a ball is placed on a horizontal surface (b) the ball remains in its new

displaced position.

Needle

Cork-

If a body does not return to its previous position when sets free after a slightest tilt is said to be in unstable equilibrium.

The centre of gravity of the body is at its highest position in the state of unstable equilibrium. As the body

topples over about its base (tip), its centre of gravity moves

towards its lower position and does not return to its

shown in figure 4.37. Roll the ball over the surface and leave it after displacing from its previous position. It

Unit 4: Turning Effect of Forces

previous position. **NEUTRAL EQUILIBRIUM**

Take a ball and place it on a horizontal surface as

remains in its new position and does not return to its previous position. This is called neutral equilibrium. If a body remains in its new position when disturbed from its previous position, it is said

to be in a state of neutral equilibrium. In neutral equilibrium, all the new states in which a body is

moved, are the stable states and the body, remains in its new state. In neutral equilibrium, the centre of gravity of the body remains at the same height, irrespective to its new position. There are various objects which have neutral equilibrium such as a ball, a sphere, a roller, a pencil lying horizontally, an egg lying horizontally on a flat surface etc.

4.9 STABILITY AND POSITION OF CENTRE OF **MASS**

As we have learnt that position of centre of mass of an object plays an important role in their stability. To make them stable, their centre of mass must be kept as low as possible. It is due to this reason, racing cars are made heavy at the bottom and their height is kept to be minimum. Circus artists such as tight rope walkers use long poles to

lower their centre of mass. In this way they are prevented from topple over. Here are few examples in which lowering

of centre of mass make the objects stable. These



system. Figure 4.39(a) shows a perched parrot which is made heavy at its tail. Figure 4.39(b) shows a toy that keeps itself upright when tilted. It has a heavy semispherical base. When it is tilted, its centre of mass rises. It Figure 4.39: (a) A perchd parrot returns to its upright position at which itscentre of mass is (b) A self righting toy **SUMMARY**

Parallel forces have their lines of action If the direction of parallel forces is the same, they are called like parallel

on a body in equilibrium is equal to the sum of anticlockwise moments acting

on it.

forces. If two parallel forces are in opposite direction to each other, then they are called unlike parallel forces.

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at the lowest.

parallel to each other.

The sum of two or more forces is called the resultant force. A graphical method used to find the

resultant of two or more forces is called head to tail rule. Splitting up a force into two components perpendicular to each other is called resolution of that force. These components are

 $F_x = F \cos \theta$, $F_y = F \sin \theta$

$$F_x = F \cos \theta$$
, $F_y = F \sin \theta$
A force can be determined from its

perpendicular components as $F = \sqrt{F_x^2 + F_y^2}$, $\theta = \tan^{-1} \frac{F_y}{F_x}$

Torque or moment of a force is the

Centre of mass of a body is such a point where a net force causes it to move without rotation. The centre of gravity of a body is a point where the whole weight of a body acts vertically downward. A couple is formed by two parallel

different lines of action. A body is in equilibrium if net force acting on it is zero. A body in equilibrium either remains at rest or

forces of the same magnitude but

acting in opposite direction along

moves with a uniform velocity. A body is said to satisfy second condition for equilibrium if the resultant torque acting on it is zero.

A body is said to be in stable equilibrium if after a slight tilt it returns to its previous position.

turning effect of the force. Torque of a If a body does not return to its previous force is equal to the product of force position when sets free after slightly tilt and moment arm of the force. is said to be in unstable equilibrium. According to the principle of moments, the sum of clockwise moments acting

Ph	ysics IX 10-	4	Unit 4: Turning Effect of Forces
>	A body that remains in its new position when disturbed from its previous	•	sition is said to be in a state of utral equilibrium.
	QUEST	ION	IS
4.1	Encircle the correct answers from the given choices: Two equal but unlike parallel forces having different line of action produce (a) a torque	vii.	 (d) acceleration is zero A body is in neutral equilibrium when its centre of gravity: (a) is at its highest position (b) is at the lowest position (c) keeps its height if displaced
	(b) a couple(c) equilibrium(d) neutral equilibrium	viii.	(d) is situated at its bottomRacing cars are made stable by:(a) increasing their speed(b) decreasing their mass
ii.	The number of forces that can be added by head to tail rule are: (a) 2 (b) 3 (c) 4 (d) any number	4.2	(c) lowering their centre of gravity(d) decreasing their widthDefine the following:(i) resultant vector
iii.	The number of perpendicular components of a force are: (a) 1 (b) 2		(ii) torque (iii) centre of mass (iv) centre of gravity
V.	(c) 3 (d) 4 A force of 10 N is making an angle of 30° with the horizontal. Its horizontal component will be: (a) 4 N (b) 5 N	4.3	Differentiate the following: (i) like and unlike forces (ii) torque and couple (iii) stable and neutral equilibrium
٧.	(c) 7 N (d) 8.7 N A couple is formed by (a) two forces perpendicular to	4.4	How head to tail rule helps to find the resultant of forces?
	 (a) two forces perpendicular to each other (b) two like parallel forces (c) two equal and opposite forces in the same line (d) two equal and opposite forces not in the same line 	4.5	How can a force be resolved into its perpendicular components?
		4.6	When a body is said to be in equilibrium?
		4.7	Explain the first condition for equilibrium.
∕i.	A body is in equilibrium when its: (a) acceleration is uniform (b) speed is uniform (c) speed and acceleration are uniform	4.8	Why there is a need of second condition for equilibrium if a body satisfies first condition for equilibrium?

Phys	ics IX	105	Unit 4: Turning Effect of Forces
4.9	What is second condition for equilibrium?	4.12	equilibrium due to single force
4.10	Give an example of a moving body which is in equilibrium.	4.13	acting on it? Why the height of vehicles is kept as low as possible?
4.11	Think of a body which is at rest but not in equilibrium.	4.14	Explain what is meant by stable, unstable and neutral equilibrium. Give one example in each case.
	PROB	BLEN	MS
4.2 F	Find the resultant of the following forces: (i) 10 N along x-axis (ii) 6 N along y-axis and (iii) 4 N along negative x-axis. (8.5 N making 45° with x-axis) Find the perpendicular components of a force of 50 N making an angle of 30° with x axis. (43.3 N, 25 N) Find the magnitude and direction of a force, if its x-component is 12 N and y-component is 5 N. (13 N making 22.6° with x-axis) A force of 100 N is applied perpendicularly on a spanner at a distance of 10 cm from a nut. Find the torque produced by the force. (10 Nm)	4.8	A picture frame is hanging by two vertical strings. The tensions in the strings are 3.8 N and 4.4 N. Find the weight of the picture frame. Two blocks of masses 5 kg and 3 kg are suspended by the two strings as shown. Find the tension in each string. (80 N, 30 N) A nut has been tightened by a force of 200 N using 10 cm long spanner. What length of a spanner is required to loosen the same nut with 150 N force? (13.3 cm)
a T	A force is acting on a body making an angle of 30° with the horizontal. The horizontal component of the force is 20 N. Find the force. (23.1 N)	4.10	A block of mass 10 kg is suspended at a distance of 20 cm from the centre of a uniform bar 1 m long. What force is required to balance it at its centre of gravity
1	The steering of a car has a radius 16 cm. Find the torque produced by a couple of 50 N. (16 Nm)		by applying the force at the other end of the bar? (40 N)

Gravitation



STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- state Newton's law of gravitation.
- explain that the gravitational forces are consistent with Newton's third law.
- explain gravitational field as an example of field of force.
- define weight (as the force on an object due to a gravitational field.)
 - calculate the mass of Earth by using law of gravitation.
 - solve problems using Newton's law of gravitation.
 - explain that value of g decreases with altitude from the surface of Earth.
- discuss the importance of Newton's law of gravitation in understanding the motion of satellites.

This unit is built on

Gravitation - Science-V Earth & Space - Science-VI

This unit leads to:
Gravitational Potential,

Escape Velocity and Artificial Satellite

Major Concepts

- 5.1 Law of Gravitation
- 5.2 Measurement of mass of Earth
- 5.3 Variation of g with altitude
- 5.4 Motion of artificial satellites

SCIENCE, TECHNOLOGY AND SOCIETY CONNECTION

The students will be able to:

- gather information to predict the value of the acceleration due to gravity g at any planet or moon's surface using Newton's law of gravitation.
- describe how artificial satellites keep on moving around the Earth due to gravitational force.

Unit 5: Gravitation

around the Sun. Suddenly an apple fell from the tree under which he was sitting. The idea of gravity flashed in his mind. He discovered not only the cause of falling apple but also the cause that makes the planets to revolve around the Sun and the moon around the Earth. This unit deals with the concepts related to gravitation. 5.1 THE FORCE OF GRAVITATION

was Isaac Newton. It was an evening of 1665 when he was trying to solve the mystery why planets revolve

The first man who came up with the idea of gravity

concluded that the force which causes an apple to fall on the Earth and the force which keeps the moon in its orbit are of the same nature. He further concluded that there exists a force due to which everybody of the universe attracts every other body. He named this force the force of gravitation.

On the basis of his observations, Newton

LAW OF GRAVITATION

According to Newton's law of universal gravitation:

Everybody in the universe attracts every other body with a force which is directly proportional to the product of their masses and inversely proportional to the square of the distance between their centres.

Consider two bodies of masses m_1 and m_2 . The distance between the centres of masses is d as shown in figure 5.1. $F = G \frac{m_1 m_2}{d^2}$ F m.

Figure 5.1: Two masses attract each other with a gravitational force of equal magnitude.

According to the law of gravitation, the gravitational force of attraction F with which the two masses m_1 and m_2 separated by a distance d attract each other is given by:

Unit 5: Gravitation

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attracts nearby objects with a significant force. The weight of an object on the Earth is the result of gravitational force of attraction between the Earth and the object.

Here G is the proportionality constant. It is called

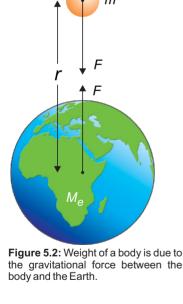
the universal constant of gravitation. Its value is same everywhere. In SI units its value is 6.673x1 10⁻¹¹ Nm²kg⁻². Due to small value of G, the gravitational force of attraction between objects around us is very small and we do not feel it. Since the mass of Earth is very large, it

LAW OF GRAVITATION AND NEWTON'S THIRD LAW OF MOTION

with which they attract each other.

with a force F while mass m_2 attracts m_1 towards it with a force of the same magnitude F but in opposite direction. If the force acting on m_1 is considered as action then the force acting on m_2 will be the reaction. The action and reaction due to force of gravitation are equal in magnitude but opposite in direction. This is consistent

It is to be noted that mass m_1 attracts m_2 towards it



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EXAMPLE 5.1

Two lead spheres each of mass 1000 kg are kept with their centres 1 m apart. Find the gravitational force

with Newton's third law of motion which states, to every action there is always an equal but opposite reaction.

Here $m_1 = 1000 \text{ kg}$ $m_2 = 1000 \text{ kg}$ d = 1 mSince $F = G \frac{m_1 m_2}{d^2}$ Putting the values, we get $F = 6.673 \times 10^{-11} \text{ Nm}^2 \text{kg}^{-2} \times \frac{1000 \text{ kg} \times 1000 \text{ kg}}{(1 \text{ m})^2}$ $= 6.673 \times 10^{-5} \text{ N}$ Thus, gravitational force of attraction between

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GRAVITATIONAL FIELD

force per unit mass is called

the lead spheres is 6.673×10^{-5} N.

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SOLUTION

gravitational force between a body of mass m and the Earth is given by

According to the Newton's law of gravitation, the

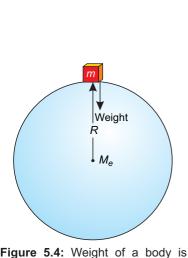
The weight of a body is due to the gravitational force with which the Earth attracts a body. Gravitational force is a non-contact force. For example, the velocity of a body, thrown up, goes on decreasing while on return its velocity goes on increasing. This is due to the gravitational pull of the Earth acting on the body whether the body is in contact with the Earth or not. Such a force is called the field force. It is assumed that a gravitational

weaker as we go farther and farther away from the Earth. In the gravitational field of the Earth, the gravitational

Figure 5.3: Gravitational field around the Earth is towards its centre.

Unit 5: Gravitation

field exists all around the Earth. This field is directed towards the centre of the Earth as shown by arrows in figure 5.3. The gravitational field becomes weaker and



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equal to the gravitational force between the body and the Earth.

Earth as shown in figure 5.4. Let the mass of the Earth be $M_{\rm g}$ and radius of the Earth be R. The distance of the body

R of the Earth. According to the law of gravitation, the

Consider a body of mass m on the surface of the

the gravitational field strength of the Earth. At any place its value is equal to the value of g at that point. Near the surface of the Earth, the gravitational field strength is

Unit 5: Gravitation

5.2 MASS OF THE EARTH

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10 N kg⁻¹.

from the centre of the Earth will also be equal to the radius

But the force with which Earth attracts a body towards its centre is equal to its weight w. Therefore,

or $mg = G \frac{mM_e}{R^2}$ (5.5)

Mass M_a of the Earth can be determined on putting the values in equation (5.7).

$$M_e = \frac{(6.4 \times 10^6 \text{ m})^2 \times 10 \text{ ms}^{-2}}{6.673 \times 10^{-11} \text{ Nm}^2 \text{kg}^{-2}}$$
$$= 6.0 \times 10^{24} \text{ kg}$$

Thus, mass of the Earth is 6 x 10 kg.

5.3 VARIATION OF G WITH ALTITUDE

Equation (5.6) shows that the value of acceleration due to gravity g depends on the radius of 111

Altitude is the height of an object or place above sea level. The value of g is greater at sea level than at the hills. Consider a body of mass m at an altitude h as

shown in figure 5.5. The distance of the body from the centre of the Earth becomes R + h. Therefore, using equation (5.6), we get

 $g_h = G \frac{M_e}{(R+h)^2} \dots \dots (5.8)$

above the Earth's surface, the value of g becomes one

EXAMPLE 5.2 Calculate the value of g, the acceleration due to

gravity at an altitude 1000 km. The mass of the Earth is 6.0 x 10²⁴kg. The radius of the Earth is 6400 km.

SOLUTION

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Here
$$R = 6400 \text{ km}$$

ninth of its value on the Earth.

$$h = 1000 \text{ km}$$

$$h = 1000 \text{ km}$$

 $M_e = 6.0 \times 10^{24} \text{ kg}$

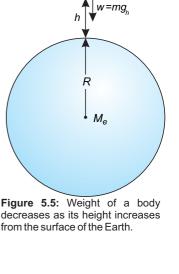
$$g_h = ?$$

As
$$R + h = 6400 \text{ km} + 1000 \text{ km} = 7400 \text{ km}$$

=
$$7.4 \times 10^6 \text{ m}$$

 $g_h = G \frac{M_e}{(B+h)^2}$

$$g_h = \frac{6.673 \times 10^{-11} \,\mathrm{Nm^2 \,kg^{-2}} \times 6.0 \times 10^{24} \,\mathrm{kg}}{(7.4 \times 10^6 \,\mathrm{m})^2}$$



Unit 5: Gravitation

Mini Exercise

- 1. Does an apple attract the Earth towards it?
- 2. With what force an apple weighing 1N attracts the Earth?

3. Does the weight of an apple increase, decrease or remain

a mountain?

constant when taken to the top of

DO YOU KNOW?

Value of g on the surface of a celestial object depends on its mass and its radius. The value of g on some of the objects is

given below: g (ms²) Object Sun

274..2 Mercury 3.7 Venus 8.87

Moon 1.62 Mars

3.73 25.94 Jupiter

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Unit 5: Gravitation $= 7.3 \text{ N kg}^{-1} = 7.3 \text{ ms}^{-2}$ Thus the value of g, the acceleration due to gravity at an altitude of 1000 km will be 7.3 ms⁻²

5.4 ARTIFICIAL SATELLITES

An object that revolves around a planet is called a

objects into space. Some of these objects revolve around the Earth. These are called artificial satellites. Most of the artificial satellites, orbiting around the Earth are used for communication purposes. Artificial satellites carry instruments or passengers to perform experiments in space.

satellite. The moon revolves around the Earth so moon is a natural satellite of the Earth. Scientists have sent many



Figure 5.6: A satellite is orbiting around the Earth at a height *h* above the surface of the Earth.

Large number of artificial satellites have been launched in different orbits around the Earth. They take different time to complete their one revolution around the

Earth depending upon their distance h from the Earth.

Dish antennas sending and receiving the signals from them have fixed direction depending upon their location

Communication satellites take 24 hours to complete their one revolution around the Earth. As Earth also completes its one rotation about its axis in 24 hours, hence, these communication satellites appear to be stationary with respect to Earth. It is due to this reason that the orbit of such a satellite is called geostationary orbit.

on the Farth

DO YOU KNOW? The height of a geostationary

satellite is about 42,300 km from the surface of the Earth. Its velocity with respect to Earth is zero.

DO YOU KNOW? Global Positioning System

(GPS) is a satellites navigation system. It helps us to find the exact position of an object anywhere on the land, on the sea or in the air. GPS consists of 24 Earth satellites. These

sea or in the air. GPS consists of 24 Earth satellites. These satellites revolve around the Earth twice a day with a speed of 3.87 km s⁻¹.

A satellite requires centripetal force that keeps it to move around the Earth. The gravitational force of attraction between the satellite and the Earth provides the necessary centripetal force. Consider a satellite of mass m revolving round the Earth at an altitude h in an orbit of radius r_0 with orbital velocity v_{o} . The necessary centripetal force required is given by equation (3.26). $F_c = \frac{mv_o^2}{r}$ This force is provided by the gravitational force of attraction between the Earth and the satellite and is equal to the weight of the satellite w'(mg.). Thus $F_{c} = w' = mg_{h} \dots \dots (5.9)$ $mg_{h} = \frac{mv_{o}^{2}}{r_{o}}$ or or $v_o^2 = g_h r_o$ or $v_o = \sqrt{g_h r_o}$ (5.10)

 $r_o = R + h$

R+h = R

and $g_h = g$

as

:.

such that R >> h.

MOTION OF ARTIFICIAL SATELLITES

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Unit 5: Gravitation

DO YOU KNOW?

Moon is nearly 3,80,000 km away from the Earth. It

completes its one revolution

around the Earth in 27.3 days.

radius
$$r_o = (R + h)$$
 around the Earth. An approximation can be made for a satellite revolving close to the Earth such that $R >> h$.

can be made for a satellite revolving close to the Earth

 $\therefore \qquad v_o = \sqrt{g R} \dots \dots \dots \dots (5.12)$

A satellite revolving around very close to the

Earth, has speed v_0 nearly 8 kms⁻¹ or 29000 kmh⁻¹.

A	Newton's law of universal gravitation states that everybody in the universe	>	Acceleration $g = G \frac{\varepsilon}{R^2}$
	attracts every other body with a force which is directly proportional to the product of their masses and	>	Mass of Earth $M_e = \frac{R^2 g}{G}$
	inversely proportional to the square of the distance between their	>	g at an altitude $h = G \frac{M}{(R+h)^2}$
A	centres. The Earth attracts a body with a	>	An object that revolves around a planet is called a satellite.
	force equal to its weight.	>	The moon revolves around the Earth

Earth.

artificial satellites.

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SUMMARY

QUESTIONS

iv.

5.1	Encircle	the	correct	answer	iii.

It is assumed that a gravitational field

exists all around the Earth due to the gravitational force of attraction of the

In the gravitational field of the Earth,

the gravitational force per unit mass is called the gravitational field

strength of the Earth. It is 10 N kg⁻¹

near the surface of the Earth.

from the given choices:

(c) 42300 km

(b) increase in altitude

(c) decrease in altitude (d) none of the above

ii.

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Earth.

Earth's gravitational force of i. attraction vanishes at (a) 6400 km (b) infinity

(d) 1000 km

Value of *g* increases with the

(a) increase in mass of the body

(c) ½ g (d) ¼ g The value of g on moon's surface

The value of g at a heightone

Earth's radius above the surface

(b) $\frac{1}{2} g$

Unit 5: Gravitation

 M_{\circ}

so moon is a natural satellite of the

Scientists have sent many objects into

space. Some of these objects revolve around the Earth. These are called

Orbital velocity $v_o = \sqrt{g_h} (R+h)$

of the Earth is:

(a) 2 g

is 1.6 ms⁻² . What will be the weight of a 100 kg body on the surface of the moon? (a) 100 N (b) 160 N

(c) 1000 N (d) 1600 N

Physics	sIX	115	Unit 5: Gravitation
V.	The altitude of geostationary orbits in which communication satellites	5.7	Explain, what is meant by gravitational field strength?
	are launched above the surface of the Earth is:	5.8	Why law of gravitation is important to us?
	(a) 850 km (b) 1000 km	5.9	Explain the law of gravitation.
	(c) 6400 km (d) 42,300 km	5.10	How the mass of Earth can be
vi	The orbital speed of a low orbit satellite is:	5.11	determined? Can you determine the mass of
	(a) zero (b) 8 ms ⁻¹	0.11	our moon? If yes, then what you need to know?
	(c) 800 ms ⁻¹ (d) 8000 ms ⁻¹	5.12	Why does the value of g vary
5.2	What is meant by the force of	•	from place to place?
5.3	gravitation? Do you attract the Earth or the	5.13	Explain how the value of governes with altitude.
	Earth attracts you? Which one	5.14	What are artificial satellites?
	is attracting with a larger force? You or the Earth.	5.15	How Newton's law of
5.4	What is a field force?		gravitation helps in
5.5	Why earlier scientists could not		understanding the motion of satellites?
	guess about the gravitational force?	5.16	On what factors the orbita speed of a satellite depends?
5.6	How can you say that gravitational force is a field force?	5.17	Why communication satellites are stationed at geostationary orbits?
	PROE	BLEN	IS
5.1	Find the gravitational force of attraction between two spheres each of mass 1000 kg. The distance between the centres of the spheres is 0.5 m.		Find the acceleration due to gravity on the surface of the Mars. The mass of Mars is 6.42x10 ²³ kg and its radius is 3370 km. (3.77 ms ⁻²)
	$(2.67 \times 10^{-4} \text{N})$	F 4	The constantion due to m
5.2	The gravitational force between two identical lead spheres kept at 1 m apart is 0.006673 N. Find their masses.	5.4	The acceleration due to gravity on the surface of moon is 1.62 ms ⁻² . The radius of moon is 1740 km. Find the mass of moon.
	(10,000 kg each)		(7.35x10 ²² kg)

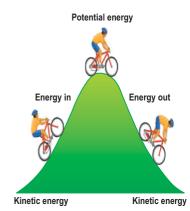
Physics IX		16	Unit 5: Gravitation
5.5	Calculate the value of g at a height of 3600 km above the surface of the Earth. (4.0 ms ⁻²)	5.8	At what altitude the value of <i>g</i> would become one fourth than on the surface of the Earth?
5.6	Find the value of g due to the Earth at geostationary satellite. The radius of the geostationary orbit is 48700 km. (0.17 ms ⁻²)	5.9	(one Earth's radius) A polar satellite is launched at 850 km above Earth. Find its orbital speed. (7431 ms ⁻¹)
5.7	The value of g is 4.0 ms ⁻² at a distance of 10000 km from the centre of the Earth. Find the mass of the Earth. (5.99x10 ²⁴ kg)	5.10	A communication satellite is launched at 42000 km above Earth. Find its orbital speed. (2876 ms ⁻¹)

Work and Energy

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- define work and its SI unit.
- calculate work done using equation
 - Work = force x distance moved in the direction of force
- define energy, kinetic energy and potential energy. State unit of energy.
- prove that kinetic energy K.E. $=\frac{1}{2}$ mv² and potential energy P.E. = mgh. Solve problems using these equations.
- list the different forms of energy with examples.
- describe the processes by which energy is converted from one form to another with reference to
 - fossil fuel energy
 - hydroelectric generation
 - solar energy
 - nuclear energy
 - geothermal energy
 - · wind energy
 - biomass energy
- state mass energy equation E = mc² and solve problems using it.
- describe the process of electricity generation by drawing a block diagram of the process from fossil fuel input to electricity output.
- list the environmental issues associated with power generation.
- explain by drawing energy flow diagrams through steady state systems such as filament lamp, a power station, a vehicle travelling at a constant speed on a level road.



This unit is built on
Energy - Science-V
Input, output & efficiency

- Science-VII

This unit leads to: Energy & Work

- Physics-XI



Physics IX 118 Unit 6: Work and Energy differentiate energy sources as non renewable and renewable energy sources with examples **MAJOR CONCEPTS** of each. 6.1 Work define efficiency of a working system and calculate the efficiency of an energy conversion 6.2 Energy using the formula: 6.3 Kinetic energy efficiency = energy output converted into the 6.4 Potential energy required form / total energy input 6.5 Forms of energy explain why a system cannot have an efficiency 6.6 Interconversition of 100%. of energy define power and calculate power from the 6.7 Major sources of formula: energy Power = work done / time taken define the unit of power "watt" in SI and its 6.8 Efficiency conversion with horse power. 6.9 Power Solve problems using mathematical relations learnt in this unit. **INVESTIGATION SKILLS** The students will be able to: investigate conservation of energy of a ball rolling down an inclined plane using double inclined plane and construct a hypothesis to explain the observation. compare personal power developed for running upstairs versus walking upstairs using a stopwatch. SCIENCE, TECHNOLOGY AND SOCIETY CONNECTION The students will be able to: analyse using their or given criteria, the economic, social and environmental impact of various energy sources.[e.g. (fossil fuel, wind, falling water, solar, biomass, nuclear, thermal energy and its transfer(heat)}. analyse and explain improvements in sports performance using principles and concepts related to work, kinetic and potential energy and law of conservation of energy (e.g. explain the importance of the initial kinetic energy of a pole vaulter or high jumper). search library or internet and compare the efficiencies of energy conversion devices by > explain principle of conservation of energy and

comparing energy input and useful energy output.

- apply this principle to explain the conversion of energy from one form to another such as a motor, a dynamo, a photocell and a battery, a freely falling body.
- list the efficient use of energy in the context of the home, heating and cooling of buildings and transportation.
 Generally, work refers to perform some task or job.

In science, work has precise meaning. For example, a man carrying a load is doing work but he is not doing work if he is not moving while keeping the load on his head. Scientifically, work is done only when an effort or force moves an object. When work is done, energy is used. Thus, work and energy are related to each other. The concept of energy is an important concept in Physics. It helps us to identify the changes that occur when work is done This unit deals with the concepts of work, power and

6.1 WORK

energy.

acts on a body and moves it in the direction of the force. The question arises how much work is done? Naturally, greater is the force acting on a body and longer is the distance moved by it, larger would be the work done. Mathematically, Work is a product of force *F* and

displacement S in the direction of force. Thus

In Physics, work is said to be done when a force

Work done = Force x displacement or W = FS (6.1)

Figure 6.1: Work done in displacing a body in the direction of force.

Physics IX 120 Unit 6: Work and Energy Sometimes force and displacement do not have the

Figure 6.2: Work done by a force inclined with the displacement.

the body is moved. Resolving **F** into its perpendicular components F_{ν} and F_{ν} as;

same direction such as shown in figure 6.2. Here the force F is making an angle θ with the surface on which

$$F_x = F \cos \theta$$

 $F_y = F \sin \theta$

In case when force and displacement are not parallel then only the x-component F_x parallel to the

surface causes the body to move on the surface and not the y - component F_{y} .

> Hence $W = F_{\star} S$ $= (F \cos \theta) S$

$$= F S \cos \theta \quad \dots \quad \dots \quad (6.2)$$
 Work is done when a force acting on a body

displaces it in the direction of a force. Work is a scalar quantity. It depends on the force acting on a body, displacement of the body and the angle between them.

UNIT OF WORK

SI unit of work is joule (J). It is defined as

The amount of work is one joule when a force of one newton displaces a body through one metre in the direction of force.

Thus $1J = 1N \times 1m$

Joule is a small unit of work. Its bigger units are:

 $= 10^3 \text{ J} 1$ 1 kilo joule (kJ) = 1000 Jmega joule (MJ) = $1000\ 000\ J$ = $10^6 J$

road. 2. the rope is making an angle of 30° with the road.

much work will be done if

Mini Exercise A crate is moved by pulling

the rope attached to it. It moves

10 m on a straight horizontal road by a force of 100 N. How

1. the rope is parallel to the

Physics IX 121 Unit 6: Work and Energy

EXAMPLE 6.1

A girl carries a 10 kg bag upstairs to a height of

18 steps, each 20 cm high. Calculate the amount of work she has done to carry the bag. (Take g = 10 ms⁻²).

SOLUTION

Mass

Mass of the bag m = 10 kgWeight of the bag $w = mg = 10 \text{ kg} \times 10 \text{ ms}^{-2}$ = 100 N

To carry the bag upstairs, the girl exerts an upward force F equal to w, the weight of the bag. Thus

$$F = 100 \text{ N}$$

Height $h = 18 \times 0.2 \text{ m} = 3.6 \text{ m}$
 $w = F h$
 $= 100 \times 3.6 = 360 \text{ J}$

The girl has done 360 J of work.

The energy is an important and fundamental

6.2 ENERGY

concept in science. It links almost all the natural phenomena. When we say that a body has energy, we mean that it has the ability to do work. Water running down the stream has the ability to do work, so it

possesses energy. The energy of running water can be

Energy exists in various forms such as mechanical energy, heat energy, light energy, sound energy, electrical energy, chemical energy and nuclear energy etc. Energy can be transformed from one form

into another.

A body possesses energy if it is capable to do work.

Mechanical energy possessed by a body is of two types: kinetic energy and potential energy.

used to run water mills or water turbines.

6.3 KINETIC ENERGY

Moving air is called wind. We can use wind energy for doing various things. It drives windmills and pushes sailing boats. Similarly, moving water in a river can carry wooden logs through large distances and

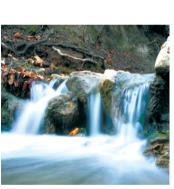


Figure 6.3: Running water possesses energy.



Figure 6.4: Energy of the wind moves the sailing boats.

EXAMPLE 6.2

Using 3rd equation of motion:

As

all of its kinetic energy is used up.

used up. is called its kinetic energy. friction acting on it. The body possesses kinetic energy and is capable to do work against opposing force F until

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The energy possessed by a body due to its motion Consider a body of mass m moving with velocity v. The body stops after moving through some distance S due to some opposing force such as force of

can also be used to drive turbines for generating electricity. Thus a moving body has kinetic energy, because it can do work due to its motion. The body stops moving as soon as all of its kinetic energy is

Unit 6: Work and Energy

: K.E. of the body = Work done by it due to motion (6.3)

Since motion is opposed, hence, a is negative.

 $2 a S = v_f^2 - v_i^2$ $2(-\frac{F}{m})S = (0)^2 - (v)^2$

 $FS = \frac{1}{2} m v^2 \dots (6.4)$ From Eq.6.3 and 6.4, we get

K.E. = $\frac{1}{2} m v^2$ (6.5)

A stone of mass 500 g strikes the ground with a

Equation 6.5 gives the K.E possessed by a body of mass m moving with velocity v.

K.E. = FS

 $V_i = V$ v_f = 0 F = ma

 $a = -\frac{F}{a}$

velocity of 20vms⁻¹. How much is the kinetic energy of the stone at the time it strikes the ground? **SOLUTION**

 $m = 500 \, \text{g} = 0.5 \, \text{kg}$

Since

 $v = 20 \text{ ms}^{-1}$

K.E. = $\frac{1}{2} mv^2$

K.E. = $\frac{1}{2}$ × 0.5 kg × (20 m s⁻¹)²

 $=\frac{1}{2} \times 0.5 \text{ kg} \times 400 \text{ m}^2 \text{ s}^{-2}$

Unit 6: Work and Energy

$$= 100 \; \text{J}$$
 Thus, the kinetic energy of the stone is 100 J as it strikes the ground.

6.4 POTENTIAL ENERGY

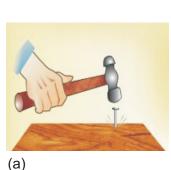
Often a body has the ability to do work although it is at rest. For example, an apple on a tree is capable to do work as it falls. Thus, it possesses energy due to its position. The kind of energy which a body possesses due to its position is called its potential energy.

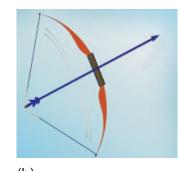
The energy possessed by a body due to its position is known as its potential energy.

Stored water possesses potential energy due to its height. A hammer raised up to some height has the ability to do work because it possesses potential energy. A stretched bow has potential energy due to its stretched position. When released, the stored energy of the bow pushes the arrow out of it. The energy present in the stretched bow is called elastic potential energy.

The potential energy possessed by a hammer is due to its height. The energy present in a body due to its height is called gravitational potential energy.

Let a body of mass m be raised up through height h from the ground. The body will acquire potential energy equal to the work done in lifting it to height h.





(b) Figure 6.5: (a) Hammer raised up (b) stretched bow, both possess

potential energy.

Thus Potential energy P.E. = $F \times h$

$$= w \times h$$

(Here weight of the body = w = mg

Energy exists in various forms. Some of the main

6.5

FORMS OF ENERGY

forms of energy are given in figure 6.6.

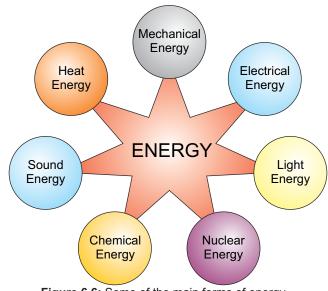
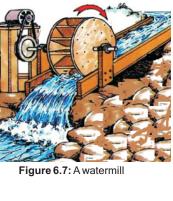


Figure 6.6: Some of the main forms of energy



MECHANICAL ENERGY

The energy possessed by a body both due to its motion or position is called mechanical energy. Water running down a stream, wind, a moving car, a lifted

hammer, a stretched bow, a catapult or a compressed spring etc. possess mechanical energy.



Figure 6.8: Heat energy coming from the Sun.

HEAT ENERGY

Heat is a form of energy given out by hot bodies. Large amount of heat is obtained by burning fuel. Heat is also produced when motion is opposed by frictional

forces. The foods we take provide us heat energy. The Sun is the main source of heat energy.



Electricity is one of the widely used form of energy. Electrical energy can be supplied easily to any desired place through wires. We get electrical energy

from batteries and electric generators. These electric



Figure 6.9: Most of the things of our daily use need electrical energy for their operation.

generators are run by hydro power, thermal or nuclear power.

Physics IX 126 Unit 6: Work and Energy

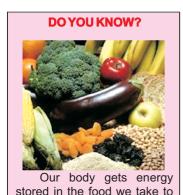




rigure o. ro. Count energ



with compressed gas cylinder (b) Sectional view of electrical cell.



perform various activities.

SOUND ENERGY

When you knock at the door, you produce sound. Sound is a form of energy. It is produced when a body vibrates; such as vibrating diaphragm of a drum, vibrating strings of a sitar and vibrating air column of wind instruments such as flute pipe etc.

LIGHT ENERGY

LIGITI LITERO

Light is an important form of energy. Name some sources of light that you come across.



Figure 6.11: Light is needed during night also.

Plants produce food in the presence of light. We also need light to see things. We get light from candles, electric bulbs, fluorescent tubes and also by burning fuel. However, most of the light comes from the Sun.

CHEMICAL ENERGY

Chemical energy is present in food, fuels and in other substances. We get other forms of energy from these substances during chemical reactions. The burning of wood, coal or natural gas in air is a chemical reaction which releases energy as heat and light. Electric energy is obtained from electric cells and batteries as a result of chemical reaction between various substances present in them. Animals get heat

and muscular energy from the food they eat.

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NUCLEAR ENERGY Nuclear energy is the energy released in the form

6.6

erosion

nuclear reactions such as fission and fusion reactions. Heat energy released in nuclear reactors is converted into electrical energy. The energy coming from the Sun for the last billions of years is the result of nuclear reactions taking place on the Sun.

of nuclear radiations in addition to heat and light during

INTERCONVERSION OF ENERGY Energy cannot be destroyed however it can be

mechanical energy is converted into heat energy.

converted into some other forms. For example, rub your hands together quickly. You will feel them warm. You have used your muscular energy in rubbing hands as a result heat is produced. In the process of rubbing hands,

Processes in nature are the results energy changes. For example, some of the heat energy from the Sun is taken up by water in the oceans. This

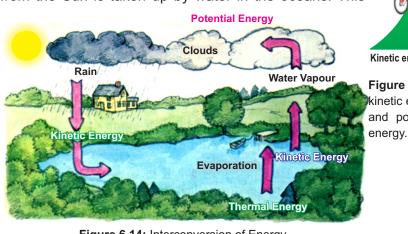


Figure 6.14: Interconversion of Energy increases the thermal energy. Thermal energy causes

water to evaporate from the surface to form water vapours. These vapours rise up and form clouds. As they cool down, they form water drops and fall down as rain. Potential energy changes to kinetic energy as the rain falls This rain water may reach a lake or a dam. As the rain water flows down, its kinetic energy changes into thermal energy while parts of the kinetic energy of flowing water is used to wash away soil particles of rocks known as soil

DO YOU KNOW? A nuclear power plant

uses the energy released in nuclear reactor such as fission to generate electric power.

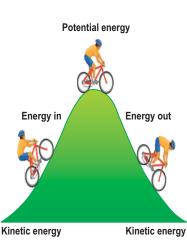
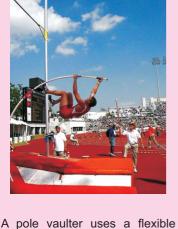


Figure 6.13: Interconversion of kinetic energy into potential energy and potential energy into kinetic

DO YOU KNOW?

Unit 6: Work and Energy



vaulting pole made of special material. It is capable to store all the vaulter's kinetic energy while bending in the form of potential energy. The vaulter runs as fast as possible to gain speed. The kinetic energy gained by the pole vaulter due to speed helps him/her to rise up as the vaulter straightens. Thus he attains height as the pole returns the potential energy stored by the vaulter in the pole.

The energy we use comes from the Sun, wind

MAJOR SOURCES OF ENERGY

and water power etc. Actually, all of the energy we get comes directly or indirectly from the Sun. **FOSSIL FUELS**

remains constant

6.7

We use fossil fuels such as coal, oil and gas to heat our houses and run industry and transport. They are usually hydrocarbons (compounds of carbon and hydrogen). When they are burnt, they combine with oxygen from the air. The carbon becomes carbon



Figure 6.15: A gas field

dioxide; hydrogen becomes hydrogen oxide called water; while energy is released as heat. In case of coal:

Carbon + Oxygen → carbon dioxide + heat energy Hydrocarbon + Oxygen → carbon dioxide + water + heat energy

The fossil fuels took millions of years for their

Figure 6.16: Coal

formation. They are known as non-renewable resources. We are using fossil fuels at a very fast rate. Their use is increasing day by day to meet our energy needs. If we continue to use them at present rate, they will soon be exhausted. Once their supply is exhausted, the world would face serious energy crisis.

Unit 6: Work and Energy

energy needs. This would cause serious social and economical problems for countries like us. Therefore, we must use them wisely and at the same time develop new energy sources for our future survival. Moreover, fossil fuels release harmful waste

products. These wastes include carbon mono-oxide and other harmful gases, which pollute





environment. This causes serious health problems such

as headache, tension, nausea, allergic reactions, irritation of eyes, nose and throat. Long exposure of these harmful gases may cause asthma, lungs cancer, heart diseases and even damage to brain, nerves and other organs of our body.

NUCLEAR FUELS

In nuclear power plants, we get energy as a result of **fission** reaction. During fission reaction, heavy atoms, such as Uranium atoms, split up into smaller parts releasing a large amount of energy. Nuclear power plants give out a lot of nuclear radiations and vast amount of heat. A part of this heat is used to run power plants while lot of heat goes waste into the environment.







Figure 6.19: Nuclear fuel pallets used in nuclear reactors.

RENEWABLE ENERGY SOURCES

Sunlight and water power are the renewable sources of energy. They will not run out like coal, oil and gas.

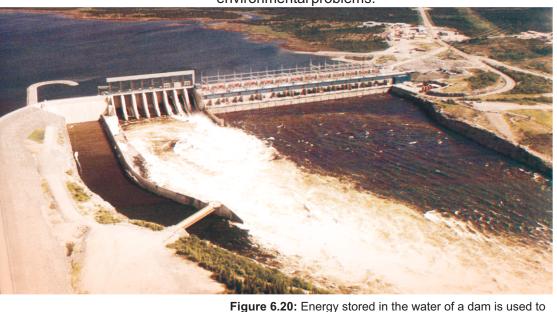
Physics IX

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ENERGY FROM WATER

Energy from water power is very cheap. Dams

are being constructed at suitable locations in different parts of the world. Dams serve many purposes. They help to control floods by storing water. The water stored in dams is used for irrigation and also to generate electrical energy without creating much environmental problems.

Unit 6: Work and Energy



run power plants.

ENERGY FROM THE SUN

Solar energy is the energy coming from the Sun and is used directly and indirectly. Sunlight does not pollute the environment in any way. The sunrays are the ultimate source of life on the Earth. We are dependent on the Sun for all our food and fuels. If we find a suitable method to use a fraction of the solar energy reaching the Earth, then it would be enough to fulfil our energy requirement.

SOLAR HOUSE HEATING

The use of solar energy is not new. However, its use in houses and offices as well as for commercial industrial purposes is quite recent. Complete solar house heating systems are successfully used in areas

with a minimum amount of sunshine in winter. A heating system consists of:

A collector

- A storage device A distribution system

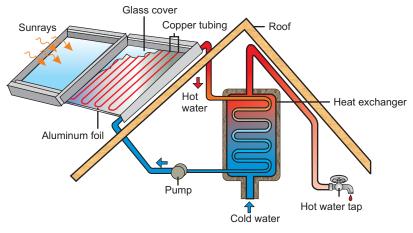


Figure 6.21: A Solar house heating system.

panels over blank metal plates. The plates absorb the Sun's energy which heats a liquid flowing in the pipes at the back of the collector. The hot water can be used for cooking, washing and heating the buildings.

Solar energy is used in solar cookers, solar distillation plants, solar power plant, etc.

SOLAR CELLS

shine

electricity by solar cells. A solar cell also called photo cell is made from silicon wafer. When sunlight falls on a solar cell, it converts the light directly into electrical energy. Solar cells are used in calculators, watches and toys. Large numbers of solar cells are wired together to form solar panels. Solar panels can provide power to telephone booths, light houses and scientific research

Several other methods to trap sunrays are under way. If scientists could find an efficient and inexpensive method to use solar energy, then the people would get clean, limitless energy as long as the Sun continues to

centres. Solar panels are also used to power satellites.

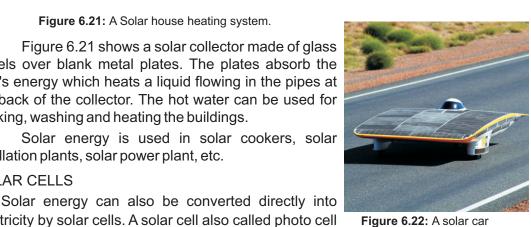




Figure 6.23: A solar panel fixed at the roof of a house.

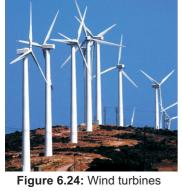
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WIND ENERGY

Wind has been used as a source of energy for

Unit 6: Work and Energy



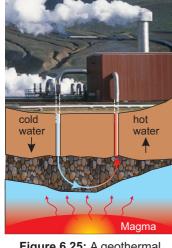


Figure 6.25: A geothermal power station



Figure 6.26: A biomass plant using animal dung

centuries. It has powered sailing ships across the oceans. It has been used by windmills to grind grain and pump water. More recently, wind power is used to turn wind turbines (Figure 6.24). When many wind machines are grouped together on wind farms, they can generate enough power to operate a power plant. In the United States, some wind farms generate more than 1300 MW of electricity a day. In Europe, many wind farms routinely generate hundred megawatts or more electricity a day.

GEOTHERMAL ENERGY

In some parts of the world, the Earth provides

us hot water from geysers and hot springs. There is hot molten part, deep in the Earth called magma. Water reaching close to the magma changes to steam due to the high temperature of magma. This energy is called geothermal energy.

Geothermal well can be built by drilling deep

near hot rocks at places, where magma is not very deep. Water is then pushed down into the well. The rocks quickly heat the water and change it into steam. It expands and moves up to the surface. The steam can be piped directly into houses and offices for heating purposes or it can be used to generate electricity.

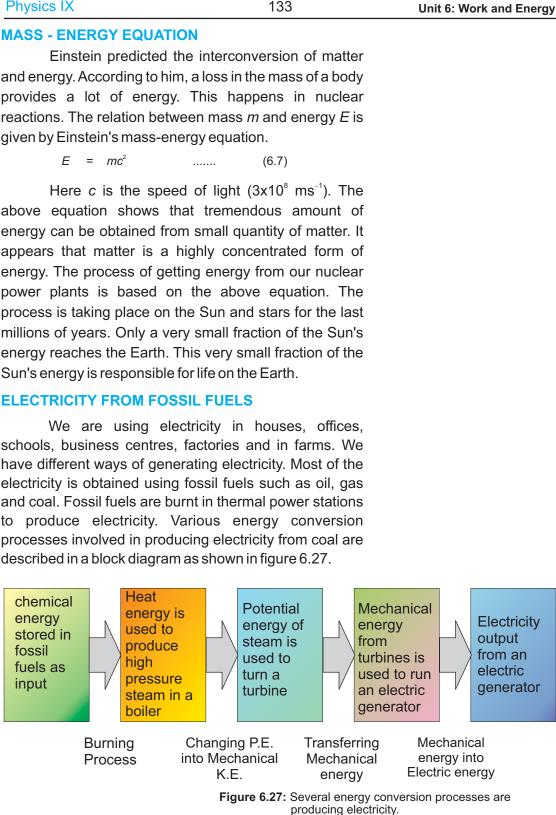
ENERGY FROM BIOMASS

there in its use.

burnt as fuel. Other forms of biomass are garbage, farm wastes, sugarcane and other plants. These wastes are used to run power plants. Many industries that use forest products get half of their electricity by burning bark and other wood wastes. Biomass can serve as another energy source, but problems are

Biomass is plant or animal wastes that can be

When animal dung, dead plants and dead animals decompose, they give off a mixture of methane and carbon dioxide. Electricity can be generated by burning methane.



Physics IX 134 Unit 6: Work and Energy **ENERGY AND ENVIRONMENT**

Environmental problems such as pollution that

consist of noise, air pollution and water pollution may arise by using different sources of energy such as fossil fuels and nuclear energy. Pollution is the change

in the quality of environment that can be harmful and

unpleasant for living things. A temperature rise in the environment that disturbs life is called thermal pollution. Thermal pollution upsets the balance of life and endangers the survival of many species. Air pollutants are unwanted and harmful.

fires and dust storms add pollutant to the air. These pollutant, rarely build up to harmful levels. On the other hand, the burning of fuel and solid wastes in homes, automobiles and factories releases harmful amount of air pollutants.

Natural processes such as volcanic eruptions, forest

All power plants produce waste heat, but

fission plants produce the most. The heat released into a lake, a river or an ocean upsets the balance of life in them. Unlike other power plants, nuclear power

plants do not produce carbon dioxide. But they do produce dangerous radioactive wastes. In many countries governments have passed laws to control air pollution. Some of these laws limit the amount of pollution that, power plants, factories and automobiles are allowed to give off. To meet these conditions for automobiles, new cars have catalytic converters. These devices convert some polluting gases. The use of lead free petrol has greatly reduced the amount of lead in the air. Engineers are working to improve new kinds of car engines that use electricity or energy sources other than diesel and petrol.

Many individual communities have laws which protect their areas from pollution. Individuals can help to control air pollution simply by reducing the use of

cars and other machines that burn fuel. Sharing rides and using public transportation are the ways to reduce the number of automobiles in use

CONVERTER In an energy converter, a part of the energy taken

Remaining part of the energy is dissipated as heat energy, sound energy (noise) into the environment. Energy flow diagrams given below show the energy taken up by an energy

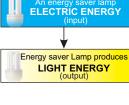
n incandescent Lamp uses ELECTRIC ENERGY (input)

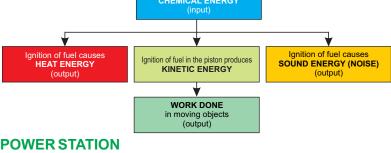
(used up) by the system is converted into useful work.

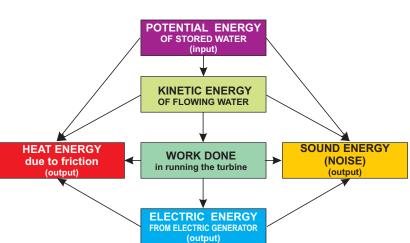
converter to transform it into other forms of energy. ELECTRIC LAMP

An Electric Lamp produces An Electric Lamp produces LIGHT ENERGY HEAT ENERGY (output) VEHICLE RUNNING WITH CONSTANT SPEED ON A LEVEL ROAD Fuel in a car is a source of CHEMICAL ENERGY

ENERGY SAVER LAMP







C wx Serical

Physics IX

Figure 6.28: An electric drill

For Your Information

Efficiencies of some typical devices/machines Device Useful Energy Work Efficiency Input Machine done **Electric** 100 J 5 J 5 % Lamp Petrol 100 J 25 J 25 % **Engine Electric** 80 J 100 J 80 % Motor Electric 100 J 55 J 55 % Fan Solar 100 J 3 J 3 % Cell

How to get work done from a machine? We provide

EFFICIENCY

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6.8

some form of energy to a machine. This is necessary for the machine to work. Human machine also needs

energy to do a variety of work. We take food to fulfil the energy needs of our body.

We give some form of energy to machines as input to

get useful work done by them as output. For example, electric motors may be used to pump water, to blow air, to wash clothes, to drill holes, etc. For that depends how much output we obtain from it by giving certain input. The ratio of useful output to input energy is very important to judge the working of a machine. It is called the efficiency of a machine defined as

Efficiency of a system is the ratio of required form of energy obtained from a system as output to the total energy given to it as input. Thus Efficiency = $\frac{\text{required form of output}}{\text{total input energy}} \dots (6.8)$

Unit 6: Work and Energy

or % Efficiency = $\frac{\text{required form of output}}{\text{total input energy}} \times 100 \dots (6.9)$ An ideal system is that which gives an output equal to the total energy used by it. In other words, its efficiency

is 100 %. People have tried to design a working system that would be 100 % efficient. But practically such a system does not exist. Every system meets energy losses due to friction that causes heat, noise etc. These are not the useful forms of energy and go waste. This means we cannot utilize all the energy given to a working system. The energy in the required form obtained from a working system is always less than the energy given to it as input.

EXAMPLE 6.5

A cyclist does 12 joules of useful work while pedalling his bike from every 100 joules of food energy which he takes. What is his efficiency?

SOLUTION

Useful work done by the cyclist = 12 J

Physics IX	137	Unit 6: Work and Energy
Energy used by the cyclist	= 100 J	
Efficiency	$= \frac{12 \text{ J}}{100 \text{ J}}$ $= 0.12$	
or % efficiency	= 0.12×100 =12 %	
The efficiency of the cyclis	is 12 %.	
hour to complete it and the hours. No doubt, both of the they differ in the rate at which	lone equal work, one took one ne other completed it in five em have done equal work but th work is done. One has done quantity that tells us the rate of	
Power is defined as	the rate of doing work.	
Mathematically, Power P	Work done Time taken	
or <i>P</i> =	$= \frac{W}{t} \qquad \dots \qquad \dots \qquad (6.10)$	
	ar quantity, therefore, power is nit of power is watt (W). It is	
The power of a body is the rate of 1 joule per sec	one watt if it does work at cond (1 Js ⁻¹).	
(MW) etc. 1kW = 1MW =	er are kilowatt (kW), megawatt 1000 W = 10 ³ W 1000 000 W = 10 ⁶ W 1hp = 746 W	
	lifting a load of 200 N through nother man M_2 takes 10 s in a power of each.	

Physics IX	138		Unit 6: Work and Energy
	SOLUTION		
	F		= 200 N
	S		= 10 m
	Time taken by ma	n M	$t_1 = t_1 = 80 \text{ s}$
	Time taken by ma	n M ₂	$t = t_2 = 10 \text{ s}$
	As work done		$= F \times S$
			$= 200 \text{ N} \times 10 \text{ m}$
			= 2000 J
	Power of man M₁		$= \frac{\text{Work}}{t_1}$
			$= \frac{2000 \text{ J}}{80 \text{ s}} = 25 \text{ Js}^{-}$
	and Power of man		$= 25 \text{ watts}$ $= \frac{\text{Work}}{t_2}$ 2000 J
			$=\frac{2000 \text{ S}}{10 \text{ s}} = 200 \text{ Js}$ = 200 watts
	I hus the power of ma M_2 is 200 watts.	ın M₁	is 25 watts and that of man
	EXAMPLE 6.7		
		ı a v	rer of a pump which can lift ertical height of 16 metres in power in horse power.
	SOLUTION		
	Mass of water	m	= 70 kg
	Height	S	= 16 m
	Time taken	t	= 10 s
	Force required	F	= w = mq
	·		= $70 \text{ kg} \times 10 \text{ ms}^{-2}$
			= 700 N
	Work done	W	$= F \times S$
	or	w W	

= 11200 JPower 11200 J $= 1120 \text{ Js}^{-1}$ Р 10 s 1120 watts As 1 hp = 746 watts 1120 watts Р hp 746 watts 1.5 hp Thus, power of the pump is 1.5 hp. **SUMMARY** Work is said to be done when a due to its position is called force acting on a body moves it in potential energy. the direction of the force. Energy cannot be created nor Work = FSdestroyed, but it can be converted SI unit of work is joule (J). from one form to another. When we say that a body has Processes in nature are the result energy, we mean that it has the of energy changes. Heat from the ability to do work. SI unit of energy Sun causes water of oceans to is also joule, the same as work. evaporate to form clouds. As they Energy exists in various forms cool down, they fall down as rain. such as mechanical energy, heat predicted Einstein the energy, light energy, sound interconversion of matter and energy, electrical energy, chemical energy by the equation $E = mc^2$. energy and nuclear energy etc. Fossil fuels are known as Energy from one form can be non renewable resources because transformed into another. it took millions of years for them to The energy possessed by a body attain the present form. due to its motion is called kinetic Sunlight and water power are energy. the renewable resources of The energy possessed by a body

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Unit 6: Work and Energy

Physics IX

Physics IX	140	Unit 6: Work and Energy
 energy. They will not run out like coal, oil and gas. Environmental problems such as polluting emission consisting or noise, air pollution and water pollution may arise by using different sources of energy such as fossil fuels, nuclear energy. 	s of or	The ratio of the useful work done by a device or machine to the total energy taken up by it is called its efficiency. Power is defined as the rate of doing work. The power of a body is one watt which is doing work at the rate of one joule per second.
QUE	STION	S
6.1 Encircle the correct answe from the given choices: i. The work done will be zero when the angle between the force are	n	The work done in lifting a brick of mass 2 kg through a height of 5 m above ground will be
the angle between the force and the distance is	u	(a) 2.5 J (b) 10 J
(a) 45° (b) 60° (c) 90° (d) 180°	V.	(c) 50 J (d) 100 J The kinetic energy of a body of mass 2 kg is 25 J. Its speed is
ii. If the direction of motion of the force is perpendicular to the direction of motion of the body then work done will be (a) Maximum	e ,	(a) 5 ms ⁻¹ (b) 12.5 ms ⁻¹ (c) 25 ms ⁻¹ (d) 50 ms ⁻¹ Which one of the following converts light energy into electrical energy?
(a) Maximum (b) Minimum (c) zero (d) None of the above		(a) electric bulb(b) electric generator(c) Photocell
iii. If the velocity of a body becomes double, then its kinetic energy will(a) remain the same(b) become double		(d) Electric cell When a body is lifted through a height h, the work done on it appears in the form of its:
(c) become four times		(a) kinetic energy
(d) become half		(b) potential energy
		(c) elastic potential energy
		(d) geothermal energy

Physics IX	141	Unit 6: Work and Energy
viii The energy stored in coal is	6.4	Why do we need energy?
(a) heat energy	6.5	Define energy, give two types of mechanical energy.
(b) kinetic energy	6.6	Define K.E. and derive its
(c) chemical energy		relation.
(d) nuclear energy	6.7	Define potential energy and derive its relation.
ix. The energy stored in a dam is	6.8	Why fossils fuels are called non-
(a) electric energy		renewable form of energy?
(b) potential energy	6.9	Which form of energy is most
(c) kinetic energy	6.10	preferred and why? How is energy converted from
(d) thermal energy	0.10	one form to another? Explain.
x. In Einstein's mass-energy equation, c is the	6.11	Name the five devices that convert electrical energy into
(a) speed of sound	6.12	mechanical energy. Name a device that convert
(b) speed of light	0.12	mechanical energy into
(c) speed of electron		electrical energy.
(d) speed of Earth	6.13	What is meant by the efficiency of a system?
xi. Rate of doing work is called	6.14	How can you find the efficiency
(a) energy (b) torque	0.14	of a system?
(c) power (d) momentum	(c) power (d) momentum 6.15 What is n	What is meant by the term
6.2 Define work. What is its SI unit?	6.16	power? Define watt.
6.3 When does a force do work? Explain.		-

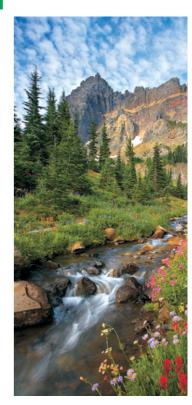
Physi	cs IX	12	Unit 6: Work and Energy
	PROB	LEN	IS
6.1	A man has pulled a cart through 35 m applying a force of 300 N. Find the work done by the man. (10500 J)	6.8	A 50 kg man moved 25 steps up in 20 seconds. Find his power, if each step is 16 cm high. (100 W)
6.2	A block weighing 20 N is lifted 6 m vertically upward. Calculate the potential energy stored in it.		
	(120 J)		
6.3	A car weighing 12 kN has speed of 20 ms ⁻¹ . Find its kinetic energy.		height h
	(240 kJ)		
6.4	A 500 g stone is thrown up with a velocity of 15ms ⁻¹ . Find its		force = weight
	(i) P.E. at its maximum height		<u> </u>
	(ii)K.E. when it hits the ground (56.25 J, 56.25 J)	6.9	Calculate the power of a pump which can lift 200 kg
6.5	On reaching the top of a slope 6 m high from its bottom, a cyclist has a speed of 1.5 ms ⁻¹ .		of water through a height of 6 m in 10 seconds. (1200 watts)
	Find the kinetic energy and the potential energy of the cyclist. The mass of the cyclist and his bicycle is 40 kg. (45 J, 2400 J)	6.10	An electric motor of 1hp is used to run water pump. The water pump takes 10 minutes to fill an overhead tank. The tank has a capacity of 15 meres
6.6	A motor boat moves at a steady speed of 4 ms ⁻¹ . Water resistance acting on it is 4000 N. Calculate the power of its engine. (16 kW)		800 litres and height of 15 m. Find the actual work done by the electric motor to fill the tank. Also find the efficiency of the system.
6.7	A man pulls a block with a force		(Density of water = 1000 kgm ⁻³)
	of 300 N through 50 m in 60 s.		(Mass of 1 litre of water = 1 kg)
	Find the power used by him to		(447600 J, 26.8 %)

Properties of Matter

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- state kinetic molecular model of matter (solid, liquid and gas forms).
- describe briefly the fourth state of matter i.e. Plasma.
- define the term density.
- compare the densities of a few solids, liquids and gases.
- define the term pressure (as a force acting normally on unit area).
- explain how pressure varies with force and area in the context of everyday examples.
- > explain that the atmosphere exerts a pressure.
- describe how the height of a liquid column may be used to measure the atmospheric pressure.
- describe that atmospheric pressure decreases with the increase in height above the Earth's surface.
- explain that changes in atmospheric pressure in a region may indicate a change in the weather.
- state Pascal's law.
- apply and demonstrate the use with examples of Pascal's law.
- state relation for pressure beneath a liquid surface to depth and to density i.e., (P=pgh) and solve problems using this equation.



This unit is built on

Matter and its States

- Science -V

This unit leads to:

Fluid Dynamics

- Physics - XI

Physics of Solids

- Physics -XII

Physics	144	Unit 7: Properties of Matter
	> state Archimede	
	determine the Archimedes pri	density of an object using nciple.
	state the upthru	st exerted by a liquid on a body.
	state principle of	of floatation.
	explain that a for and shape of a	rce may produce a change in size body.
	define the term modulus.	ms stress, strain and Young's
	> state Hooke's la	aw and explain elastic limit.
Major Concepts	INVESTIGATION SH	KILLS
7.1 Kinetic molecular model of matter	The students will be measure the abarometer.	able to: atmospheric pressure by Fortin's
7.2 Density7.3 Pressure7.4 Atmospheric pressure7.5 Pressure in liquids	•	ssure of motor bike / car tyre and state le of the instrument and its value in SI
7.6 Upthrust	determine the de	nsity of irregular shaped objects.
7.7 Principle of floatation		LOGY AND SOCIETY
7.8 Elasticity 7.9 Stress, strain and	CONNECTION	
Young's modulus		able to: a thumb pin, pressure exerted on the busands time on the pin point.
	explain the use of a car battery a	of Hydrometer to measure the density cid.
	·	s and submarines float on sea surface nt force acting on them is greater than
	Hydraulic brakes	aulic Press, Hydraulic car lift and operate on the principle that the fluid mitted equally in all directions.

are some other properties which are associated with one state of matter but not with other. For example, solids have Figure 7.1: Water exists in all the shape of their own while liquids and gases do not. Liquids

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KINETIC MOLECULAR MODEL **MATTER** The kinetic molecular model of matter as shown in figure 7.2 has some important features. These are Matter is made up of particles called molecules.

explain that the action of sucking through a straw, dropper, syringe and vacuum cleaner is due to

Matter exists in three states, solid, liquid and gas.

There are many properties associated with matter. For example, matter has weight and occupies space. There

on the other hand have definite volume while gases do not have. Various materials differ in their hardness, density, solubility, flow, elasticity, conductivity and many other qualities. Kinetic molecular model helps in understanding

atmospheric pressure.

- The molecules remain in continuous motion.
- Molecules attract each other.

the properties of matter in a simplified way.

Kinetic molecular model is used to explain the three states of matter - solid, liquid and gas.

SOLIDS

7.1

Physics

Solids such as a stone, metal spoon, pencil, etc. have fixed shapes and volume. Their molecules are held close together such as shown in figure 7.3 by strong forces of attraction. However, they vibrate about their

LIQUIDS

The distances between the molecules of a liquid are more than in solids. Thus, attractive forces

mean positions but do not move from place to place.



Unit 7: Properties of Matter

three states.

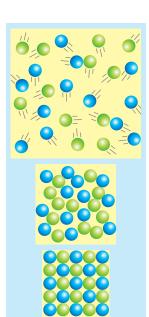
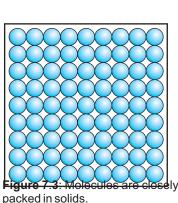


Figure 7.2: Kinetic molecular model of the three states of matter.



liquid also vibrate about their mean position but are not rigidly held with each other. Due to the weaker attractive forces, they can slide over one another. Thus, the liquids can flow. The volume of a certain amount of liquid remains the same but because it can flow hence, it attains the shape of a container to which it is put.

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Figure 7.4: Molecules are loosely packed in liquids.

Physics

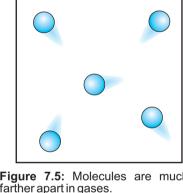




Figure 7.6: Aplasma bulb

GASES

Their molecules have random motion and move with very high velocities. In gases, molecules are much farther apart than solids or liquids such as shown in figure 7.5. Thus, gases are much lighter than solids and liquids. They can be squeezed into smaller volumes. The molecules of a gas are constantly striking the walls of a container. Thus, a gas exerts pressure on the walls of the container. Figure 7.5: Molecules are much PLASMA - THE FOURTH STATE OF MATTER

volume. They can be filled in any container of any shape.

Gases such as air have no fixed shape or

between them are weaker. Like solids, molecules of a

Unit 7: Properties of Matter

increasing if a gas is heated continuously. This causes the gas molecules to move faster and faster. The collisions between atoms and molecules of the gas become so strong that they tear off the atoms. Atoms lose their electrons and become positive ions. This ionic state of matter is called plasma. Plasma is also formed in gas discharge tubes when electric current passes through these tubes.

The kinetic energy of gas molecules goes on

Plasma is called the fourth state of matter in

which a gas occurs in its ionic state. Positive ions and electrons get separated in the presence of electric or magnetic fields. Plasma also exists in neon and fluorescent tubes when they glow. Most of the matter that fills the universe is in plasma state. In stars such as our Sun, gases exist in their ionic state. Plasma is highly conducting state of matter. It allows electric current to

pass through it.

Foam 89 Density of a substance is defined as its mass per Petrol 800 unit volume. Cooking oil 920 mass of a substance volume of that substance (7.1) Density = Ice 920 Water 1000 SI unit of density is kilogramme per cubic metre (kgm⁻³). We can calculate the density of a material if we Glass 2500 know its mass and its volume. For example, the mass of Aluminium 2700 5 litre of water is 5 kg. Its density can be calculated by putting the values in equation 7.1. Iron 7900 1 litre = $10^{-3} \, \text{m}^3$ Copper 8900 Since

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Is an iron object heavier than that of wood? Not

To know which substance is denser or which is

necessary. It depends upon the quantity of iron and wood you are comparing. For example, if we take equal volumes of iron and wood, then we can easily declare that iron is heavier than wood. In other words, we can say that

lighter we generally compare the densities of various

substances. The density of a substance is the ratio of its

DENSITY EQUATIONS Density

Mass

Volume =

The density of water is 1000 kg m⁻³.

Density of water = $\frac{5 \text{ kg}}{5 \times 10^{-3} \text{ m}^3}$

5 litre = $5 \times 10^{-3} \text{ m}^3$

 $= 1000 \text{ kg m}^{-3}$

Physics

7.2 DENSITY

iron is heavier than wood.

mass to that of its volume. Thus

Volume

Density

= Density x Volume

1000 kgm⁻³ $= 1 \text{ gcm}^{-3}$

USEFUL INFORMATION

1 metre cube $(1 \text{ m}^3) = 1000 \text{ litre}$

Unit 7: Properties of Matter

Table 7.1: Density of various substances

Substance

Air

Lead

Mercury

Platinum

Gold

1 litre

 $1 cm^3$

Density

(kgm⁻³)

1.3

11200

13600

19300

21500

 $= 10^{-3} \text{ m}^3$

 $= 10^{-6} \text{ m}^3$

EXAMPLE 7.1 The mass of 200 cm³ of stone is 500 g. Find its DO YOU KNOW?

Earth's atmosphere extends upward about a few hundred

Physics

of its mass is between sea level and 10 km. Up to 30 km from sea level contains about 99% of the mass of the atmosphere.

thinner as we go up.

decreasing density. Nearly half

The air becomes thinner and

Figure 7.7: Smaller is the area. larger will be the pressure.

Figure 7.8: A drawing pin with a sharp tip enters easily when

pressed on a wooden board.

kilometres with continuously

density.

SOLUTION

7.3 PRESSURE

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Density

= 500g

Unit 7: Properties of Matter

 $= 200 \text{ cm}^3$

Mass

Volume

 $=\frac{500 \,\mathrm{g}}{200 \,\mathrm{cm}^3} = 2.5 \,\mathrm{g} \,\mathrm{cm}^{-3}$

Thus the density of stone is 2.5 g cm⁻³.

Press a pencil from its ends between the palms.

The palm pressing the tip feels much more pain than the palm pressing its blunt end. We can push a drawing pin into a wooden board by pressing it by our thumb. It is because the force we apply on the drawing pin is confined just at a very small area under its sharp tip. A drawing pin with a blunt tip would be very difficult to push

into the board due to the large area of its tip. In these examples, we find that the effectiveness of a small force is increased if the effective area of the force is reduced. The area of the tip of pencil or that of the nail is very small and hence increases the effectiveness of the force. The quantity that depends upon the force and increases with decrease in the area on which force is acting is called

The force acting normally per unit area on the

 $P = \frac{\text{Force}}{\text{Area}}$

 $P = \frac{F}{A}$

... (7.2)

pressure. Thus pressure is defined as

Pressure

Thus

or

surface of a body is called pressure.

pressure is Nm⁻² also called pascal (Pa). Thus $1 \text{ Nm}^{-2} = 1 \text{ Pa}$ 7.4 ATMOSPHERIC PRESSURE

Pressure is a scalar quantity. In SI units, the unit of

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The Earth is surrounded by a cover of air called

above sea level. Just as certain sea creatures live at the bottom of ocean, we live at the bottom of a huge ocean of air. Air is a mixture of gases. The density of air in the atmosphere is not uniform. It decreases continuously as

Atmospheric pressure acts in all directions. Look

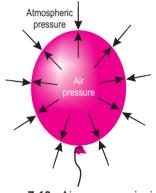
atmosphere. It extends to a few hundred kilometres

Figure 7.9: The air pressure inside the bubble is equal to the atmospheric pressure.

Unit 7: Properties of Matter

at the picture in figure 7.9. What the girl is doing? Soap bubbles expand till the pressure of air in them is equal to the atmospheric pressure. Why the soap bubbles so formed have spherical shapes? Can you conclude that the atmospheric pressure acts on a bubble equally in all A balloon expands as we fill air into it. In what

Figure 7.10: Air pressure inside



atmosphere exerts pressure can be explained by a the balloon is equal to the atmospheric pressure.

simple experiment.

EXPERIMENT

direction?

Physics

we go up.

Take an empty tin can with a lid. Open its cap and put some water in it. Place it over flame. Wait till water

direction does the balloon expand? The fact that

begins to boil and the steam expels the air out of the can. Remove it from the flame. Close the can firmly by its cap. Now place the can under tap water. The can will squeeze

due to atmospheric pressure. Why?

exerts pressure in all directions.

When the can is cooled by tap water, the steam in it condenses. As the steam changes into water, it leaves an empty space behind it. This lowers the pressure inside the can as compared to the atmospheric pressure outside the can. This will cause the can to collapse from

all directions. This experiment shows that atmosphere





Figure 7.11: Crushing can experiment.

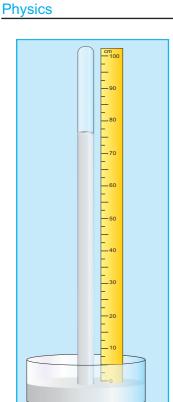
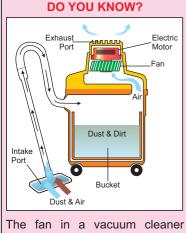


Figure 7.12: A mercury barometer



The fan in a vacuum cleaner lowers air pressure in its bucket. The atmospheric air rushes into it carrying dust and dirt with it through its intake port. The dust and dirt particles are blocked by the filter while air escapes out.

MEASURING ATMOSPHERIC PRESSURE

of an empty plastic bottle when air is sucked out of it.

The fact can also be demonstrated by collapsing

Unit 7: Properties of Matter

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At sea level, the atmospheric pressure is about

101,300 Pa or 101,300 Nm⁻². The instruments that measure atmospheric pressure are called barometers. One of the simple barometers is a mercury barometer. It

consists of a glass tube 1m long closed at one end. After filling it with mercury, it is inverted in a mercury trough. Mercury in the tube descends and stops at a certain height. The column of mercury held in the tube exerts pressure at its base. At sea level the height of mercury column above the mercury in the trough is found to be about 76 cm. Pressure exerted by 76 cm of mercury column is nearly 101,300 Nm⁻² equal to atmospheric pressure. It is common to express atmospheric pressure

in terms of the height of mercury column. As the atmospheric pressure at a place does not remains

constant, hence, the height of mercury column also

Mercury is 13.6 times denser than water.

The atmospheric pressure decreases as we go

Atmospheric pressure can hold vertical column of water about 13.6 times the height of mercury column at a place. Thus, at sea level, vertical height of water column would be 0.76 m x 13.6 = 10.34 m. Thus, a glass tube more than 10 m long is required to make a water barometer.

VARIATION IN ATMOSPHERIC PRESSURE

atmospheric pressure at that place.

varies with atmospheric pressure.

up. The atmospheric pressure on mountains is lower than at sea level. At a height of about 30 km, the atmospheric pressure becomes only 7 mm of mercury which is approximately 1000 Pa. It would become zero at an altitude where there is no air. Thus, we can determine the altitude of a place by knowing the

Unit 7: Properties of Matter

atmospheric pressure in that region. On the other hand, during cold chilly nights, air above the Earth cools down.

This causes an increase in atmospheric pressure.

The changes in atmospheric pressure at a certain place indicate the expected changes in the weather conditions of that place. For example, a gradual and

Atmospheric pressure may also indicate

change in the weather. On a hot day, air above the Earth becomes hot and expands. This causes a fall of

condition in the nearby region. A decrease in atmospheric pressure is accompanied by breeze and rain. Whereas a sudden fall in atmospheric pressure often followed by a storm, rain and typhoon to occur in few hours time.

On the other hand, an increasing atmospheric pressure with a decline later on predicts an intense weather conditions. A gradual large increase in the

atmospheric pressure indicates a long spell of pleasant weather. A rapid increase in atmospheric pressure means that it will soon be followed by a decrease in the atmospheric pressure indicating poor weather ahead.

average drop in atmospheric pressure means a low

pressure in a neighbouring locality. Minor but rapid fall in

atmospheric pressure indicates a windy and showery

7.5 PRESSURE IN LIQUIDS

Liquids exert pressure. The pressure of a liquid acts in all directions. If we take a pressure sensor (a device that measures pressure) inside a liquid, then the pressure of the liquid varies with the depth of sensor.

Consider a surface of area A in a liquid at a depth h as shown by shaded region in figure 7.13. The length of the cylinder of liquid over this surface will be h. The force acting on this surface will be the weight w of the liquid

above this surface. If ρ is the density of the liquid and m is

mass of liquid above the surface, then

Mass of the liquid cylinder m = volume x density= $(A \times h) \times \rho$



straw with its other end dipped in a liquid, the air pressure in the straw decreases. This causes the atmospheric pressure to push the liquid up the straw.

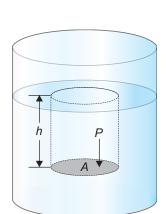


Figure 7.13: Pressure of a liquid at a depth *h*.

DO YOU KNOW? - Liquid Nuzzle -Piston Cylinder

Physics

the cylinder. The liquid from the bottle enters into the piston through the needle.

The piston of the syringe is pulled

out. This lowers the pressure in

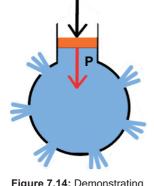


Figure 7.14: Demonstrating Pascal's law.



Figure 7.15 Hydraulic excavator

as Pressure

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Force acting on area A

 $P = \frac{F}{\Lambda}$

 $= \frac{Ah\rho g}{A}$

F = w = mq

 $= Ah\rho g$

Unit 7: Properties of Matter

∴ Liquid pressure at depth *h* $= P = \rho g h \dots (7.3)$ Equation (7.3) gives the pressure at a depth h in a liquid of density p. It shows that its pressure in a liquid

increases with depth. **PASCAL'S LAW**

An external force applied on the surface of a

in which it is filled. This result is called Pascal's law which is stated as: Pressure, applied at any point of a liquid enclosed in a container, is transmitted without loss to all other parts of the liquid.

liquid increases the liquid pressure at the surface of the

liquid. This increase in liquid pressure is transmitted

equally in all directions and to the walls of the container

It can be demonstrated with the help of a glass vessel having holes all over its surface as shown in figure 7.14. Fill it with water. Push the piston. The water rushes out of the holes in the vessel with the same pressure. The force applied on the piston exerts pressure on water. This pressure is transmitted equally throughout the liquid in all directions. In general, this law holds good for fluids both for

liquids as well as gases.

APPLICATIONS OF PASCAL'S LAW

Pascal's law finds numerous applications in our daily life such as automobiles, hydraulic brake system, hydraulic jack, hydraulic press and other hydraulic machine such as shown in figure 7.15.

HYDRAULIC PRESS

Hydraulic press is a machine which works on Pascal's law. It consists of two cylinders of different

Physics

than F₁

produced by small piston is transmitted equally to the large piston and a force
$$F_2$$
 acts on A which is much larger than F_1

Pressure on piston of small area a is given by
$$P = \frac{F_1}{a}$$

Apply Pascal's law, the pressure on large

Comparing the above equations, we get

Since the ratio $\frac{A}{a}$ is greater than 1, hence the

cross-sectional areas as shown in figure 7.16. They are

fitted with pistons of cross-sectional areas a and A. The object to be compressed is placed over the piston of large cross-sectional area A. The force F_1 is applied on the piston of small cross-sectional area a. The pressure P

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piston of area A will be the same as on small piston. $P = \frac{F_2}{\Lambda}$

$$\therefore P = \frac{r^2}{A}$$

 $\frac{F_2}{\Delta} = \frac{F_1}{a}$

$$F_2 = A \times \frac{F_1}{a}$$

or
$$F_2 = F_1 \times \frac{A}{a}$$
 (7.4)

force F_2 that acts on the larger piston is greater than the force F_1 acting on the smaller piston. Hydraulic systems working in this way are known as force multipliers.

EXAMPLE 7.2

In a hydraulic press, a force of 100 N is applied on the piston of a pump of cross-sectional area 0.01 m². Find the force that compresses a cotton bale placed on larger piston of cross-sectional area 1 m².

Α PA Figure 7.16: A hydraulic press

F

Unit 7: Properties of Matter

SOLUTION

Here

 $F_1 = 100N$

 $= \frac{100 \text{ N}}{0.01 \text{ m}^2}$ $= 10000 \text{ Nm}^{-2}$ Applying Pascal's law, we get
Force F_2 acting on the bale = PA $= 10000 \text{ Nm}^{-2} \times 1\text{m}^2$

of 10000 N.

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Pressure *P* on smaller piston =

Unit 7: Properties of Matter

 $= 0.01 \text{ m}^2$

= 10000 N

Thus, hydraulic press will compress the bale with a force

 $A = 1 \, \text{m}^2$

Physics

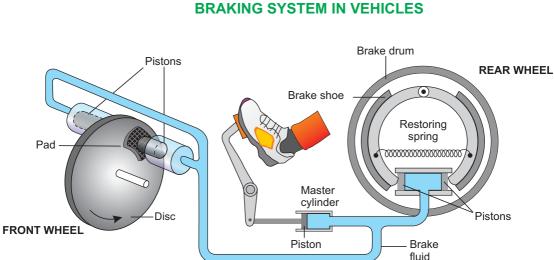


Figure 7.17: A hydraulic brake of a car

The braking systems of cars, buses, etc. also work on Pascal's law. The hydraulic brakes as shown in figure 7.17 allow equal pressure to be transmitted throughout the liquid. When brake pedal is pushed, it exerts a force on the master cylinder, which increases

the liquid pressure in it. The liquid pressure is transmitted equally through the liquid in the metal pipes to all the pistons of other cylinders. Due to the increase

outward pressing the brake pads with the brake drums. The force of friction between the brake pads and the brake drums stops the wheels. 7.6 ARCHIMEDES PRINCIPLE An air filled balloon immediately shoots up to the surface when released under water. The same would happen if a piece of wood is released under water. We might have noticed that a mug filled with water feels light under water but feels heavy as soon as we take it out of water.

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the upthrust of the liquid. Archimedes principle states that: When an object is totally or partially immersed in a liquid, an upthrust acts on it equal to the weight of the liquid it displaces.

More than two thousand years ago, the Greek

scientist, Archimedes noticed that there is an upward force which acts on an object kept inside a liquid. As a result an apparent loss of weight is observed in the object. This upward force acting on the object is called

in liquid pressure, the pistons in the cylinders move

Consider a solid cylinder of cross-sectional area A and height h immersed in a liquid as shown in figure

If P_1 and P_2 are the liquid pressures at depths h_1

7.18. Let h_1 and h_2 be the depths of the top and bottom

faces of the cylinder respectively from the surface of the

and h_2 respectively and ρ is its density, then according to

liquid.

Then

equation (7.3)

Physics

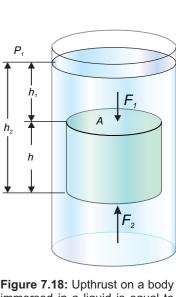
 $h_2 - h_1 = h$

 $P_1 = \rho g h_1$

 $P_2 = \rho g h_2$

Let the force is exerted at the cylinder top by the

liquid due to pressure P_1 and the force F_2 is exerted at the bottom of the cylinder by the liquid due to P_2 .



Unit 7: Properties of Matter

immersed in a liquid is equal to the weight of the liquid displaced.

direction of F_2 . This net force F on the cylinder is called the upthrust of the liquid. $\therefore F_2 - F_1 = \rho \ g \ h_2 A - \rho \ g \ h_1 A$ $= \rho \ g \ A \ (h_2 - h_1)$ or Upthrust of liquid = $\rho \ g \ A \ h \ \dots \ (7.5)$ or $= \rho \ g \ V \ \dots \ (7.6)$ Here Ah is the volume V of the cylinder and is equal to the volume of the liquid displaced by the

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:.

 $F_1 = P_1 A = \rho g h_1 A$

 $F_2 = P_2 A = \rho q h_2 A$

cylinder. Therefore, the net force F will be F_2 - F_4 in the

cylinder. Therefore, ρgV is the weight of the liquid displaced. Equation (7.6) shows that an upthurst acts on

the body immersed in a liquid and is equal to the weight

A wooden cube of sides 10 cm each has been

of liquid displaced, which is Archimedes principle.

 F_1 and F_2 are acting on the opposite faces of the

Unit 7: Properties of Matter

dipped completely in water. Calcuclate the upthurst of water acting on it.

EXAMPLE 7.3

Acid

container

SOLUTION

Length of side L = 10 cm = 0.1 m

Density of water $\rho = 1000 \text{ kgm}^{-3}$

Upthurst of water = $\rho g V$

Hydrometer is a glass tube with a scale marked on its stem and heavy weight in the bottom. It is partially immersed in a fluid, the density of which is to be measured. One type of hydrometer is used to measure the concentration of acid in a battery. It is called

Physics

Scale -

Weight

acid meter.

 $= 1000 \text{ kgm}^{-3} \times 10 \text{m s}^{-2} \times 1 \times 10^{-3} \text{m}^{3}$ = 10 NThus, upthurst of water acting on the wooden cube is 10 N.

Volume $V = L^3 = (0.1 \text{ m})^3 = 1 \times 10^{-3} \text{ m}^3$

DEN	SITY OF AN OBJECT		
	Archimedes principle is also helpful to determine ensity of an object. The ratio in the weights of a body an equal volume of liquid is the same as in their ities.		
Let	Density of the object $= D$		
	Density of the liquid = ρ		
	Weight of the object = w_1 Weight of equal volume of liquid = $w = w_1 - w_2$		
	Here w_2 is the weight of the solid in liquid. rding to Archimedes principle, w_2 is less than its all weight w_1 by an amount w .		
Since	ρ <i>w</i>		3
or	$D = \frac{W_1}{W} \times \rho$ $D = \frac{W_1}{W_2 - W_1} \times \rho \qquad \dots \qquad (7.7)$	(a)	(b)
	Thus, finding the weight of the solid in air w_1 and eight in water w_2 , we can calculate the density of the by using equation 7.7 as illustrated in the following uple.	in air (b) weighi) weighing solid ng solid in water water displaced
	MPLE 7.4 The weight of a metal spoon in air is 0.48 N. its ht in water is 0.42 N. Find its density.		
	UTION		
	ht of the spoon = 0.48 N ht of spoon in water $w_0 = 0.42 \text{ N}$		
.vv=:()			

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Unit 7: Properties of Matter

Physics

Weight of spoon in water $w_2 = 0.42 \text{ N}$

Weight of spoon in water
$$w_2 = 0.42 \text{ N}$$

Density of water $\rho = 1000 \text{ kg m}^{-3}$

D = ?Density of spoon

Using equation 7.8,

$$D = \frac{w_1}{w_1 - w_2} \times \rho$$

$$= \frac{0.48 \text{N}}{0.48 \text{N} - 0.42 \text{N}} \times 1000 \text{ kg m}^{-3}$$

$$= 8000 \text{ kg m}^{-3}$$

Thus, density of the material of the spoon is 8000 kgm⁻³.

Physics	158	Unit 7: Properties of Matter	
	An object sinks upthrust acting on it. An or less than the upthrus the upthrust acting on object. In case of float partially immersed. The	if its weight is greater than the object floats if its weight is equal at. When an object floats in a fluid, it is equal to the weight of the ating object, the object may be a upthrust is always equal to the object by the object. This is the estates that:	
	A floating object dis	splaces a fluid having weight fthe object.	
	•	nciple is applicable on liquids as d numerous applications of this	
	is filled with 10 ³ cubic maximum contents the	w = 80 N $V = 10^3 \text{ m}^3$ $\rho_1 = 0.09 \text{ kg m}^{-3}$ $w_1 = ?$ $\rho_2 = 1.3 \text{ kg m}^{-3}$	
	Weight of hydrogen	= $\rho_2 V g$ = 1.3 kgm ⁻³ ×10 m ³ ×10 ms ⁻² = 130 N $W_1 = \rho_1 V g$ = 0.09 kgm ⁻³ ×10 m ³ ×10 ms ⁻² = 9 N = $W_1 + W_1 + W_2$	
	Total weight lifted	- " " " 1 " 2	
	To lift the contents, t should not exceed F.	To lift the contents, the total weight of the balloon should not exceed <i>F</i> .	

Thus $w + w_1 + w_2 = F$

Thus, the maximum weight of 41 N can be lifted by the balloon in addition to its own weight.

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SHIPS AND SUBMARINES

than the upthrust of water.

Physics

A wooden block floats on water. It is because the weight of an equal volume of water is greater than the weight of the block. According to the principle of

floatation, a body floats if it displaces water equal to the weight of the body when it is partially or completely

immersed in water. Ships and boats are designed on the same principle of floatation. They carry passengers and goods over water. It would sink in water if its weight including the

weight of its passengers and goods becomes greater

water when the weight of water equal to its volume is greater than its weight. Under this condition, it is similar to

A submarine can travel over as well as under water. It also works on the principle of floatation. It floats over

a ship and remains partially above water level. It has a system of tanks which can be filled with and emptied from seawater. When these tanks are filled with seawater, the weight of the submarine increases. As soon as its weight becomes greater than the upthrust, it dives into water and remains under water. To come up on the surface, the tanks are emptied from seawater.



Unit 7: Properties of Matter



under water.

EXAMPLE 7.6

A barge, 40 metre long and 8 metre broad, whose sides are vertical, floats partially loaded in water. If 125000 N of cargo is added, how many metres will it sink?

SOLUTION

Area of the barge $A = 40 \text{ m} \times 8 \text{ m}$ $= 320 \text{ m}^2$ = 125000 NAdditional load w to carry

 $\rho Vg = w$:: or 1000 kg m⁻³ $\times V \times 10 \text{ ms}^{-2} = 125000 \text{ N}$ $= 12.5 \,\mathrm{m}^3$ or Depth *h* to which barge sinks = $h = \frac{V}{A}$ $h = \frac{12.5 \,\mathrm{m}^3}{320 \,\mathrm{m}^2}$

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additional load. Hence

Since

:.

Unit 7: Properties of Matter

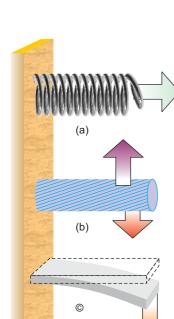


Figure 7.22 (a) A spring is stretched by a force (b) A rod is twisted by the

torque produced by a couple (c) A

strip is bent by a force.

Physics

The property of a body to restore its original size and shape as the deforming force ceases to act is

7.8 ELASTICITY We know that the length of a rubber band

125000 N cargo.

increases depending upon the weight of the suspended body. Look at the pictures in figure 7.22. What happens to the objects due to the forces acting on them. The applied force that changes shape, length or volume of a substance is called deforming force. In most of the cases,

the body returns to its original size and shape as soon as

the deforming force is removed.

Thus, the barge will sink 4 cm in water on adding

increases on stretching it. Similarly, the pointer of a spring balance is lowered when a body is suspended from it. It is because the length of the spring inside the balance

Increased upthrust F of water must be equal to the

 $= \rho Vg$

= 0.04 m = 4 cm

called elasticity.

STRESS Stress is related to the force producing deformation. It is defined as:

The force acting on unit area at the surface of a body is called stress.

Thus Stress = $\frac{\text{Force}}{\text{Area}}$ (7.8)

When stress acts on a body, it may change its length, volume, or shape. A ratio of such a change caused by the stress with the original length, volume or shape is called as strain. If stress produces a change in the length of an object then the strain is called tensile strain. change in length Tensile strain = (7.9)original length Strain has no units as it is simply a ratio between

In SI, the unit of stress is newton per square metre

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7.9 HOOKE'S LAW

the stress is removed

two similar quantities.

Physics

 $(Nm^{-2}).$

STRAIN

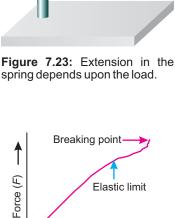
volume or shape of a body depends upon the stress acting on the body. Hooke's law states that: The strain produced in a body by the stress applied

It has been observed that deformation in length,

Thus stress ∝ strain

 $stress = constant \times strain$ or stress or = constant

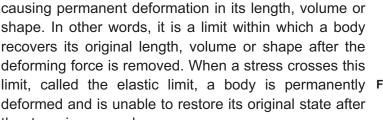
Hooke's law is applicable to all kinds of deformation and all types of matter i.e., solids, liquids or gases within certain limit. This limit tells the maximum stress that can be safely applied on a body without



Weight

Unit 7: Properties of Matter

Extension (x) Figure 7.24: Graph between force and extension.



0

deforming force is removed. When a stress crosses this limit, called the elastic limit, a body is permanently deformed and is unable to restore its original state after

(7.10)

elastic limit of the body.

to it is directly proportional to the stress within the

Physics		162	Unit 7: Properties of Matter
		sectional area A Let an weight w stretches it s becomes L. According to	bar of length L_{\circ} and crossexternal force F equal to the uch that the stretched length o Hooke's law, the ratio of this constant within the elastic limit
		The ratio of stress Young's modulus.	to tensile strain is called
		Mathematically,	
Table 7.2: Young's modului of some common materials		Young's modulus Y =	Stress Tensile strain (7.11)
			$L-L_{\rm o}$
		Since Stress = and Tensile strain =	$\frac{\text{Force}}{\text{Area}} = \frac{F}{A}$
		and Tensile strain =	$\frac{L - L_{o}}{L_{o}} = \frac{\Delta L}{L_{o}}$
		As $Y =$	Stress Tensile strain
Material	Young's modulus ×10 ⁹ Nm ⁻²	=	$\frac{F}{A} \times \frac{L_{\rm o}}{\Delta L}$
Aluminium	70	∴ Y =	$\frac{FL_{o}}{\Delta \Delta L}$ (7.12)
Bone	0.02		$A \Delta L$
Brass	91	•	modulus is newton per square
Copper	110		modului of some common
Diamond	1120	materials are given in Tab	ole 7.2.
Glass	60	EXAMPLE 7.7	
Iron	190		long and cross-sectional area
Lead	16	5x10 ⁻⁵ m ² is stretched through 1 mm by a force of N. Find the Young's modulus of the wire.	
Nickel	200		
Rubber	0.0007	SOLUTION	
Steel	200	Force	F = 10,000 N
Tungsten	400		$L_o = 1$ m
Wood (parallel gain)	10	· ·	<i>L</i> = 1mm = 0.001m
(parallel galif) Wood (perpendicular gain)	1	Cross sectional Area	

Physics 1	63 Unit 7: Properties of Matter
Since $Y = \frac{F L_o}{A \Delta L}$ $Y = \frac{10000 \text{ N} \times \text{N}}{5 \times 10^{-5} \text{ m}^2 \times 0}$ $Y = 2 \times 10^{11} \text{ N m}^{-2}$ Thus, Young's modulus of steel is	
	MARY
 Kinetic molecular model explains the three states of matter assuming that matter is made up of particles called molecules. the molecules remain in 	 can determine its altitude. The changes in atmospheric pressure at a certain place indicate the expected changes in the weather conditions of that place.
continuous motion. • molecules attract each other.	Liquids also exert pressure given by:P=ρgh
At very high temperature, the collision between atoms and molecules tears off their electrons. Atoms become positive ions. This ionic state of matter is called plasma-the fourth state of matter.	 Liquids transmit pressure equally in all directions. This is called Pascal's law. When a body is immersed wholly or partially in a liquid, it loses its weight equal to the weight of the liquid
 Density is the ratio of mass to volume of a substance. Density of water is 1000 kgm⁻³. 	 displaced. This is known as Archimedes principle. For an object to float, its weight must be equal or loss than the unthrust of
Pressure is the normal force acting per unit area. Its SI unit is Nm ⁻² or pascal (Pa).	 be equal or less than the upthrust of the liquid acting on it. The property of matter by virtue of which matter resists any force which
Atmospheric pressure acts in all directions.	tries to change its length, shape or volume is called elasticity.
The instruments that measure atmospheric pressure are called	Stress is the deforming force acting per unit area.
barometers.The atmospheric pressure decreases as we go up. Thus, knowing the	 The ratio of change of length to the original length is called tensile strain. The ratio between stress and tensile
atmospheric pressure of a place, we	strain is called Young's modulus.

164 **Physics Unit 7: Properties of Matter QUESTIONS** 7.1 Encircle the correct answer vii. According to Hooke's law from the given choices: (a) stress x strain = constant i. In which of the following state molecules do not leave their (b) stress / strain = constant position? (c) strain / stress = constant (a) solid (b) liquid (d) stress = strain (d) plasma (c) gas The following force-extension graphs of a spring are drawn on ii. Which of the substances is the the same scale. Answer the lightest one? questions given below from (viii) (a) copper (b) mercury to (x). (c) aluminum (d) lead iii. SI unit of pressure is pascal, which is equal to: (a) (b) (a) 10^4 Nm^{-2} (b) 1 Nm^{-2} $(d)10^3 Nm^{-2}$ $(C)10^2 Nm^{-2}$ iv. What should be the approximate length of a glass tube to construct (c) (d) a water barometer? (a) 0.5 m (b) 1 m viii. Which graph does not obey Hooke's law? (c) 2.5 m (d) 11 m (c) (d) (a) (b) According to Archimedes, V. upthrust is equal to: Which graph gives the smallest ix. value of spring constant? (a) weight of displaced liquid (c) (a) (b) (d) (b) volume of displaced liquid Which graph gives the largest Χ. (c) mass of displaced liquid value of spring constant? (d) none of these (d) (a) (b) (c) The density of a substance can be vi. 7.2 How kinetic molecular model found with the help of: matter is helpful in (a)Pascal's law differentiating various states of matter? (b) Hooke's law 7.3 Does there exist a fourth state (c) Archimedes principle

(d) Principle of floatation

of matter? What is that?

Physic	CS	165	Unit 7: Properties of Matter
7.4 7.5 7.6 7.7 7.8 7.9 7.10 7.11	What is meant by density? What is its SI unit? Can we use a hydrometer to measure the density of milk? Define the term pressure. Show that atmosphere exerts pressure. It is easy to remove air from a balloon but it is very difficult to remove air from a glass bottle. Why? What is a barometer? Why water is not suitable to be used in a barometer? What makes a sucker pressed on a smooth wall sticks to it? Suction cup to hang light objects Why does the atmospheric pressure vary with height? What does it mean when the atmospheric pressure at a	7.14 7.15 7.16 7.17 7.18 7.19 7.20 7.21 7.22 7.23	Explain the working of hydraulic press.
	PRO	OBLEN	MS
7.1 7.2	A wooden block measuring 40 cm x 10 cm x 5 cm has a mass 850 g. Find the density of wood. (425 kgm³) How much would be the volume	7.3 (i)	Calculate the volume of the following objects: An iron sphere of mass 5 kg, the density of iron is 8200 kgm ⁻³ .
	of ice formed by freezing 1 litre of water? (1.09 litre)	(ii)	(6.1x10 ⁻⁴ m³) 200 g of lead shot having density 11300 kgm ⁻³ . (1.77x10 ⁻⁵ m³)

Physic	s	166	Unit 7: Properties of Matter
	(iii) A gold bar of mass 0.2 kg. The density of gold is 19300 kgm ⁻³ . (1.04x10 ⁻⁵ m ³)	;	$2.55~{\rm gcm}^{-3}$. Find the volume of the cavity. (5 cm 3)
7.4	The density of air is 1.3 kgm ⁻³ . Find the mass of air in a room measuring 8m x 5m x 4m. (208 kg)	7.9	An object has weight 18 N in air. Its weight is found to be 11.4 N when immersed in water. Calculate its density. Can you
7.5	A student presses her palm by her thumb with a force of 75 N. How	,	guess the material of the object? (2727 kgm ⁻³ , Aluminium)
	much would be the pressure under her thumb having contact area 1.5 cm ² ? (5x10 ⁵ Nm ⁻²)	7.10	A solid block of wood of density 0.6 gcm ⁻³ weighs 3.06 N in air. Determine (a) volume of the block (b) the volume of the block
7.6	The head of a pin is a square of side 10 mm. Find the pressure on it due to a force of 20 N.		immersed when placed freely in a liquid of density 0.9 gcm ⁻³ ? (510 cm ³ , 340 cm ³)
7.7	(2x10 ⁵ Nm ⁻²) A uniform rectangular block of wood 20 cm x 7.5 cm x 7.5 cm and of mass 1000g stands on a horizontal surface with its longest edge vertical. Find (i) the	7.11	The diameter of the piston of a hydraulic press is 30 cm. How much force is required to lift a car weighing 20 000 N on its piston if the diameter of the piston of the pump is 3 cm? (200 N)
	pressure exerted by the block on the surface (ii) density of the wood.	7.12	A steel wire of cross-sectional area 2x10 ⁻⁵ m ² is stretched through 2 mm by a force of
	(1778 Nm ⁻² , 889 kgm ⁻³))	4000 N. Find the Young's
7.8	A cube of glass of 5 cm side and mass 306 g, has a cavity inside it. If the density of glass is	!	modulus of the wire. The length of the wire is 2 m. (2x10 ¹¹ Nm ⁻²)

Thermal Properties of Matter

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- define temperature (as quantity which determines the direction of flow of thermal energy).
- define heat (as the energy transferred resulting from the temperature difference between two objects).
- list basic thermometric properties for a material to construct a thermometer.
- convert the temperature from one scale to another (Fahrenheit, Celsius and Kelvin scales).
- describe rise in temperature of a body in terms of an increase in its internal energy.
- define the terms heat capacity and specific heat capacity.
- describe heat of fusion and heat of vaporization (as energy transfer without a change of temperature for change of state).
- describe experiments to determine heat of fusion and heat of vaporization of ice and water respectively by sketching temperature-time graph on heating ice.
- explain the process of evaporation and the difference between boiling and evaporation.
- explain that evaporation causes cooling.



Conceptual linkage

This unit is built on Temperature Scales

- Science-IV

Evaporization - Science-V Thermal Expansion

- Science-VIII

This unit leads to: Thermodynamics

- Physics-XI

solids (linear and volumetric expansion). 8.1 Temperature and heat 8.2 **Thermometer** explain thermal expansion of liquids (real and 8.3 Specific heat capacity apparent expansion). 8.4 Latent heat of fusion 8.5 Latent heat of solve numerical problems based on the vaporization mathematical relations learnt in this unit. 8.6 Evaporation

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evaporation.

INVESTIGATION SKILLS The students will be able to:

demonstrate that evaporation causes cooling. SCIENCE, TECHNOLOGY AND SOCIETY

CONNECTION The students will be able to:

- explain that the bimetallic strip used in thermostat is based on different rate of
- describe one everyday effect due to relatively large specific heat of water.

expansion of different metals on heating.

Unit 8: Thermal Properties of Matter

list the factors which influence surface

describe qualitatively the thermal expansion of

- list and explain some of the everyday applications and consequences of thermal expansion.
- describe the use of cooling caused by evaporation in refrigeration process without using harmful CFC.

We use heat not only for cooking but also for doing other jobs. For example, changing heat to mechanical energy, electrical energy, etc. This can be done only if we have basic understanding about heat. Heat is an important concept in Physics. People have been trying to explain the nature of heat throughout the

history of mankind. A quantitative study of thermal phenomena requires a careful definition of such

temperature and various thermal phenomena.



Physics IX

8.7

Major Concepts

Thermal expansion

important terms as heat, temperature and internal energy. In this unit, we shall discuss various concepts related to heat, temperature, measurements of

When we touch a body, we feel it hot or cold. The

TEMPERATURE AND HEAT

temperature of a body tells us how hot or cold a body is. Thus Temperature of a body is the degree of hotness or

8.1

Physics IX

coldness of the body. A candle flame is hot and is said to be at high

temperature. Ice on the other hand is cold and is said to be at low temperature. Our sense of touch is a simple way

to know how much hot or cold a body is. However, this temperature sense is some what approximation and unreliable. Moreover, it is not always safe to touch a hot

body. What we need is a reliable and practicable method to determine the relative hotness or coldness of bodies. To understand the concept of temperature, it is

useful to understand the terms, thermal contact and thermal equilibrium. To store ice in summer, people

wrap it with cloth or keep it in wooden box or in thermos flask. In this way, they avoid the thermal contact of ice with its hot surroundings otherwise ice will soon melt away. Similarly, when you place a cup of hot tea or water

in a room, it cools down gradually. Does it continue cooling? It stops cooling as it reaches the room temperature. Thus, temperature determines the direction of flow of heat. Heat flows from a hot body to a cold body until thermal equilibrium is reached.

What happens when we touch a hot body? Take

two bodies having different temperatures. Bring them in contact with each other. The temperature of the hot body falls. It looses energy. This energy enters the cold body at lower temperature. Cold body gains energy and its temperature rises. The transfer of energy continues till

both the bodies have the same temperature. The form of energy that is transferred from a hot body to a cold body is

Heat is the energy that is transferred from one body to the other in thermal contact with each other as a result of the difference of temperature between them.

called heat. Thus

DO YOU KNOW

Unit 8: Thermal Properties of Matter



The crocus flower is a natural thermometer. It opens when the temperature is precisely 23°C and closes when the temperature drops.



Figure 8.2: A strip thermometer

170 **Unit 8: Thermal Properties of Matter** Heat is therefore, called as the energy in transit. Once



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Figure 8.3: A thermometer shows body temperature.

Mini Exercise 1. Which of the following

substances have greater

average kinetic energy of its molecules at 10°C? (a) steel (b) copper (c) water (d) mercury 2. Every thermometer makes use of some property of a material that varies with temperature. Name the property used in:

(a) strip thermometers

(b) mercury thermometers

The sum of kinetic energy and potential energy associated with the atoms, molecules

What is internal energy of a body?

no longer exists as heat energy.

and particles of a body is called its internal energy. Internal energy of a body depends on many factors such as the mass of the body, kinetic and potential

energies of molecules etc. Kinetic energy of an atom or

molecule is due to its motion which depends upon the

temperature. Potential energy of atoms or molecules is

of a body is called thermometer. Some substances have

heat enters a body, it becomes its internal energy and

the stored energy due to intermolecular forces. **8.2 THERMOMETER**

A device that is used to measure the temperature

property that changes with temperature. Substances that show a change with temperature can be used as a thermometric material. For example, some substances expand on heating, some change their colours, some change their electric resistance, etc. Nearly all the substances expand on heating. Liquids also expand on heating and are suitable as thermometric materials.

Common thermometers are generally made using some

suitable liquid as thermometric material. A thermometric

liquid should have the following properties: It should be visible.

- It should have uniform thermal expansion.
 - It should have a low freezing point.
 - It should have a high boiling point.
 - It should not wet glass.
 - It should be a good conductor of heat.
 - It should have a small specific heat capacity.

A liquid-in-glass thermometer has a bulb with a long capillary tube of uniform and fine bore such as shown

Mercury thread

in figure 8.4. A suitable liquid is filled in the bulb. When the bulb contacts a hot object, the liquid in it expands and rises in the tube. The glass stem of a thermometer is thick and acts as a cylindrical lens. This makes it easy to see

LIQUID-IN-GLASS THERMOMETER

the liquid level in the glass tube.

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Bulb

Mercury

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Glass tube

mercury is one of the most suitable thermometric material. Mercury-in-glass thermometers are widely used in laboratories, clinics and houses to measure temperatures in the range from -10 °C to 150 °C.

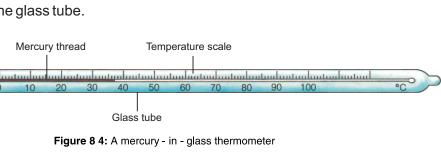
has all the thermometric properties listed above. Thus

LOWER AND UPPER FIXED POINTS A thermometer has a scale on its stem. This scale has two fixed points. The lower fixed point is marked to show the position of liquid in the thermometer when it is placed in ice. Similarly, upper fixed point is marked to show the position of liquid in the thermometer when it is

SCALES OF TEMPERATURE

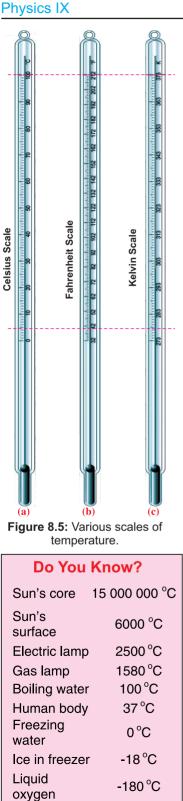
A scale is marked on the thermometer. The temperature of the body in contact with the thermometer can be read on that scale. Three scales of temperature are in common use. These are:

placed in steam at standard pressure above boiling water.



Unit 8: Thermal Properties of Matter

Mercury freezes at-39 °C and boils at 357 °C. It



From Celsius to Kelvin Scale The temperature T on Kelvin scale can be obtained by adding 273 in the temperature C on Celsius scale. Thus

C

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Fahrenheit scale

Kelvin scale

is marked as 212 °F (Figure 8.5-b).

(i)

(ii)

(iii)

Unit 8: Thermal Properties of Matter

Celsius scale or centigrade scale

and upper fixed points is divided into 100 equal parts as shown in figure 8.5(a). The lower fixed point is marked as

and upper fixed points is divided into 180 equal parts. Its

lower fixed point is marked as 32 °F and upper fixed point

and its scale is called Kelvin scale of temperature as shown in figure 8.5 (c). The interval between the lower and upper fixed points is divided into 100 equal parts. Thus, a change in 1°C is equal to a change of 1K. The lower fixed point on this scale corresponds to 273 K and the upper fixed point is referred as 373 K. The zero on this scale is called the absolute zero and is equal

0 °C and the upper fixed point is marked as 100 °C.

On Celsius scale, the interval between lower

On Fahrenheit scale, the interval between lower

In SI units, the unit of temperature is kelvin (K)

to - 273 °C.

EXAMPLE 8.1

What will be the temperature on Kelvin scale of temperature when it is 20 °C on Celsius scale? SOLUTION

T(K) = 273 + C

CONVERSION OF TEMPERATURE FROM ONE SCALE INTO OTHER TEMPERATURE SCALE

as

T = 273 + C

T = 273 + 20 = 293 K

(8.1)

= 20 °C

Change 300K on Kelvin scale into Celsius scale of temperature.

by subtracting 273 from the temperature in Kelvin Scale.

C = T(K) - 273

The temperature on Celsius scale can be found

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... ... (8.2)

SOLUTION
$$T = 300 \text{ K}$$

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Thus

EXAMPLE 8.2

Since
$$C = T(K) - 273$$

 $\therefore C = (300 - 273) ^{\circ}C$

FROM KELVIN TO CELSIUS SCALE

or
$$C = 27 \,^{\circ}\text{C}$$

FROM CELSIUS TO FAHRENHEIT SCALE

Since 100 divisions on Celsius scale are equal to

180 divisions on Fahrenheit scale. Therefore, each division on Celsius scale is equal to 1.8 divisions on Fahrenheit scale. Moreover, 0°C corresponds to 32°F.

$$F = 1.8C + 32$$
 ... (8.3)

Here *F* is the temperature on Fahrenheit scale and *C* is the temperature on Celsius scale.

EXAMPLE 8.3

Convert 50°C on Celsius scale into Fahrenheit temperature scale.

SOLUTION

$$C = 50 \,^{\circ}\text{C}$$

Since $F = (1.8 \times C + 32)$
 $F = (1.8 \times 50 + 32)$
or $F = 122 \,^{\circ}\text{F}$

Thus, 50 °C on Celsius scale is 122 °F on Fahrenheit scale.

DO YOU KNOW? A clinical thermometer is used to measure the temperature of 40 human body. It has a narrow range from 35 °C to 42 °C. 36 It has a constriction that prevents the mercury to return. Thus, its reading does not change until reset.

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		FROM FAHRENHEIT TO CELSIUS SCALE From equation 8.3, we can find the temperature on Celsius scale from Fahrenheit Scale. EXAMPLE 8.4
		Convert 100 °F into the temperature on Celsius scale.
		SOLUTION $F = 100 ^{\circ}F$ Since $1.8 C = F - 32$ ∴ $= 100 - 32$ or $1.8 C = 68$ or $C = 68/1.8$
	pecific heat of on substances	or $C = 37.8 ^{\circ}\text{C}$
Substance	Specific heat Jkg ⁻¹ K ⁻¹	
Alcohol	2500.0	8.3 SPECIFIC HEAT CAPACITY Generally, when a body is heated, its temperature
Aluminium	903.0	increases. Increase in the temperature of a body is
Bricks	900.0	found to be proportional to the amount of heat
Carbon	121.0	absorbed by it. It has also been observed that
Clay	920.0	the quantity of heat ΔQ required to raise the temperature
Copper	387.0	ΔT of a body is proportional to the mass m of the body. Thus
Ether	2010.0	$\Delta Q \propto m \Delta T$
Glass	840.0	or $\Delta Q = c m \Delta T \dots \dots \dots (8.4)$
Gold Granite	128.0 790.0	$01 \Delta Q = C \Pi \Delta I \dots \dots (0.4)$
Ice	2100.0	Here ΔQ is the amount of heat absorbed by the
Iron	470.0	body and c is the constant of proportionality called the
Lead	128.0	specific heat capacity or simply specific heat.
Mercury	138.6	The specific heat of a substance is defined as
Sand	835.0	Specific heat of a substance is the amount of
Silver	235.0	heat required to raise the temperature of 1 kg
Soil (dry)	810.0	mass of that substance through 1K.
Steam	2016.0	
Tungsten	134.8	Mathematically,
Turpentine	1760.3	$c = \frac{\Delta Q}{m \Delta T} \dots \dots \dots \dots \dots \dots \dots \dots (8.5)$
Water	4200.0	$m \Delta T$
Zinc	385.0	In SI units, mass m is measured in kilogramme (kg),
		heat ΔQ is measured in joule (J) and temperature
		increase ΔT is taken in kelvin (K). Hence, SI unit of

OF WATER Specific heat of water is 4200 Jkg⁻¹K⁻¹ and that of

substances are given in Table 8.1.

dry soil is about 810 Jkg⁻¹ K⁻¹. As a result the temperature of soil would increase five times more than the same mass of water by the same amount of heat. Thus, the temperature of land rises and falls more rapidly than that of the sea. Hence, the temperature variations from summer to winter are much smaller at places near the

specific heat is Jkg-1K-1. Specific heats of some common

IMPORTANCE OF LARGE SPECIFIC HEAT CAPACITY

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sea than land far away from the sea. Water has a large specific heat capacity. For this reason, it is very useful in storing and carrying thermal energy due to its high specific heat capacity. The cooling

system of automobiles uses water to carry away unwanted thermal energy. In an automobile, large

maintains its temperature. Water absorbs unwanted thermal energy of the engine and dissipates heat through

amount of heat is produced by its engine due to which its temperature goes on increasing. The engine would cease unless it is not cooled down. Water circulating around the engine as shown by arrows in figure 8.6

its radiator In central heating systems such as shown in figure 8.7, hot water is used to carry thermal energy

are fixed inside the house at suitable places.

through pipes from boiler to radiators. These radiators

EXAMPLE 8.5

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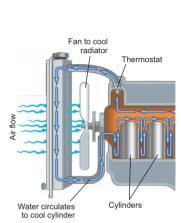
A container has 2.5 litres of water at 20°C. How much heat is required to boil the water?

SOLUTION

Volume of water = 2.5 litres

Mass of water m = 2.5 kg

(since density of water is 1000 kgm⁻³ or 1kgL⁻¹)



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Figure 8.6: A Cooling system in automobile.

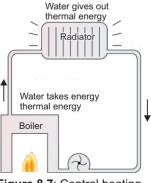


Figure 8.7: Central heating system

Specific heat of water
$$c=4200 \, \mathrm{Jkg^{-1}} \, \mathrm{K^{-1}}$$
Initial temperature $t_1=20^{\circ}\mathrm{C}$
Final temperature $t_2=100^{\circ}\mathrm{C}$
Temperature Increase $\Delta T = t_2 - t_1$

$$= 100^{\circ}\mathrm{C} - 20^{\circ}\mathrm{C}$$

$$= 80^{\circ}\mathrm{C} \, \mathrm{or} \, 80 \, \mathrm{K}$$
Since $Q = c \, m \Delta T$

$$\therefore \qquad Q = 4200 \, \mathrm{Jkg^{-1}} \, \mathrm{K^{-1}} \, \mathrm{x2.5 \, kgx80 \, K}$$
or $Q = 840 \, 000 \, \mathrm{J}$
Thus, required amount of heat is 840 000 $\mathrm{J} \, \mathrm{or} \, 840 \, \mathrm{kJ}$.

HEAT CAPACITY

How much heat a body can absorb depends on many factors. Here we define a quantity called heat capacity of a body as:

Heat capacity of a body is the quantity of thermal energy absorbed by it for one kelvin (1 K) increase in its temperature.

Thus, if the temperature of a body increases through ΔT on adding ΔQ amount of heat, then its heat capacity will be $\frac{\Delta Q}{\Delta T}$
Putting the value of ΔQ , we get

Heat capacity = $\frac{\Delta Q}{\Delta T} = \frac{m \, c \, \Delta T}{\Delta T}$

$$\therefore \text{ Heat capacity} = mc \, \dots \, \dots \, \dots \, (8.6)$$
Equation (8.6) shows that heat capacity of a body is equal to the product of its mass of the body and its specific heat capacity. For example, heat capacity of 5 kg of water is $(5 \, \mathrm{kg} \, x \, 4200 \, \mathrm{Jkg'} \, \mathrm{K''}) \, 21000 \, \mathrm{JK'}$. That is; 5 kg of water is $(5 \, \mathrm{kg} \, x \, 4200 \, \mathrm{Jkg'} \, \mathrm{K''}) \, 21000 \, \mathrm{JK'}$. That is; 5 kg of water is $(5 \, \mathrm{kg} \, x \, 4200 \, \mathrm{Jkg'} \, \mathrm{K''}) \, 21000 \, \mathrm{JK'}$.

larger will be its heat capacity.

of water needs 21000 joules of heat for every 1 K rise in its temperature. Thus, larger is the quantity of a substance,

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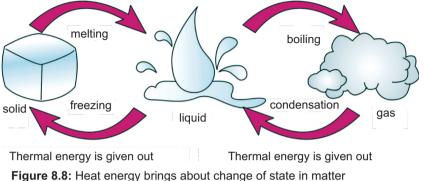
8.4 CHANGE OF STATE Matter can be changed from one state to another.

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For such a change to occur, thermal energy is added to or

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removed from a substance. Thermal energy is taken in Thermal energy is taken in



ACTIVITY 8.1 Take a beaker and place it over a stand. Put small

pieces of ice in the beaker and suspend a thermometer in the beaker to measure the temperature of ice.

start melting. The temperature of the mixture containing

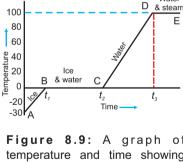
ice and water will not increase above 0°C until all the ice melts and we get water at 0°C. If this water at 0°C is further heated, its temperature will begin to increase

Now place a burner under the beaker. The ice will

above 0 °C as shown by the graph in figure. 8.9. Part AB: On this portion of the curve, the temperature of ice increases from -30 °C to 0 °C. Part BC: When the temperature of ice reaches 0 °C, the

ice melts. Part CD: The temperature of the substance gradually increases from 0 °C to 100 °C. The amount of energy so added is used up in increasing the temperature of water.

ice water mixture remains at this temperature until all the



and steam.

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change of state of ice into water

Water

Part DE: At 100 °C water begins to boil and changes into steam. The temperature remains 100 °C till all the water

changes into steam.

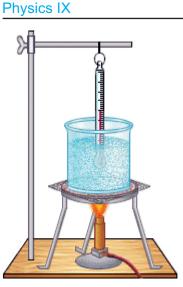


Figure 8.10: Heating ice

When a substance is changed from solid to liquid

8.5 LATENT HEAT OF FUSION

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state by adding heat, the process is called melting or fusion. The temperature at which a solid starts melting is called its **fusion point** or **melting point**. When the process is reversed i.e. when a liquid is cooled, it changes into solid state. The temperature at which a substance changes from liquid to solid state is called its **freezing point**. Different substances have different melting points. However, the freezing point of a substance is the same as its melting point. **Heat energy required to change unit mass of a**

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substance from solid to liquid state at its melting point without change in its temperature is called its latent heat of fusion.

It is denoted by *H*,

 $H_f = \frac{\Delta Q_f}{m}$ or $\Delta Q_f = m H_f \dots (8.7)$ Ice changes at 0 °C into water. Latent heat of

fusion of ice is 3.36 x10⁵ Jkg⁻¹. That is; 3.36x10⁵ joule heat is required to melt 1 kg of ice into water at 0 °C.

EXPERIMENT 8.1 Take a beaker and place it over a stand. Put small

pieces of ice in the beaker and suspend a thermometer in the beaker to measure the temperature. Place a burner under the beaker. The ice will start melting. The temperature of the mixture containing ice and water will not increase above 0°C until all the ice melts. Note the time which the ice takes to melt completely into water at 0°C.

Continue heating the water at 0°C in the beaker. Its temperature will begin to increase. Note the time which the water in the beaker takes to reach its boiling point at 100°C from 0°C.

Draw a temperature-time graph such as shown in figure 8.11. Calculate the latent heat of fusion of ice from the data as follows:

Let mass of ice = m

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Finding the time from the graph:

Time taken by ice to melt completely at 0 °C

$$t_i = t_i = t_2 - t_1 = 3.6 \text{ min.}$$

Time taken by water to the at from 0 °C to 100 °C

Specific heat of water $t_i = 4200 \text{ Jkg}^{-1} \text{ K}^{-1}$

Increase in the temperature of water $t_i = \Delta T = 100 \text{ °C} = 100 \text{ K}$

Heat required by water from 0 °C to 100 °C

$$t_i = \Delta Q = m c \Delta T$$

$$t_i = m \times 42000 \text{ Jkg}^{-1} \text{ K}^{-1} \times 100 \text{ K}$$

$$t_i = m \times 42000 \text{ Jkg}^{-1} \text{ K}^{-1} \times 100 \text{ K}$$

$$t_i = m \times 42000 \text{ Jkg}^{-1}$$

Heat A Q is supplied to water in time t_i to raise its temperature from 0 °C to 100 °C. Hence, the rate of absorbing heat by water in the beaker is given by

Rate of absorbing heat
$$t_i = \Delta Q_i = \frac{\Delta Q \times t_i}{t_o}$$

$$t_i = \Delta Q \times \frac{t_i}{t_o}$$
Since
$$\Delta Q_i = m \times H_i \text{ (from eq. 8.7)}$$
Putting the values, we get

$$t_i = m \times 4.2 \times 10^5 \text{ Jkg}^{-1} \times \frac{t_i}{t_o}$$
or
$$t_i = 4.2 \times 10^5 \text{ Jkg}^{-1} \times \frac{t_i}{t_o}$$
The values of t_i and t_o can be found from the graph. Put the values in the above equation to get

$$t_i = 4.2 \times 10^5 \text{ Jkg}^{-1} \times \frac{t_i}{4.6 \text{ min.}}$$

$$t_i = 3.29 \times 10^5 \text{ Jkg}^{-1}$$
The latent heat of fusion of ice found by the

above experiment is 3.29x10⁵ Jkg⁻¹ while its actual

value is 3.36x10⁵ Jkg⁻¹.

60 emperature (°C) 40 20 ice melts 10 t_3 Time (minutes) Figure 8.11: Temperature-time graph as ice changes into water that boils as heating continues.

Water

Water boils

120

100

80

180 Physics IX **Unit 8: Thermal Properties of Matter** 8.6 LATENT HEAT OF VAPORIZATION

When heat is given to a liquid at its boiling point, its temperature remains constant. The heat energy given

temperature. Thus

The quantity of heat that changes unit mass of a liquid completely into gas at its boiling point without any change in its temperature is called its latent heat of vaporization. It is denoted by H_{ν}

When water is heated, it boils at 100°C under

to a liquid at its boiling point is used up in changing its state from liquid to gas without any increase in its

 $H_{V} = \frac{\Delta Q_{V}}{m}$

 $\Delta Q_{\nu} = m H_{\nu} \dots \dots \dots \dots (8.8)$ or

standard pressure. Its temperature remains 100°C until it is changed completely into steam. Its latent heat of vaporization is 2.26 x10⁶ J kg⁻¹. That is; one kilogramme of water requires 2.26x10⁶ joule heat to change it completely into gas (steam) at its boiling point. The value of melting point, boiling point, latent heat of fusion and vaporization of some of the substances is given in Table 8.2.

Table 8.2: Melting point, boiling point, latent heat of fusion and latent heat of vaporization of some common substances.

Substance	Melting point (°C)	Boiling point (°C)	Heat of fusion (kJkg ⁻¹)	Heat of vaporization (kJkg ⁻¹)
Aluminium	660	2450	39.7	10500
Copper	1083	2595	205.0	4810
Gold	1063	2660	64.0	1580
Helium	-270	-269	5.2	21
Lead	327	1750	23.0	858
Mercury	-39	357	11.7	270
Nitrogen	-210	-196	25.5	200
Oxygen	-219	-183	13.8	210
Water	0	100	336.0	2260

water changes into steam. Note the time which the

EXPERIMENT 8.2

At the end of experiment 8.1, the beaker contains boiling water. Continue heating water till all the Physics IX 181 Unit 8: Thermal Properties of Matter water in the beaker takes to change completely into steam at its boiling point 100°C. 120 Water boils 100 80 Water and steam Water 60

the data as follows: Mass of ice Let = m $= t_0 = t_3 - t_2 = 4.6 \text{ min.}$ Time t0 taken to heat water

Time taken by water at
$$100^{\circ}$$
C to change it into steam $= t_{v} = t_{4} - t_{3} = 24.4$ min.

Specific heat of water c $= 4200 \text{ Jkg}^{-1}\text{K}^{-1}$
Increase in the temperature

from 0°C to 100°C (melt)

 $= \Lambda T = 100^{\circ} C = 100 K$ of water Heat required to heat $= \Delta Q = m c \Delta T$ water from 0°C to 100°C $= m \times 4200 \text{ Jkg}^{-1} \text{K}^{-1} \times 100 \text{ K}$ $= m \times 420~000~\mathrm{Jkg}^{-1}$ $= m \times 4.2 \times 10^5 \text{ Jkg}^{-1}$

As burner supplies heat Δ Q to water in time t_o to raise its temperature from 0°C to 100°C. Hence, the rate at which heat is absorbed by the beaker is given by

heat is absorbed by the beaker is given by

Rate of absorbing heat
$$= \frac{\Delta Q}{t_o}$$

$$\therefore \text{ Heat absorbed in time } t_v = \Delta Q_v = \frac{\Delta Q \times t_v}{t_o}$$

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from the surface of a liquid without heating.

Figure 8.13: Evaporation is escaping

out of fast moving water molecules

Since

or

value is 2.26x10⁶ Jkg⁻¹.

Putting the values of t_v and t_o from the graph, we get

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Putting the values, we get

 $H_v = 4.2 \times 10^5 \text{ Jkg}^{-1} \times \frac{24.4 \text{ min.}}{4.6 \text{ min.}}$

 $= 2.23 \times 10^6 \text{ Jkg}^{-1}$ The latent heat of vaporization of water found by

the above experiment is 2.23x10⁶ Jkg⁻¹ while its actual

8.7 THE EVAPORATION

Take some water in a dish. The water in the dish will

disappear after sometime. It is because the molecules of water are in constant motion and possess kinetic energy. Fast moving molecules escape out from the surface of

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 $\Delta Q_V = m \times H_V$ (from eq.8.8)

 $m \times H_v = m \times 4.2 \times 10^5 \text{ Jkg}^{-1} \times \frac{t_v}{t_z}$

 $H_{\nu} = 4.2 \times 10^5 \, \text{Jkg}^{-1} \times \frac{t_{\nu}}{t_{c}}$

evaporation. Thus Evaporation is the changing of a liquid into vapours (gaseous state) from the surface of the liquid without heating it.

water and goes into the atmosphere. This is called

Unlike boiling, evaporation takes place at all temperatures but only from the surface of a liquid. The process of boiling takes place at a certain fixed

temperature which is the boiling point of that liquid. At boiling point, a liquid is changing into vapours not only from the surface but also within the liquid. These vapours come out of the boiling liquid as bubbles which breakdown on reaching the surface.

Evaporation plays an important role in our daily

1. How specific heat differs from heat capacity? 2.

from vaporization?

3.

Give two uses of cooling

Mini Exercise

effect by evaporation.

How evaporation differs

life. Wet clothes dry up rapidly when spread. Evaporation causes cooling. Why? During evaporation fast moving

molecules escape out from the surface of the liquid. Molecules that have lower kinetic energies

are left behind. This lowers the average kinetic energy of the liquid molecules and the temperature of the surface of a liquid. The rate of evaporation is affected by various factors.

TEMPERATURE

Evaporation takes place at all temperature from the

liquid. Since temperature of a substance depends on the average kinetic energy of its molecules. Evaporation of

perspiration helps to cool our bodies.

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Why wet clothes dry up more quickly in summer

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molecules escape from its surface. Thus, evaporation is faster at high temperature than at low temperature.

SURFACE AREA

than in winter? At higher temperature, more molecules of

a liquid are moving with high velocities. Thus, more

Why water evaporates faster when spread over

large area? Larger is the surface area of a liquid, greater number of molecules has the chance to escape from its surface.

WIND

why?

away the liquid molecules that have just escaped out. This increases the chance for more liquid molecules to escape out.

Wind blowing over the surface of a liquid sweeps

NATURE OF THE LIQUID

Does spirit and water evaporate at the same rate? Liquids differ in the rate at which they evaporate. Spread a few drops of ether or spirit on your palm. You feel cold,

8.8 THERMAL EXPANSION

Most of the substances solids, liquids and gases expand on heating and contract on cooling. Their thermal expansions and contractions are usually small and are not noticeable. However, these expansions and contractions are important in our daily life.

The kinetic energy of the molecules of an object depends on its temperature. The molecules of a solid vibrate with larger amplitude at high temperature than

REFRIGERATORS Evaporator Expansion valve HEAT Liquid

Radiator fins

Condenser

Low-pressure

High-

pressure

COOLING IN

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Cooling is produced in refrigerators by evaporation of a liquified gas. This produces cooling effect. Freon, a CFC, was used as a refrigerant gas. But its use has been forbidden when it was known that CFC is the cause of ozone depletion in the upper atmosphere which results increase in amount of UV rays from the Sun. The rays are harmful to all living matter. Freon gas is now replaced by Ammonia and other substances

environment.

which are not harmful to the

Compressor

gmug

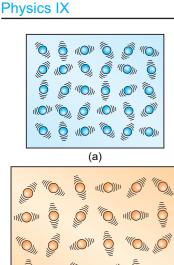


Figure 8.14: Molecules of an object moving with (a) smaller amplitude at low temperature (b) larger amplitude at high temperature.

(((()))) (())),

Table 8.3: Coefficient of linear

thermal expansion (α) of some

 $\alpha (K^{-1})$ Substance 2.4×10^{-5} **Aluminium**

common solids.

 1.9×10^{-5} Brass 1.7×10^{-5} Copper 1.2×10^{-5}

Steel 1.93×10^{-5} Silver 1.3×10^{-5} Gold

 8.6×10^{-5} **Platinum** 0.4×10^{-5} Tungsten

 0.4×10^{-5} Glass (pyrex) 0.9×10^{-5} Glass(ordinary) 1.2×10^{-5} Concrete

LINEAR THERMAL EXPANSION IN SOLIDS

or

or

or

substance.

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It has been observed that solids expand on

at low temperature. Thus, on heating, the amplitude of

vibration of the atoms or molecules of an object

increases. They push one another farther away as the

amplitude of vibration increases. Thermal expansion results an increase in length, breadth and thickness of a

Unit 8: Thermal Properties of Matter

 $= \Delta T = T - T_0$

(8.9)

(8.10)

(8.11)

It is found that change in length AL of a solid is

heating and their expansion is nearly uniform over a wide range of temperature. Consider a metal rod of length L_0 at

certain temperature T_o . Let its length on heating to a temperature T becomes L Thus Increase in length of the rod = $\Delta L = L - L_0$

directly proportional to its original length L_{o} , and the change in temperature △T. That is;

Increase in temperature

 $\Delta L \propto L_0 \Delta T$ $\Delta L = \alpha L_o \Delta T \dots \dots$

 $L = L_o (1 + \alpha \Delta T)$

where α is called the **coefficient of linear**

Thus, we can define the coefficient of linear

 $L - L_o = \alpha L_o \Delta T$

From equation (8.9), we get

thermal expansion of the substance.

 $\alpha = \frac{\Delta L}{L_0 \Delta T}$

its length per kelvin rise in temperature. Table 8.3 gives coefficient of linear thermal expansion of some common solids.

expansion α of a substance as the fractional increase in

EXAMPLE 8.6 A brass rod is 1 m long at 0°C. Find its length at 30°C.

(Coefficient of linear expansion of brass =1.9x10⁻⁵K⁻¹)

185 Physics IX Unit 8: Thermal Properties of Matter SOLUTION L_{o} = 1mt $= 30^{\circ}C$ t_{o} $= 0^{\circ}C$ T_{α} = 0+273 = 273KΤ = 30 + 273 = 303K Δ T $= T - T_0$ = 303 K - 273 K= 30 K $= 1.9 \times 10^{-5} \,\mathrm{K}^{-1}$ α $L = L_o(1 + \alpha \Delta T)$ since $L = 1m \times (1 + 1.9 \times 10^{-5} \text{ K}^{-1} \times 30 \text{ K})$ $L = 1.00057 \, \text{m}$ Hence, the length of the brass bar at 30°C will be 1.00057 m. **VOLUME THERMAL EXPANSION** The volume of a solid also changes with the change in temperature and is called volume thermal Table 8.4: Coefficient of volume expansion or cubical thermal expansion. Consider a expansion of various substances. solid of initial volume V_a at certain temperature T_a . On β (K⁻¹) heating the solid to a temperature T, let its volume **Substance** becomes V, then 7.2×10^{-5} **Aluminium** 6.0×10^{-5} **Brass** Change in the volume of a solid $\Delta V = V - V_o$ 5.1 × 10⁻⁵ Copper Change in temperature $\Delta T = T - T_0$ and 3.6 × 10⁻⁵ Steel Like linear expansion, the change in volume ΔV is 27.0 × 10⁻⁵ **Platinum** found to be proportional to its original volume V_a and 2.7×10^{-5} Glass(ordinary) change in temperature ΔT . Thus 1.2 × 10⁻⁵ Glass(pyrex) $\Delta V \propto V_o \Delta T$ 53 × 10⁻⁵ Glycerine 18×10^{-5} Mercury $\Delta V = \beta V_o \Delta T \qquad \dots \qquad \dots \qquad (8.12)$ or 21 × 10⁻⁵ Water $V - V_o = \beta V_o \Delta T$ 3.67×10^{-3} Air 3.72×10^{-3} $V = V_o (1 + \beta \Delta T) \dots (8.13)$ Carbon dioxide 3.66×10^{-3} Hydrogen where β is the temperature coefficient of volume expansion. Using equation 8.12, we get

Physics IX 186 **Unit 8: Thermal Properties of Matter** $\beta = \frac{\Delta V}{V \Delta T}$ (8.14) Thus, we can define the temperature coefficient of volume expansion β as the fractional change in its volume per kelvin change in temperature. The coefficients of linear expansion and volume expansion are related by the equation: $\beta = 3 \alpha$ (8.15) Values of β for different substances are given in Table 8.4. **EXAMPLE 8.7** Find the volume of a brass cube at 100°C whose side is 10 cm at 0°C. (coefficient of linear thermal expansion of brass = $1.9 \times 10^{-5} \,\mathrm{K}^{-1}$). **SOLUTION** $L_o = 10 \text{cm} = 0.1 \text{ m}$ $T_o = 0^{\circ} \text{C} = (0 + 273) \text{ K} = 273 \text{ K}$ $T = 100^{\circ} \text{C} = (100 + 273) \text{ K} = 373 \text{ K}$ $\Delta T = T - T_0$ = 373 K - 273 K = 100 K $\alpha = 1.9 \times 10^{-5} \,\mathrm{K}^{-1}$ $\beta = 3 \alpha$ as $\beta = 3 \times 1.9 \times 10^{-5} \,\mathrm{K}^{-1}$ Therefore $=5.7 \times 10^{-5} \text{ K}^{-1}$ initial volume $V_0 = L_0^3 = (0.1 \text{ m})^3$ $= 0.001 \text{ m}^3 = 10^{-3} \text{ m}^3$ Since $V = V_o (1 + \beta \Delta T)$ $V = 10^{-3} \,\mathrm{m}^3 \times (1 + 5.7 \times 10^{-5} \,\mathrm{K}^{-1} \times 100 \,\mathrm{K})$ Hence $V = 10^{-3} \,\mathrm{m}^3 \times (1 + 5.7 \times 10^{-3})$ or $=10^{-3} \,\mathrm{m}^3 \times (1 + 0.0057)$ $= 1.0057 \times 10^{-3} \,\mathrm{m}^3$

Hence, the volume of brass cube at 100 °C will be $1.0057 \times 10^{-3} \text{m}^3$ CONSEQUENCES OF THERMAL EXPANSION

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Why gaps are left in railway tracks? The expansion of solids may damage the bridges, railway

Physics IX

between sections

tracks and roads as they are constantly subjected to temperature changes. So provision is made during construction for expansion and contraction with temperature. For example, railway tracks buckled on a hot summer day due to expansion if gaps are not left

Bridges made of steel girders also expand during the day and contract during night. They will bend if their ends are fixed. To allow thermal expansion, one end is fixed while the other end of the girder rests on rollers in

the gap left for expansion. Overhead transmission lines are also given a certain amount of sag so that they can

contract in winter without snapping. APPLICATIONS OF THERMAL EXPANSION Thermal expansion is used in our daily life. In thermometers, thermal expansion is used in temperature measurements. To open the cap of a bottle that is tight

cap expands and becomes loose. It would now be easy to turn it to open. To join steel plates tightly together, red hot rivets are forced through holes in the plates as shown in figure

8.18 (a). The end of hot rivet is then hammered. On

cooling, the rivets contract and bring the plates tightly

enough, immerse it in hot water for a minute or so. Metal

gripped. Iron rims are fixed on wooden wheels of carts. Iron rims are heated. Thermal expansion allows them to slip over the wooden wheel. Water is poured on it to cool.

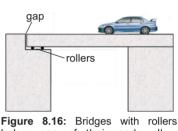
The rim contracts and becomes tight over the wheel. **BIMETAL STRIP**

A bimetal strip consists of two thin strips of different metals such as brass and iron joined together as shown in figure 8.19(a). On heating the strip, brass

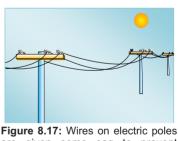


Unit 8: Thermal Properties of Matter

tracks to compensate thermal expansion during hot season.



below one of their ends allow movements due to expansion and contraction.



are given some sag to prevent breakina in winter.

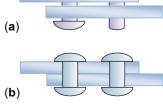


Figure 8.18 (a) Hot rivets inserted (b) after hammering, rivets are cold down.

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Current from to heater

Brass Officer | Brass Officer | Brass | Brass

Physics IX

breaks the electrical circuit at preset temperature.

Figure 8.20: Bimetal thermostat

Contacts

Control knob

DO YOU KNOW?

Water on cooling below 4°C begins to expand until it reaches 0°C. On further cooling its volume increases suddenly as it changes into ice at 0°C. When ice is cooled below 0°C, it contracts i.e. its volume decreases like solids. This unusual expansion of water is called the **anomalous**

expansion of water.

expands more than iron. This unequal expansion causes bending of the strip as shown in figure 8. 19(b).

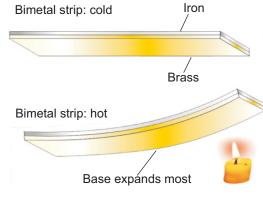


Figure 8.19 (a) A bimetal strip of brass and iron (b) Bending of brassiron bimetal strip on heating due to the difference in their thermal expansion.

Bimetal strips are used for various purposes.

Bimetal thermometers are used to measure temperatures especially in furnaces and ovens. Bimetal strips are also used in thermostats. Bimetal thermostat

switch such as shown in figure 8.20 is used to control the

directions within the liquid. On heating a liquid, the

temperature of heater coil in an electric iron.

THERMAL EXPANSION OF LIQUIDS The molecules of liquids are free to move in all

average amplitude of vibration of its molecules increases. The molecules push each other and need more space to occupy. This accounts for the expansion of the liquid when heated. The thermal expansion in liquids is greater than solids due to the weak forces between their molecules. Therefore, the coefficient of volume expansion of liquids is greater than solids.

Liquids have no definite shape of their own. A liquid always attains shape of the container in which it is poured. Therefore, when a liquid is heated, both liquid and the container undergo a change in their volume. Thus, there are two types of thermal volume expansion for liquid.

- Apparent volume expansion
 - Real volume expansion

liquid level first falls to B and then rises to C.

figure 8.21. Now start heating the flask from bottom. The

begins to rise above B on getting hot. At certain temperature it reaches at C. The rise in level from A to C is

due to the apparent expansion in the volume of the liquid.

the liquid

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Real expansion of the liquid

The heat first reaches the flask which expands and its volume increases. As a result liquid descends in the flask and its level falls to B. After sometime, the liquid

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Actual expansion of the liquid is greater than that due to the expansion because of the expansion of the glass flask. Thus real expansion of the liquid is equal to the volume difference between A and C in addition to the volume expansion of the flask. Hence expansion of + the float

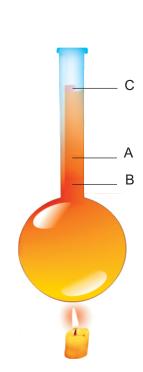
 $BC = AC + AB \dots (8.16)$ or The expansion of the volume of a liquid taking into consideration the expansion of the container also, is called the real volume expansion of the liquid. The real rate of volume expansion β , of a liquid is defined as the actual change in the unit volume of a liquid for 1K (or 1°C)

expansion of the container
$$\beta_g$$
. Thus
$$\beta_r = \beta_a + \beta_g \quad \dots \quad (8.17)$$

It should be noted that different liquids have different coefficients of volume expansion.

rise in its temperature. The real rate of volume expansion

 β_r is always greater than the apparent rate of volume expansion β_a by an amount equal to the rate of volume



Unit 8: Thermal Properties of Matter

Figure 8.21: Real and apparent expansion of liquid.

SUMMARY				
The temperature of a body is the degree of hotness or coldness of the body.	>	The heat required by unit mass of a substance at its melting point to change it from solid state to liquid		
The control of the control of		state is called the latent heat of		

fusion.

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The lower fixed point is the mark that gives the position of mercury in the thermometer when it is placed in ice. The upper fixed point is the mark that

Thermometers are made to measure

the temperature of a body or places.

Physics IX

- shows the position of mercury in the thermometer when it is placed in steam from boiling water at standard pressure.
 - Inter-conversion between scales: From Celsius To Kelvin Scale: T(K)=273 + C
 - From Kelvin to Celsius Scale: C = T(K) - 273

Scale:

$$F = 1.8 C + 32$$

- Heat is a form of energy and this energy is called heat as long as it is in the process of transfer from one body to another body. When a body is heated, the kinetic energy of its molecules increases, the average
- increase. The specific heat of a substance is defined as the amount of heat required to raise the temperature of a unit mass of that substance through one degree centigrade (1°C) or one kelvin (1K).

distances between the molecules

Mathematically. $L = L_o (1 + \alpha \Delta T)$

heat of vaporization.

Unit 8: Thermal Properties of Matter

The quantity of heat required by

the unit mass of a liquid at a

certain constant temperature to

change its state completely from

liquid into gas is called the latent

expand on heating and their

expansion is nearly uniform over a

wide range of temperature.

defined as the fractional increase

in its length per kelvin rise in

It has been observed that solids

The thermal coefficient of linear expansion
$$\alpha$$
 of a substance is

The volume of a solid changes with the change in temperature and is called as volume or cubical

temperature.

 $V = V_o (1 + \beta \Delta T)$ The thermal coefficient of volume

expansion β is defined as the fractional change in its volume per kelvin change in temperature.

There are two types of thermal volume expansion for liquids as well as for gases. Apparent volume expansion and real

volume expansion.

Physic	es IX	191	Unit 8: Thermal Properties of Matter
	QUES	STIONS	3
8.1	Encircle the correct answer from the given choices.	vii.	A large water reservoir keeps the temperature of nearby land moderate due to
i.	Water freezes at (a) 0°F (b) 32 °F (c) -273 K (d) 0 K		 (a) low temperature of water (b) low specific heat of water (c) less absorption of heat (d) large specific heat of
ii.	Normal human body temperature is (a) 15°C (b)37°C (c) 37 °F (d)98.6°C	viii.	water Which of the following affects evaporation? (a) temperature
iii.	Mercury is used as thermometric material because it has		(b) surface area of the liquid(c) wind(d) all of the above
(a) (b)	uniform thermal expansion low freezing point	8.2	Why does heat flow from hot body to cold body?
(c) (d)	small heat capacity all the above properties	8.3	Define the terms heat and temperature.
iv.	Which of the following material has large specific heat?	8.4	What is meant by internal energy of a body?
	(a) copper (b) ice (c) water (d) mercury	8.5	How does heating affect the motion of molecules of a gas?
V.	Which of the following material has large value of temperature coefficient of linear expansion?	8.6	What is a thermometer? Why mercury is preferred as a thermometric substance?
	(a) aluminum (b) gold (c) brass (d) steel	8.7	Explain the volumetric thermal expansion.
vi.	What will be the value of p for a solid for which a has a value of $2x10^{-5}K^{-1}$?	8.8	Define specific heat. How would you find the specific heat of a solid?
	(a) $2x10^{-5} \text{ K}^{-1}$ (b) $6x10^{-5} \text{ K}^{-1}$	8.9	Define and explain latent heat of fusion.
	(c) 8x10 ⁻¹⁵ K ⁻¹ (d) 8x10 ⁻⁵ K ⁻¹	8.10	Define latent heat of vaporization.

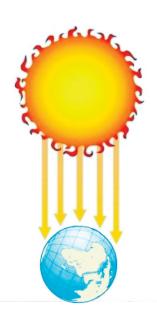
Physics IX		192	Unit 8: Thermal Properties of Matter	
8.11	What is meant by evaporation On what factors the evaporation of a liquid depends? Explain	า	how cooling is produced by evaporation.	
	PROI	BLEMS		
8.1	Temperature of water in a beaker is 50°C. What is its value in Fahrenheit scale?	8.7	How much ice will melt by 50000 J of heat? Latent heat of fusion of ice = 336000 J kg ⁻¹ .	
8 .2	Normal human body temperature is 98.6°F. Convert it into Celsius scale and Kelvin scale. (37 °C, 310 K)	8.8	Find the quantity of heat needed to melt 100g of ice at -10 °C into water at 10 °C. (39900 J)	
8.3	Calculate the increase in the length of an aluminum bar 2 m long when heated from 0°C to 20°C. If the thermal coefficient of linear expansion of aluminium is		(Note: Specific heat of ice is 2100 Jkg ⁻¹ K ⁻¹ , specific heat of water is 4200 Jkg ⁻¹ K ⁻¹ , Latent heat of fusion of ice is 336000 Jkg ⁻¹).	
8.4	2.5x10 ⁻⁵ K ⁻¹ . (0.1cm) A balloon contains 1.2 m ³ air at 15 °C. Find its volume at 40 °C. Thermal coefficient of volume expansion of air is 3.67x10 ⁻³ K ⁻¹ .	8.9	How much heat is required to change 100 g of water at 100°C into steam? (Latent heat of vaporization of water is 2.26x10 ⁶ Jkg ⁻¹ . (2.26 x10 ⁵ J)	
	(1.3 m ³	8.10	Find the temperature of water	
8 .5	How much heat is required to increase the temperature of 0.5 kg of water from 10 °C to 65 °C?		after passing 5 g of steam at 100 °C through 500 g of water at 10 °C. (16.2°C)	
8.6	(115500 J) An electric heater supplies heat at the rate of 1000 joule per second. How much time is required to raise the temperature of 200 g of water from 20 °C to 90 °C? (58.8 s)		(Note: Specific heat of water is 4200 Jkg ⁻¹ K ⁻¹ , Latent heat of vaporization of water is 2.26 x10 ⁶ Jkg ⁻¹).	

Transfer of Heat

STUDENT'S LEARNING OUTCOMES

After studying this unit, the students will be able to:

- recall that thermal energy is transferred from a region of higher temperature to a region of lower temperature.
- describe in terms of molecules and electrons, how heat transfer occurs in solids.
- state the factors affecting the transfer of heat through solid conductors and hence, define the term Thermal Conductivity.
- solve problems based on thermal conductivity of solid conductors.
- write examples of good and bad conductors of heat and describe their uses.
- explain the convection currents in fluids due to difference in density.
- state some examples of heat transfer by convection in everyday life.
- explain that insulation reduces energy transfer by conduction.
- describe the process of radiation from all objects.
- explain that energy transfer of a body by radiation does not require a material medium and rate of energy transfer is affected by:
 - colour and texture of the surface
 - surface temperature
 - surface area





Conceptual Linkage.

This unit is built on

Modes of heat transfer

- Science-VII

This unit leads to:

Thermodynamics

- Physics-XI

INVESTIGATION SKILLS The students will be able to: describe convection in water heating by putting **Major Concepts** a few pinky crystals in a round bottom flask. explain that water is a poor conductor of heat. 9.1 The three process of investigate the absorption of radiation by a heat transfer black surface and silvery surfaces using Leslie

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Unit 9: Transfer of Heat

investigate the emission of radiation by a black surface and silvery surfaces using Leslie cube. SCIENCE, TECHNOLOGY AND SOCIETY

CONNECTION

life.

cube.

The students will be able to: describe the use of cooking utensils, electric

- kettle, air conditioner, refrigerator cavity wall
- water system as a consequence of heat transmission Processes.
- describe the role of land breeze and sea breeze for moderate coastal climate.

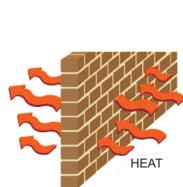
insulation, vacuum flask and household hot-

explain convection in seawater to support marine

- describe the role of convection in space heating.
- identify and explain some of the everyday
- applications and consequences of heat transfer
- by conduction, convection and radiation. explain how the birds are able to fly for hours without flapping their wings and glider is able to
- rise by riding on thermal currents which are streams of hot air rising in the sky. explain the consequence of heat radiation in greenhouse effect and its effect in global
- warming. Heat is an important form of energy. It is

necessary for our survival. We need it to cook our food and to maintain our body temperature. Heat is also needed in various industrial processes. How to protect ourselves from high as well as low temperature, needs knowledge of how heat travels. In this unit, we will study

various ways of heat transfer.



Physics IX

9.2 Conduction

9.3 Convection 9.4 Radiation

9.5 Consequences and everyday applications

of heat transfer

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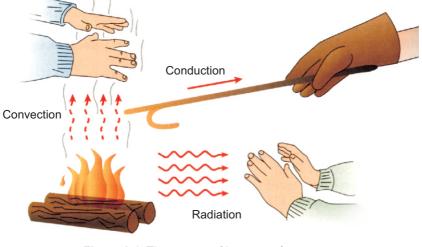


Figure 9.1: Three ways of heat transfer

Recall what happens when two bodies at different

temperature are in thermal contact with each other. Thermal energy from a hot body flows to a cold body in the form of heat. This is called as transfer of heat. Transfer of heat is a natural process. It continues all the time as long as the bodies in thermal contact are at different temperature. There are three ways by which transfer of heat takes place. These are:

conduction convection radiation

QUICK QUIZ Think of objects around us getting heat or giving out heat.

9.2 CONDUCTION

conductors than non-metals.

Physics IX

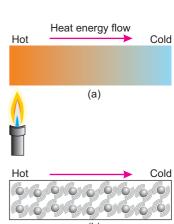
9.1

The handle of metal spoon held in hot water soon gets warm. But in case of a wooden spoon, the handle does not get warm. Both the materials behave differently regarding the transfer of heat. Both metals and

non-metals conduct heat. Metal are generally better

when one of its ends is heated? The atoms or molecules

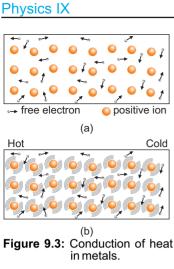
In solids, atoms and molecules are packed close together as shown in figure 9.2. They continue to vibrate about their mean position. What happens



Unit 9: Transfer of Heat

Figure 9.2: In solids, heat is transferred from one part to other parts from atoms to atoms or molecules to molecules due to

collisions



DO YOU KNOW?

used to keep food hot or ice cream cold for a long time? Styrofoam is a bad conductor of heat. It does not allow heat to leave or enter the box easily.

Why Styrofoam boxes are

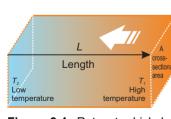


Figure 9.4: Rate at which heat conducts through different solids depends upon various factors.

How does then heat flow from hot to cold parts in metals so rapidly than non-metals? Metals have free electrons as shown in figure 9.3. These free electrons move with very high velocities within the metal objects. They carry energy at a very fast rate from hot to cold parts of the object as they move. Thus, heat reaches the cold parts of the metal objects from its hot part much more

present at that end begin to vibrate more rapidly. They also collide with their neighbouring atoms or molecules. In doing so, they pass some of their energy to neighbouring atoms or molecules during collisions with

them with the increase in their vibrations. These atoms or molecules in turn pass on a part of the energy to their

neighbouring particles. In this way some heat reaches the other parts of the solids. This is a slow process and very small transfer of heat takes place from hot to cold

The mode of transfer of heat by vibrating atoms and

free electrons in solids from hot to cold parts of a

substances through which heat does not conduct easily

are called bad conductors or insulators. Wood, cork,

All metals are good conductors of heat. The

Conduction of heat occurs at different rates in

cotton, wool, glass, rubber, etc. are bad conductors or insulators.

body is called conduction of heat.

quickly than non-metals.

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parts in solids.

Unit 9: Transfer of Heat

THERMAL CONDUCTIVITY

different materials. In metals, heat flows rapidly as compared to insulators such as wood or rubber. Consider a solid block as shown in figure 9.4. One of its two opposite faces each of cross-sectional area *A* is heated to

a temperature T_1 . Heat Q flows along its length L to opposite face at temperature T_2 in t seconds.

The amount of heat that flows in unit time is called

at the rate of flow of heat.

Thus Rate of flow of heat $=\frac{Q}{t}$ (9.1)

It is observed that the rate at which heat flows through a solid object depends upon various factors.

CROSS-SECTIONAL AREA OF THE SOLID Larger cross-sectional area A of a solid contains larger number of molecules and free electrons on each layer parallel to its cross-sectional area and hence greater will be the rate of flow of heat through the solid. Thus Rate of flow of heat $\frac{Q}{t} \propto A$ **LENGTH OF THE SOLID** Larger is the length between the hot and cold ends of the solid, more time it will take to conduct heat to the colder end and smaller will be the rate of flow of heat. Thus Rate of flow of heat $\frac{Q}{t} \propto \frac{1}{L}$ TEMPERATURE DIFFERENCE BETWEEN ENDS Greater is the temperature difference T_1 - T_2 between hot and cold faces of the solid, greater will be the rate of flow of heat. Thus Rate of flow of heat $\frac{Q}{t} \propto (T_1 - T_2)$ Thermal conductivities of some Combining the above factors, we get common substances $\frac{Q}{t} \propto \frac{A (T_1 - T_2)}{I}$ **Substance** Air (dry) Rate of flow of heat $\frac{Q}{t} = \frac{k A (T_1 - T_2)}{I} \dots (9.2)$ Aluminium **Brass** Here k is the proportionality constant called Brick thermal conductivity of the solid. Its value depends on Copper the nature of the substance and is different for different

materials. From equation (9.2), we find k as:

thermal conductivity of that substance.

be defined as:

given in the table.

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 $k = \frac{Q}{t} \times \frac{L}{A(T_c - T_c)} \quad \dots \quad \dots \quad (9.3)$ Thus, thermal conductivity of a substance can The rate of flow of heat across the opposite faces of a metre cube of a substance maintained at a

Rubber Silver Water

Thermal conductivities of some substances are

Wood

Glass

Ice

Iron

Lead

Plastic foam

430 0.59

 $\mathbf{Wm}^{-1}\mathbf{K}^{-1}$

245

105

0.6

400

8.0

1.7

85

35

0.03

0.2

0.026

temperature difference of one kelvin is called the

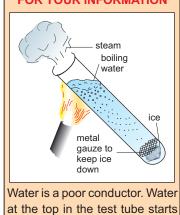
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Unit 9: Transfer of Heat

FOR YOUR INFORMATION USE OF CONDUCTORS AND NON-CONDUCTORS

for making ice, ice cream, etc.

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Physics IX

boiling after getting heat from the burner without melting ice.

DO YOU KNOW?





Figure 9.5: Soft insulation board between external brick wall of a house.

In houses, good thermal insulation means

lower consumption of fuel. For this, following measures may be taken to save energy.
Hot water tanks are insulated by plastic or foam

lagging.Wall cavities are filled with plastic foam or wool.

Unit 9: Transfer of Heat

- Wall cavities are filled with plastic foam or wool.Ceiling of rooms is covered by insulating
- materials (false ceiling).
 Double glazed window panes are used. These window panes have air between glass sheets

that provides good insulation.

Good conductors are used when quick transfer of heat is required through a body. Thus cookers, cooking plate, boiler, radiators and condensers of refrigerators, etc. are made of metals such as

aluminum or copper. Similarly, metal boxes are used

Insulators or bad conductors are used in home

utensils such as handles of sauce-pans, hot plates, spoons, etc. They are made up of wood or plastic. Air is one of the bad conductors or best insulator. That is why cavity walls i.e. two walls separated by an air space and double glazed windows keep the houses warm in winter and cool in summer. Materials which trap air i.e. wool, felt, fur, feathers, polystyrenes, fibre glass are

also bad conductors. Some of these materials are used

for laggings to insulate water pipes, hot water cylinders ovens, refrigerators, walls and roofs of houses. Woollen cloth is used to make warm winter clothes.

EXAMPLE 9.1

The exterior brick wall of a house of thickness 25 cm has an area 20 m². The temperature inside the house is 15°C and outside is 35°C. Find the rate at which thermal energy will be conducted through the wall, the value of k for bricks is 0.6 Wm⁻¹ K⁻¹.

SOLUTION

Here $A = 20 \text{ m}^2$

 $k = 0.6 \text{ Wm}^{-1} \text{K}^{-1}$.

Using equation 9.2, rate of conduction of thermal energy is $= \frac{k A (T_1 - T_2)}{I}$

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$$= \frac{0.6 \text{ Wm}^{-1} \text{ K}^{-1} \times 20 \text{ m}^2 \times 20 \text{ K}}{0.25 \text{ m}}$$

$$= 960 \text{ watt or } 960 \text{ Js}^{-1}$$
Thus, the rate of flow of thermal energy across the

L = 25 cm = 0.25 m

 $T_1 = 35 + 273 = 308 \text{ K}$ $T_2 = 15 + 273 = 288 \text{ K}$

= 308 K - 288 K = 20 K

 $\Delta T = T_1 - T_2$

wall will be 960 joules per second.

9.3 CONVECTION

convection.

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Liquids and gases are poor conductors of heat. However, heat is transferred through **fluids** (liquids or

gases) easily by another method called convection.

Why a balloon inflated with hot air as shown in figure. 9.6 rises up? A liquid or a gas becomes lighter (less dense) as it expands on heating. Hot liquid or gas rises up above the heated area. The cooler liquid or gas from the surroundings fills the place which in turns is

heated up. In this way, all the fluid is heated up. Therefore, transfer of heat through fluids takes place by the actual movement of heated molecules from hot to cold parts of the fluid.

Transfer of heat by actual movement of molecules

from hot place to a cold place is known as

EXPERIMENT 9.1

Take a beaker and fill two-third of it with

water. Heat the beaker by keeping a burner below it. Drop two or three crystals of potassium permanganate in the water. It will be seen that coloured streaks of water

formed by the crystals move upwards above the flame



Unit 9: Transfer of Heat

nsulation especially when fluffe



Figure 9.6: Balloons inflated with hot air rise up. Air becomes lighter on heating.



Figure 9.7: Crystals of potassium permanganate are used to show the movement of water on heating.

currents are easily set up due to the differences in the densities of air at various parts in the atmosphere. This can be observed by a simple experimental set up as shown in figure 9.8. Can you explain it?

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USE OF CONVECTION CURRENTS

CONVECTION CURRENTS IN AIR

Convection currents set up by electric, gas or coal heaters help to warm our homes and offices. Central heating systems in buildings work on the same principle by convection. Convection currents occur on a large scale in nature. The day—to—day temperature changes in the atmosphere result from the circulation of warm or cold air that travels across the region. Land and sea breezes are also the examples of convection currents.

and then move downwards from side ways as shown in the figure 9.7. These coloured streaks show the path of currents in the liquid. Why the liquid currents stop on removing the burner under the beaker? When the water at the bottom of the beaker gets hot, it expands, becomes lighter and rises up. While the cold but

Gases also expand on heating, thus convection

denser water moves downward to take its place.

Unit 9: Transfer of Heat



Why does sea breeze blow during the day? Why does land breeze blow in the night?

Land and sea breezes are the result of convection. On a hot day, the temperature of the land increases more quickly than the sea. It is because the specific heat of land is much smaller as compared to water. The air above land gets hot and rises up. Cold

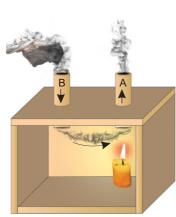
air from the sea begins to move towards the land as

At night, the land cools faster than the sea. Therefore, air above the sea is warmer, rises up and

the cold air from the land begins to move towards the

sea as illustrated in figure 9.10. It is called land breeze.

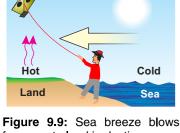
illustrated in figure 9.9. It is called sea breeze.



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the path of the convection.

Figure 9.8: Smoke showing



from sea to land in daytime.

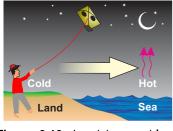


Figure 9.10: Land breeze blows from land to sea during night.

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How do the land and sea breezes help to keep the

temperature moderate in coastal areas?

GLIDING

What causes a glider to remain in air?

A glider such as shown in figure 9.11 looks like a

small aeroplane without engine. Glider pilots use upward movement of hot air currents due to convection of heat.

These rising currents of hot air are called **thermals**. Gliders ride over these thermals. The upward movement

of air currents in thermals help them to stay in air for a long period.

How do thermals help birds to fly for hours without flapping their wings?

The birds stretch out their wings and circle in

these thermals. The upward movement of air helps birds to climb up with it. Eagles, hawks and vultures are expert **thermal climbers.** After getting a free lift, birds are able to fly for hours without flapping their wings. They glide from one thermal to another and thus travel through large distances and hardly need to flap their wings.

9.4 RADIATION

Our Sun is the major source of heat energy. But how does this heat energy reach the Earth? It reaches us neither by conduction nor by convection, because the space between the Sun and the Earth's atmosphere is empty. There is a third mode called radiation by which heat travels from one place to another. It is through

Radiation is the mode of transfer of heat from one place to another in the form of waves called electromagnetic waves.

radiation that heat reaches us from the Sun.

How does this heat reach us directly from a fireplace? Figure 9.14 shows a fireplace such as used for room heating. Heat does not reach us by conduction through air from a fireplace because air is a

poor conductor of heat. Heat does not reach us by



Unit 9: Transfer of Heat



Figure 9.12: Birds fly taking the advantage of thermal air currents.

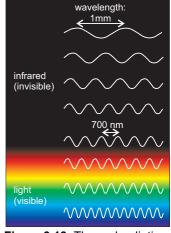


Figure 9.13: Thermal radiations and visible light spectrum.

Surface temperature



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radiation.

does not move in all directions. Hot air moves upward from the fireplace. Heat from the fireplace reaches us directly by a different process in the form of waves called radiation. A sheet of paper or cardboard kept in the path of radiations stop these waves to reach us.

convection because the air getting heat from the fireplace

Radiations are emitted by all bodies. The rate at which radiations are emitted depends upon various factors such as

Colour and texture of the surface

Unit 9: Transfer of Heat

- - Surface area
- Why does a cup of hot tea become cold after

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after sometime? All the objects, lying inside a room including the walls, roof and floor of the room are radiating heat. However, they are also absorbing heat at the same time.

When temperature of an object is higher than its surroundings then it is radiating more heat than it is

sometime? Why does a glass of chilled water become hot

absorbing. As a result, its temperature goes on decreasing till it becomes equal to its surroundings. At this stage, the body is giving out the amount of heat equal to the amount of heat it is absorbing.

When temperature of an object is lower than its surroundings, then it is radiating less heat than it is absorbing. As a result, its temperature goes on increasing till it becomes equal to its surroundings. The rate at which various surfaces emit heat depends upon the nature of the surface. Various surfaces can be compared using Leslie's cube.

Emission and Absorption of Radiation

A Leslie cube is a metal box having faces of different nature as shown in figure 9.15. The four faces of Leslie's cube may be as follows:

- A shining silvered surface
- A dull black surface
 - A white surface
 - A coloured surface



Hot water inside

Shining

surface

Figure 9.15: Radiations from

Physics IX Hot water is filled in the Leslie's cube and is placed with one of its face towards a radiation detector. It

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is found that black dull surface is a good emitter of heat. The rate at which various surfaces absorb heat

also depends upon the nature of those surfaces. For example, take two surfaces, one is dull black and the other is a silver polished surface as shown in figure 9.16

A dull black surface is a good absorber of heat as its temperature rises rapidly.

with a candle at the middle of the surface. It is found that:

A polished surface is poor absorber of heat as its temperature rises very slowly. The observations made from the set up shown in figure 9.16 are shown in the table given below:

Absorber

best

good

bad

Reflector

worst

bad

good

Emitter

best

good

bad

surface	worst	worst	best		
It is also found that the transfer of heat by					
radiation is also affected by the surface area of the body					
emitting or absorbing	heat. Large	er is the area	, greater wil		
be the transfer of hea	at. It is due	to this reaso	n that large		

numbers of slots are made in radiators to increase their surface area. GREENHOUSE EFFECT

Surfaces

dull black surface

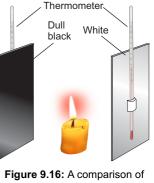
coloured surface

White surface

How dos the temperature in a greenhouse can be maintained?

Light from the Sun contains thermal radiations (infrared) of long wavelengths as well as light and ultraviolet radiations of short wavelengths. Glass and transparent polythene sheets allow radiations of short

wavelength to pass through easily but not long wavelengths of thermal radiations. Thus, a greenhouse becomes a heat trap. Radiations from the Sun pass easily through glass and warms up the objects in a greenhouse. These objects and plants such as



Unit 9: Transfer of Heat

absorption of radiation.

shown in figure 9.17give out radiations of much longer wavelengths. Glass and transparent polythene sheets

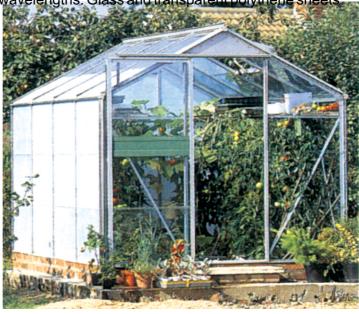


Figure 9.17: A greenhouse

do not allow them to escape out easily and are reflected back in the greenhouse. This maintains the inside temperature of the greenhouse. Greenhouse effect promises better growth of some plants.

Carbon dioxide and water also behave in a similar way to radiations as glass or polythene. Earth's atmosphere contains carbon dioxide and water vapours. It causes greenhouse effect as shown in figure 9.18 and thus maintains the temperature of the

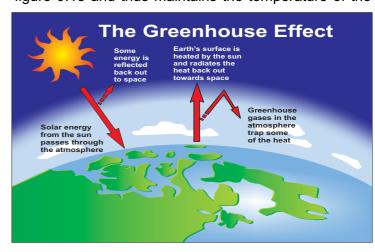


Figure 9.18: Greenhouse effect in global warming.

Earth. During the recent years, the percentage of carbon dioxide has been increased considerably. This has caused an increase in the average temperature of the Earth by trapping more heat due to greenhouse effect. This phenomenon is known as global warming. This Unit 9: Transfer of Heat

depends upon its colour and nature of the surface. White surfaces reflect more than coloured or black surfaces. Similarly, polished surfaces are good reflectors than rough surfaces and reflection of heat radiations is greater

from polished surfaces. Hence, we wear white or light coloured clothes in summer which reflect most of the

heat radiation reaching us during the hot day. We polish the interior of the cooking and hot pots for reflecting back most of the heat radiation within them.

CONSEQUENCES OF RADIATION Different objects absorb different amounts of

9.5 APPLICATION AND

has serious implications for the global climate.

rough surface absorbs more heat than a white or polished surface. Since good absorbers are also good radiators of heat. Thus, a black coloured body gets hot quickly absorbing heat reaching it during a sunny day and also cools down quickly by giving out its heat to its surroundings. The bottoms of cooking pots are made black to increase the absorption of heat from fire. Like light rays, heat radiations also obey laws of

reflection. The amount of heat reflected from an object

part. The amount of heat absorbed by a body depends upon the colour and nature of its surface. A black and

FOR YOUR INFORMATION Lid Cork stopper Double walled glass vessel Silvered surfaces Vacuum Cork pad In a thermos flask,

most of the heat is prevented to enter or leave the flask. This is done by suitable measures to reduce the transfer of heat due to conduction, convection and

radiation. Thus, anything kept

in it, maintains its temperature

SUMMARY

- Heat flows from a body at higher temperature to a body at lower, temperature.
- There are three ways of heat transfer. These are conduction, convection and radiation

for a long time.

Physics	sIX	206	Unit 9: Transfer of Heat
>	The mode of transfer of heat by vibrating atoms and free electrons in solids from hotter to colder part of a body is called conduction of heat. The amount of heat that flows in unitime is called the rate of flow of heat.	i a	Birds are able to fly for hours without flapping their wings due to the upward movement of air currents. The term radiation means the continual emission of energy from the surface of a body in the form of
A	The rate at which heat flows through solids depends on the cross sectional area of the solid, length between hot and cold ends temperature difference between ho and cold ends and nature of the material.	- > n , t	electromagnetic waves.
>	The rate of flow of heat across the opposite faces of a metre cube maintained at a difference of 1 K is called the thermal conductivity of the material of the cube.	e 6 >	heat as its temperature rises very
A	Good conductors are used for quick transfer of heat. Thus cookers cooking plate, boiler, radiators and condensers of refrigerators etc. are made of metals.	, d	Radiations from the Sun pass easily through glass/polythene and warms up the materials inside a greenhouse. The radiations given out by them are
A A	Water is a poor conductor of heat. Materials which trap air are also bacconductors such as wool, felt, fur feathers, polystyrenes and fibre	,	of much longer wavelengths. Glass/polythene does not allow them to escape out and thus maintains the inside temperature of the greenhouse.
>	glass. Transfer of heat by actual movemen of molecules from hot place to a colo place is known as convection.		Earth's atmosphere contains carbon dioxide and water vapours. It causes greenhouse effect and thus retains the temperature of the Earth.
>	Land and sea breezes are also the	e >	The bottoms of cooking pots are
>	examples of convection. Gliders use upward movement of ho air currents due to convection of heat Air currents help them to stay in air fo a long period.		made black to increase the absorption of heat from fire. White surfaces reflect more heat than coloured or black surfaces. Similarly polished surfaces are good reflectors than rough surfaces and reflection of heat radiations is

Ph	ysics IX 20)7	Unit 9: Transfer of Heat
	greater from polished surfaces. Therefore, We wear white or light coloured clothes in summer > We polish the interior of the cooking pots for reflecting back most of the heat	>	radiation inside the hot pots. A thermos flask consists of a double-walled glass vessel. It reduces the transfer of heat by conduction, convection and radiation.
	QUES	TIO	NS
9.1	Encircle the correct answer from the given choices:	V.	Convection of heat is the process of heat transfer due to the:
i.	In solids, heat is transferred by: (a) radiation (b) conduction (c) convection (d) absorption		(a) random motion of molecules(b) downward movement of molecules(c) upward movement of molecules
ii.	What happens to the thermal conductivity of a wall if its thickness is doubled? (a) becomes double	vi.	(d) free movement of moleculesFalse ceiling is done to(a) lower the height of ceiling
	(b) remains the same(c) becomes half(d) becomes one fourth		(b) keep the roof clean(c) cool the room
iii.	Metals are good conductor of heat due to the: (a) free electrons (b) big size of their molecules (c) small size of their molecules (d) rapid vibrations of their atoms	vii.	 (d) insulate the ceiling Rooms are heated using gas heaters by (a) Conduction only (b) Convection and radiation (c) Radiation only
iv.	In gases, heat is mainly transferred by (a) molecular collision (b) conduction (c) convection (d) radiation	viii.	 (d) Convection only Land breeze blows from (a) sea to land during night (b) sea to land during the day (c) land to sea during night (d) land to sea during the day

Physics	IX	208	Unit 9: Transfer of Heat
	nich of the following is a good diator of heat?	9.4	Why conduction of heat does not take place in gases?
(a) (b)	a shining silvered surface a dull black surface	9.5	What measures do you suggest to conserve energy in houses?
(c) (d) 9.2	a white surface green coloured surface Why metals are good	9.6	Why transfer of heat in fluids takes place by convection?
	conductors of heat?	9.7	What is meant by convection current?
	Explain why: a metal feels colder to touch	9.8	Suggest a simple activity to show convection of heat in
(a)	than wood kept in a cold place?	0.0	gases not given in the book.
(b)	land breeze blows from land towards sea?	9.9	How does heat reach us from the Sun?
(c)	double walled glass vessel is used in thermos flask?	9.10	How various surfaces can be compared by a Leslie cube?
(d)	deserts soon get hot during	9.11	What is greenhouse effect?
	the day and soon get cold after sunset?	9.12	Explain the impact of greenhouse effect in global warming.
	PRO	BLEM	S
9.1	The concrete roof of a house of thickness 20 cm has an area 200 m ² . The temperature inside the house is 15 °C and outside is 35°C. Find the rate at which thermal energy will be conducted through the roof. The value of k for concrete is 0.65 Wm ⁻¹ K ⁻¹ . (13000 Js ⁻¹)	9.2	How much heat is lost in an hour through a glass window measuring 2.0 m by 2.5 m when inside temperature is 25 °C and that of outside is 5°C, the thickness of glass is 0.8 cm and the value of k for glass is 0.8Wm ⁻¹ K ⁻¹ ? (3.6x10 ⁷ J)